

In[*]:= ? P3

Out[*]=

Symbol
Global`P3
Definitions
<pre>P3[ψ_LieSeries] := Module[{pd}, pd = τ[ȳ, ψ]; pd + LieMorphism[{x̄ → ȳ, ȳ → 0}][pd] - LieMorphism[{x̄ → x̄ + ȳ, ȳ → 0}][pd] - 2 R_{x,y}[ψ]</pre>
Full Name Global`P3
^

In[*]:= P3[ψ]

Out[*]=

AS[0, 0, 0, 0]

In[*]:= FreeLieFormatting[False]

In[*]:= P3[ψ]

Out[*]=

ASeries[ASeries\$43]

In[*]:= ψs[x, y, y]

Out[*]=

0

In[*]:= ASeries\$43[2]

Out[*]=

0

In[*]:= ? ASeries\$43

Out[*]=

Symbol
Global`ASeries\$43
Definitions
<pre>ASeries\$43[0] = AW[] ψs[y]</pre>

$$\text{ASeries\$43}[1] = 0$$

$$\text{ASeries\$43}[2] = 2 \text{AW}[x, y] \psi_S[x, y, y] - \text{AW}[y, x] \psi_S[x, y, y]$$

$$\begin{aligned} \text{ASeries\$43}[3] = & \text{AW}[x, x, y] \psi_S[x, x, x, y] - \text{AW}[x, y, x] \psi_S[x, x, x, y] - \\ & \text{AW}[x, y, y] \psi_S[x, x, x, y] - 3 \text{AW}[y, x, x] \psi_S[x, x, x, y] - \text{AW}[y, x, y] \psi_S[x, x, x, y] - \\ & \text{AW}[y, y, x] \psi_S[x, x, x, y] + 2 \text{AW}[x, x, y] \psi_S[x, x, y, y] - 2 \text{AW}[x, y, x] \psi_S[x, x, y, y] + \\ & \text{AW}[x, y, y] \psi_S[x, x, y, y] - \text{AW}[y, x, x] \psi_S[x, x, y, y] - \text{AW}[y, y, x] \psi_S[x, x, y, y] + \\ & 3 \text{AW}[x, y, y] \psi_S[x, y, y, y] - 3 \text{AW}[y, x, y] \psi_S[x, y, y, y] + \text{AW}[y, y, x] \psi_S[x, y, y, y] \end{aligned}$$

