

$\text{QZip}_{\zeta s\_List} @ \mathbb{E} [L\_ , Q\_ , P\_ ] :=$

$\text{PP}_{\text{QZip}} @ \text{Module} [ \{ \zeta , z , z s , c , y s , \eta s , q t , z r u l e , \xi r u l e \} ,$

$z s = \text{Table} [ \zeta^* , \{ \zeta , \zeta s \} ] ;$

$c = \text{CF} [ Q / . \text{Alternatives} @ @ ( \zeta s \cup z s ) \rightarrow \emptyset ] ;$

$y s = \text{CF} @ \text{Table} [ \partial_{\zeta} ( Q / . \text{Alternatives} @ @ z s \rightarrow \emptyset ) ,$   
 $\{ \zeta , \zeta s \} ] ;$

$\eta s = \text{CF} @ \text{Table} [ \partial_z ( Q / . \text{Alternatives} @ @ \zeta s \rightarrow \emptyset ) , \{ z , z s \} ] ;$

$q t = \text{CF} @ \text{Inverse} @ \text{Table} [ K \delta_{z, \zeta^*} - \partial_{z, \zeta} Q , \{ \zeta , \zeta s \} , \{ z , z s \} ] ;$

$z r u l e = \text{Thread} [ z s \rightarrow \text{CF} [ q t . ( z s + y s ) ] ] ;$

$\xi r u l e = \text{Thread} [ \zeta s \rightarrow \zeta s + \eta s . q t ] ;$

$\text{CF} / @ \mathbb{E} [ L , c + \eta s . q t . y s ,$

$\text{Det} [ q t ] \text{Zip}_{\zeta s} [ P / . ( z r u l e \cup \xi r u l e ) ] ] ] ;$