

```

 $\Theta[K] := \text{Module}\left[\{\mathbf{Cs}, \varphi, n, A, \Delta, G, \text{ev}, \theta\},$ 
 $\{\mathbf{Cs}, \varphi\} = \text{Rot}[K]; n = \text{Length}[\mathbf{Cs}];$ 
 $A = \text{IdentityMatrix}[2n + 1];$ 
 $\text{Cases}\left[\mathbf{Cs}, \{s, i, j\} \Rightarrow \left(A[[i, j], [i + 1, j + 1]] += \begin{pmatrix} -T^s & T^s - 1 \\ 0 & -1 \end{pmatrix}\right)\right];$ 
 $\Delta = T^{(-\text{Total}[\varphi] - \text{Total}[\mathbf{Cs}[[All, 1]]])/2} \text{Det}[A];$ 
 $G = \text{Inverse}[A];$ 
 $\text{ev}[\mathcal{E}] := \text{Factor}[\mathcal{E} /. g_{v, \alpha, \beta} \Rightarrow (G[[\alpha, \beta]] /. T \rightarrow T_v)];$ 
 $\theta = \text{ev}\left[\sum_{k1=1}^n \sum_{k2=1}^n R_{12}[\mathbf{Cs}[[k1]], \mathbf{Cs}[[k2]]]\right];$ 
 $\theta += \text{ev}\left[\sum_{k=1}^n R_{11}[\mathbf{Cs}[[k]]]\right];$ 
 $\theta += \text{ev}\left[\sum_{k=1}^{n^2} \Gamma_1[\varphi[[k]], k]\right];$ 
 $\text{Factor}@\{\Delta, (\Delta /. T \rightarrow T_1) (\Delta /. T \rightarrow T_2) (\Delta /. T \rightarrow T_3) \theta\}\right];$ 

```