$$\begin{aligned} \text{ASeries\$43}[4] = & 2 \text{AW}[x, x, x, y] \psi_S[x, x, x, x, y] - 3 \text{AW}[x, x, y, x] \psi_S[x, x, x, x, y] - \\ & \text{AW}[x, x, y, y] \psi_S[x, x, x, x, y] - 3 \text{AW}[x, y, x, x] \psi_S[x, x, x, x, y] - \\ & \text{AW}[x, y, x, y] \psi_S[x, x, x, x, y] - \text{AW}[x, y, y, x] \psi_S[x, x, x, x, y] - \\ & \text{AW}[x, y, y, y] \psi_S[x, x, x, x, y] + 2 \text{AW}[y, x, x, x] \psi_S[x, x, x, x, y] - \\ & \text{AW}[y, x, x, y] \psi_S[x, x, x, x, y] - \text{AW}[y, x, y, x] \psi_S[x, x, x, x, y] - \\ & \text{AW}[y, x, y, y] \psi_S[x, x, x, x, y] - \text{AW}[y, y, x, x] \psi_S[x, x, x, x, y] - \\ & \text{AW}[y, y, x, y] \psi_S[x, x, x, x, y] - \text{AW}[y, y, y, x] \psi_S[x, x, x, x, y] + \\ & 2 \text{AW}[x, x, x, y] \psi_S[x, x, x, y, y] - 3 \text{AW}[x, x, y, x] \psi_S[x, x, x, y, y] + \\ & 2 \text{AW}[x, x, y, y] \psi_S[x, x, x, y, y] - \text{AW}[x, y, x, x] \psi_S[x, x, x, y, y] - \\ & 2 \text{AW}[x, y, x, y] \psi_S[x, x, x, y, y] - 2 \text{AW}[x, y, y, x] \psi_S[x, x, x, y, y] + \\ & \text{AW}[y, x, x, x] \psi_S[x, x, x, y, y] - 2 \text{AW}[y, x, y, x] \psi_S[x, x, x, y, y] + \\ & 2 \text{AW}[y, y, x, x] \psi_S[x, x, x, y, y] - 4 \text{AW}[x, y, x, x] \psi_S[x, x, y, x, y] - \\ & 2 \text{AW}[x, y, x, y] \psi_S[x, x, y, x, y] - 2 \text{AW}[x, y, y, x] \psi_S[x, x, y, x, y] + \\ & 2 \text{AW}[y, x, x, x] \psi_S[x, x, y, x, y] + 4 \text{AW}[y, x, x, y] \psi_S[x, x, y, x, y] - \\ & 2 \text{AW}[y, x, y, x] \psi_S[x, x, y, x, y] + 3 \text{AW}[x, x, y, y] \psi_S[x, x, y, y, y] - \\ & 3 \text{AW}[x, y, x, y] \psi_S[x, x, y, y, y] - \text{AW}[x, y, y, x] \psi_S[x, x, y, y, y] + \\ & \text{AW}[x, y, y, y] \psi_S[x, x, y, y, y] + 2 \text{AW}[y, y, x, x] \psi_S[x, x, y, y, y] + \\ & \text{AW}[y, y, y, x] \psi_S[x, x, y, y, y] - \text{AW}[x, y, x, y] \psi_S[x, y, x, y, y] + \\ & \text{AW}[x, y, y, x] \psi_S[x, y, x, y, y] - 3 \text{AW}[y, x, x, y] \psi_S[x, y, x, y, y] + \\ & 2 \text{AW}[y, x, y, x] \psi_S[x, y, x, y, y] - \text{AW}[y, x, y, y] \psi_S[x, y, x, y, y] - \\ & \text{AW}[y, y, x, x] \psi_S[x, y, x, y, y] - \text{AW}[y, y, x, y] \psi_S[x, y, x, y, y] + \\ & 4 \text{AW}[x, y, y, y] \psi_S[x, y, y, y, y] - 6 \text{AW}[y, x, y, y] \psi_S[x, y, y, y, y] + \\ & 4 \text{AW}[y, y, x, y] \psi_S[x, y, y, y, y] - \text{AW}[y, y, y, x] \psi_S[x, y, y, y, y] \end{aligned}$$

$$\text{ASeries\$43}[5] = 0$$

$$\text{ASeries\$43}[\text{FreeLie`Private`d\$_Integer}] :=$$

$$\text{ASeries\$43}[\text{FreeLie`Private`d\$}] = \text{Plus} @@ (\#1[\text{FreeLie`Private`d\$}] \&) /@$$

$$\{\text{ASeries}[\text{ASeries\$14}], \text{ASeries}[\text{ASeries\$24}], \text{ASeries}[\text{ASeries\$39}], \text{ASeries}[\text{ASeries\$42}]\}$$

Full Name Global`ASeries\$43



In[*]:= ? ASeries\$14

Out[]=

Symbol

Global`ASeries\$14

Definitions

ASeries\$14[0] = AW[] ψ s[y]

ASeries\$14[1] = AW[x] ψ s[x, y]

ASeries\$14[2] = AW[x, x] ψ s[x, x, y] + AW[x, y] ψ s[x, y, y] - 2 AW[y, x] ψ s[x, y, y]

ASeries\$14[3] =
 AW[x, x, x] ψ s[x, x, x, y] + AW[x, x, y] ψ s[x, x, y, y] - 2 AW[x, y, x] ψ s[x, x, y, y] +
 AW[x, y, y] ψ s[x, y, y, y] - 3 AW[y, x, y] ψ s[x, y, y, y] + 3 AW[y, y, x] ψ s[x, y, y, y]

ASeries\$14[4] = AW[x, x, x, x] ψ s[x, x, x, x, y] + AW[x, x, x, y] ψ s[x, x, x, y, y] -
 2 AW[x, x, y, x] ψ s[x, x, x, y, y] + AW[x, x, y, x] ψ s[x, x, y, x, y] -
 3 AW[x, y, x, x] ψ s[x, x, y, x, y] + 2 AW[y, x, x, x] ψ s[x, x, y, x, y] +
 AW[x, x, y, y] ψ s[x, x, y, y, y] - 3 AW[x, y, x, y] ψ s[x, x, y, y, y] +
 3 AW[x, y, y, x] ψ s[x, x, y, y, y] + AW[x, y, x, y] ψ s[x, y, x, y, y] -
 3 AW[x, y, y, x] ψ s[x, y, x, y, y] - AW[y, x, x, y] ψ s[x, y, x, y, y] +
 4 AW[y, x, y, x] ψ s[x, y, x, y, y] - AW[y, y, x, x] ψ s[x, y, x, y, y] +
 AW[x, y, y, y] ψ s[x, y, y, y, y] - 4 AW[y, x, y, y] ψ s[x, y, y, y, y] +
 6 AW[y, y, x, y] ψ s[x, y, y, y, y] - 4 AW[y, y, y, x] ψ s[x, y, y, y, y]

ASeries\$14[5] = 0

ASeries\$14[FreeLie`Private`d\$_] := ASeries\$14[FreeLie`Private`d\$] =
 τ [LW[LW[y]], LieSeries[LieSeries\$13][FreeLie`Private`d\$ + 1]]

Full Name Global`ASeries\$14

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In[*]:= ? ASeries\$24

Out[*]=

Symbol
Global`ASeries\$24
Definitions
$\text{ASeries\$24}[0] = 0$ $\text{ASeries\$24}[1] = \text{AW}[y] \psi_S[x, y]$ $\text{ASeries\$24}[2] = \text{AW}[y, y] \psi_S[x, x, y]$ $\text{ASeries\$24}[3] = \text{AW}[y, y, y] \psi_S[x, x, x, y]$ $\text{ASeries\$24}[4] = \text{AW}[y, y, y, y] \psi_S[x, x, x, x, y]$ $\text{ASeries\$24}[5] = \text{AW}[y, y, y, y, y] \psi_S[x, x, x, x, x, y]$ $\text{ASeries\$24}[\text{FreeLie`Private`d\$}_] :=$ $\text{ASeries\$24}[\text{FreeLie`Private`d\$}] = \sum_{\text{FreeLie`Private`k}=1}^{\text{FreeLie`Private`d\$}} \text{LieMorphism\$23}[\text{ASeries}[\text{ASeries\$14}][\text{FreeLie`Private`k}][\text{FreeLie`Private`d\$}]$
Full Name Global`ASeries\$24
^

In[*]:= ? LieMorphism\$23

Out[*]=

Symbol
Global`LieMorphism\$23
SubValue Definitions
$\text{LieMorphism\$23}[\text{FreeLie`Private`expr}_][\text{FreeLie`Private`d}_] :=$ $\text{Expand}[\text{FreeLie`Private`expr} /. \text{FreeLie`Private`w_LW} \text{FreeLie`Private`w_AW} \text{FreeLie`Private`w_CW} \rightarrow \text{LieMorphism\$23}[\text{FreeLie`Private`w}][\text{FreeLie`Private`d}]]$
DownValue Definitions

LieMorphism\$23[AW[x, x, x, y, x]] = ASeries[ASeries\$90]

LieMorphism\$23[AW[y, x]] = ASeries[ASeries\$29]

LieMorphism\$23[AW[x, x, y, y, y]] = ASeries[ASeries\$105]

LieMorphism\$23[AW[y]] = ASeries[ASeries\$27]

LieMorphism\$23[AW[y, y, x, x]] = ASeries[ASeries\$68]

LieMorphism\$23[AW[x, x, x, y, y]] = ASeries[ASeries\$94]

LieMorphism\$23[AW[x, x, y, x]] = ASeries[ASeries\$60]

LieMorphism\$23[AW[x, x, y, x, x]] = ASeries[ASeries\$92]

LieMorphism\$23[AW[x, x, y]] = ASeries[ASeries\$31]

LieMorphism\$23[AW[x]] = ASeries[ASeries\$20]

LieMorphism\$23[AW[x, y, x]] = ASeries[ASeries\$32]

LieMorphism\$23[AW[y, y, y]] = ASeries[ASeries\$104]

LieMorphism\$23[AW[x, y, x, y, y]] = ASeries[ASeries\$106]

LieMorphism\$23[AW[y, y]] = ASeries[ASeries\$33]

LieMorphism\$23[AW[x, y, y, x, x]] = ASeries[ASeries\$99]

LieMorphism\$23[AW[x, x, x]] = ASeries[ASeries\$30]

LieMorphism\$23[AW[x, y, x, x]] = ASeries[ASeries\$61]

LieMorphism\$23[AW[x, y, y, x]] = ASeries[ASeries\$65]

LieMorphism\$23[AW[y, x, y]] = ASeries[ASeries\$35]

LieMorphism\$23[AW[y, x, y, x, y]] = ASeries[ASeries\$110]
 LieMorphism\$23[AW[x, x, x, x, x]] = ASeries[ASeries\$88]
 LieMorphism\$23[AW[y, x, x, y, x]] = ASeries[ASeries\$101]
 LieMorphism\$23[AW[x, y, y, y, x]] = ASeries[ASeries\$108]
 LieMorphism\$23[AW[x, y, y, x, y]] = ASeries[ASeries\$107]
 LieMorphism\$23[AW[y, y, x, x, x]] = ASeries[ASeries\$103]
 LieMorphism\$23[AW[x, y, x, x, y]] = ASeries[ASeries\$97]
 LieMorphism\$23[AW[x, y, x, y]] = ASeries[ASeries\$64]
 LieMorphism\$23[AW[y, y, y, x]] = ASeries[ASeries\$72]
 LieMorphism\$23[AW[y, y, y, x, x]] = ASeries[ASeries\$112]
 LieMorphism\$23[AW[x, y, x, y, x]] = ASeries[ASeries\$98]
 LieMorphism\$23[AW[y, x, y, y]] = ASeries[ASeries\$70]
 LieMorphism\$23[AW[y, y, x, y, y]] = ASeries[ASeries\$115]
 LieMorphism\$23[AW[y, y, y, x, y]] = ASeries[ASeries\$116]
 LieMorphism\$23[AW[y, x, y, y, y]] = ASeries[ASeries\$114]
 LieMorphism\$23[AW[x, x, x, y]] = ASeries[ASeries\$59]
 LieMorphism\$23[AW[y, x, y, x, x]] = ASeries[ASeries\$102]
 LieMorphism\$23[AW[y, x, x, x, y]] = ASeries[ASeries\$100]
 LieMorphism\$23[AW[y, x, x, y]] = ASeries[ASeries\$66]
 LieMorphism\$23[AW[x, x, y, x, y]] = ASeries[ASeries\$95]
 LieMorphism\$23[AW[y, y, x]] = ASeries[ASeries\$36]
 LieMorphism\$23[AW[x, y, y, y, y]] = ASeries[ASeries\$113]
 LieMorphism\$23[AW[y, x, x]] = ASeries[ASeries\$91]
 LieMorphism\$23[ASeries[ASeries\$14]] = ASeries[ASeries\$24]
 LieMorphism\$23[AW[x, y, y, y]] = ASeries[ASeries\$69]
 LieMorphism\$23[AW[]] = ASeries[ASeries\$16]

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LieMorphism$23[AW[x, y, y]] = ASeries[ASeries$34]

LieMorphism$23[AW[y, x, x, x]] = ASeries[ASeries$62]

LieMorphism$23[AW[y, y, x, y, x]] = ASeries[ASeries$111]

LieMorphism$23[AW[x, y]] = ASeries[ASeries$28]

LieMorphism$23[AW[x, y, x, x, x]] = ASeries[ASeries$93]

LieMorphism$23[AW[y, x, y, x]] = ASeries[ASeries$67]

LieMorphism$23[AW[x, x, y, y]] = ASeries[ASeries$63]

LieMorphism$23[AW[y, y, x, y]] = ASeries[ASeries$71]

LieMorphism$23[AW[x, x, x, x, y]] = ASeries[ASeries$89]

LieMorphism$23[AW[y, y, y, y, x]] = ASeries[ASeries$117]

LieMorphism$23[AW[x, x, x, x]] = ASeries[ASeries$58]

LieMorphism$23[AW[x, x]] = ASeries[ASeries$25]

LieMorphism$23[Support] = {LW[x], LW[y]}

LieMorphism$23[AW[x, x, y, y, x]] = ASeries[ASeries$96]

LieMorphism$23[AW[y, x, x, y, y]] = ASeries[ASeries$109]

LieMorphism$23[FreeLie`Private`w$_LW] /; Deg[FreeLie`Private`w$] == 1 :=
LieMorphism$23[FreeLie`Private`w$] =
FreeLie`Private`MakeLieSeries[FreeLie`Private`w$ /. {LW[x] → LW[y], LW[y] → 0}]

LieMorphism$23[FreeLie`Private`w_LW] := LieMorphism$23[FreeLie`Private`w] =
b@@LieMorphism$23/@LyndonFactorization[FreeLie`Private`w]

LieMorphism$23[AW[FreeLie`Private`w$_]] := LieMorphism$23[AW[FreeLie`Private`w$]] =
L[FreeLie`Private`MakeLieSeries[LW[FreeLie`Private`w$] /. {LW[x] → LW[y], LW[y] → 0}]]

LieMorphism$23[FreeLie`Private`w_AW] :=
LieMorphism$23[FreeLie`Private`w] = Module[{FreeLie`Private`w1, FreeLie`Private`w2},
FreeLie`Private`w1 = Take[FreeLie`Private`w, Floor[Length[FreeLie`Private`w]/2]];
FreeLie`Private`w2 = Drop[FreeLie`Private`w, Floor[Length[FreeLie`Private`w]/2]];
LieMorphism$23[FreeLie`Private`w1] ** LieMorphism$23[FreeLie`Private`w2]]

LieMorphism$23[FreeLie`Private`w_CW] := tr[LieMorphism$23[AW@@FreeLie`Private`w]]

LieMorphism$23[FreeLie`Private`s_LieSeries] := LieMorphism$23[FreeLie`Private`s] =
New[LieSeries[FreeLie`Private`ser], FreeLie`Private`ser[FreeLie`Private`d_] :=

```


$$\text{FreeLiePrivate`ser}[\text{FreeLiePrivate`d}] = \sum_{\text{FreeLiePrivate`k}=1}^{\text{FreeLiePrivate`d}} \text{LieMorphism\$23}[\text{FreeLiePrivate`s}[\text{FreeLiePrivate`k}]][\text{FreeLiePrivate`d}]$$

$$\text{LieMorphism\$23}[\text{FreeLiePrivate`as_ASeries}] := \text{LieMorphism\$23}[\text{FreeLiePrivate`as}] =$$

$$\text{New}[\text{ASeries}[\text{FreeLiePrivate`ser}], \text{FreeLiePrivate`ser}[\text{FreeLiePrivate`d}_]] :=$$

$$\text{FreeLiePrivate`ser}[\text{FreeLiePrivate`d}] = \sum_{\text{FreeLiePrivate`k}=1}^{\text{FreeLiePrivate`d}} \text{LieMorphism\$23}[\text{FreeLiePrivate`as}[\text{FreeLiePrivate`k}]][\text{FreeLiePrivate`d}]$$

$$\text{LieMorphism\$23}[\text{FreeLiePrivate`cws_CWSeries}] := \text{LieMorphism\$23}[\text{FreeLiePrivate`cws}] =$$

$$\text{New}[\text{CWSeries}[\text{FreeLiePrivate`ser}], \text{FreeLiePrivate`ser}[\text{FreeLiePrivate`d}_]] :=$$

$$\text{FreeLiePrivate`ser}[\text{FreeLiePrivate`d}] = \sum_{\text{FreeLiePrivate`k}=1}^{\text{FreeLiePrivate`d}} \text{LieMorphism\$23}[\text{FreeLiePrivate`cws}[\text{FreeLiePrivate`k}]][\text{FreeLiePrivate`d}]$$

Full Name Global`LieMorphism\$23



In[*]:= ? ASeries\$27

Out[*n*]=

Symbol
Global`ASeries\$27
Definitions
$\text{ASeries\$27}[0] = 0$
$\text{ASeries\$27}[2] = 0$
$\text{ASeries\$27}[1] = 0$
$\text{ASeries\$27}[3] = 0$
$\text{ASeries\$27}[4] = 0$
$\text{ASeries\$27}[5] = 0$
$\text{ASeries\$27}[\text{FreeLie`Private`d\$}_] /; \text{FreeLie`Private`d\$} > 0 :=$
$\text{ASeries\$27}[\text{FreeLie`Private`d\$}] = \mathcal{L}[\text{LieSeries}[\text{LieSeries\$26}][\text{FreeLie`Private`d\$}]]$
Full Name Global`ASeries\$27
^

In[*]:= ? LieSeries\$26

Out[*]=

Symbol
Global`LieSeries\$26
Definitions
$\text{LieSeries\$26}[2] = 0$ $\text{LieSeries\$26}[1] = 0$ $\text{LieSeries\$26}[3] = 0$ $\text{LieSeries\$26}[4] = 0$ $\text{LieSeries\$26}[5] = 0$ $\text{LieSeries\$26}[\text{FreeLie`Private`d\$_Integer}] := \text{LieSeries\$26}[\text{FreeLie`Private`d\$}] =$ $\text{Expand}[0 /. \text{FreeLie`Private`w\$_LW} /. ; \text{Deg}[\text{FreeLie`Private`w\$}] \neq \text{FreeLie`Private`d\$} \rightarrow 0]$
Full Name Global`LieSeries\$26
^

In[*]:= ψ

Out[*]=

LieSeries[LieSeries\$13]

In[*]:= ? LieSeries\$13

Out[*]=

Symbol
Global`LieSeries\$13
Definitions
<pre> LieSeries\$13[FreeLie`Private`setter] = FreeLie`Private`solver\$4248 LieSeries\$13[1] = 0 LieSeries\$13[2] = 0 LieSeries\$13[3] = 0 LieSeries\$13[4] = 0 LieSeries\$13[5] = 0 LieSeries\$13[6] = 0 LieSeries\$13[FreeLie`Private`d\$_Integer, UndeterminedCoefficients] := Cases[ψs @@@ AllLyndonWords[FreeLie`Private`d\$, {LW[x], LW[y]}], _ψs] LieSeries\$13[FreeLie`Private`d\$_Integer] := If[LieSeries\$13[FreeLie`Private`setter] != Null, LieSeries\$13[FreeLie`Private`setter][FreeLie`Private`d\$]; LieSeries\$13[FreeLie`Private`d\$], Plus @@ (#1 ψs @@@ #1 &) /@ AllLyndonWords[FreeLie`Private`d\$, {LW[x], LW[y]}]] </pre>
Full Name Global`LieSeries\$13
^

In[*]:= ? FreeLie`Private`solver\$4248

Out[*]=

Symbol
FreeLie`Private`solver\$4248
Definitions

```

FreeLie`Private`solver$4248[0] = Null

FreeLie`Private`solver$4248[1] = Null

FreeLie`Private`solver$4248[2] = Null

FreeLie`Private`solver$4248[3] = Null

FreeLie`Private`solver$4248[4] = Null

FreeLie`Private`solver$4248[5] = Null

FreeLie`Private`solver$4248[6] = Null

FreeLie`Private`solver$4248[FreeLie`Private`n$_] :=
(FreeLie`Private`solver$4248[FreeLie`Private`n$ - 1];
( (#1[FreeLie`Private`setter] = Null) & ) /@First /@ {LieSeries[LieSeries$13]};
FreeLie`Private`lineqs$4248 = BooleanSequence[BooleanSequence$57][FreeLie`Private`n$];
FreeLie`Private`lineqs$4248 = If[Head[FreeLie`Private`lineqs$4248] === And,
List@@FreeLie`Private`lineqs$4248, {FreeLie`Private`lineqs$4248}];
FreeLie`Private`gens$4248 = Union[
Cases[FreeLie`Private`lineqs$4248, _LW | _CW | _AW, ∞]];
FreeLie`Private`lineqs$4248 = Flatten[Replace[FreeLie`Private`lineqs$4248,
FreeLie`Private`lhs$_ == FreeLie`Private`rhs$_ -> (Coefficient[FreeLie`Private`lhs$,
#1] == Coefficient[FreeLie`Private`rhs$, #1] & ) /@FreeLie`Private`gens$4248, {1}]];
FreeLie`Private`vars$4248 = Union@@ (#1[FreeLie`Private`n$,
UndeterminedCoefficients] & ) /@ {LieSeries[LieSeries$13]};
FreeLie`Private`sol$4248 = Quiet[Solve[FreeLie`Private`lineqs$4248,
FreeLie`Private`vars$4248], {Solve::svars}];
If[FreeLie`Private`sol$4248 === {}, AppendTo[FreeLie`Private`msgs$4248,
{NoSolution, FreeLie`Private`n$}];
Message[SeriesSolve::NoSolution, FreeLie`Private`n$];
Abort[], FreeLie`Private`sol$4248 = FreeLie`Private`sol$4248[[1]];
FreeLie`Private`fvars$4248 =
Complement[FreeLie`Private`vars$4248, First /@FreeLie`Private`sol$4248];
FreeLie`Private`avals$4248 = FreeLie`Private`arbitrator$4248[
FreeLie`Private`fvars$4248];
AppendTo[FreeLie`Private`msgs$4248, {ArbitrarilySetting, FreeLie`Private`n$,
Thread[Hold /@FreeLie`Private`fvars$4248 -> FreeLie`Private`avals$4248] }];
If[FreeLie`Private`fvars$4248 != {}, Message[SeriesSolve::ArbitrarilySetting,

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```
FreeLie`Private`n$, Thread[FreeLie`Private`fvars$4248 → FreeLie`Private`avals$4248]]];
MapThread[{#1 == #2} &, {FreeLie`Private`fvars$4248, FreeLie`Private`avals$4248}];
FreeLie`Private`sol$4248 /. Rule → Set;
(#1[FreeLie`Private`n$] == #1[FreeLie`Private`n$]) & /@
First /@ {LieSeries[LieSeries$13]};
(#1[FreeLie`Private`setter] == FreeLie`Private`solver$4248) & /@
First /@ {LieSeries[LieSeries$13]};
FreeLie`Private`solver$4248[FreeLie`Private`n$] == Null])

Attributes {Temporary}
Full Name FreeLie`Private`solver$4248
```

In[]:= $\psi_1 = \text{LS}\{\text{LW}[x], \text{LW}[y], \psi_1\}$

Out[]:=

$$\text{LS}\left[\overline{x} \psi_1[x] + \overline{y} \psi_1[y], \overline{xy} \psi_1[x, y], \overline{x \overline{xy}} \psi_1[x, x, y] + \overline{xy \overline{y}} \psi_1[x, y, y], \dots\right]$$

In[]:= **Timing**[P3[ψ_1][9]]

Out[]:=

```
{0., 7 AW[x, x, x, x, x, x, x, x, y]  $\psi_1[x, x, x, x, x, x, x, x, y]$  -
 28 AW[x, x, x, x, x, x, x, y, x]  $\psi_1[x, x, x, x, x, x, x, x, y]$  -
 AW[x, x, x, x, x, x, y, y]  $\psi_1[x, x, x, x, x, x, x, x, y]$  + ... 13 119 ... +
 126 AW[y, y, y, y, x, y, y, y, y]  $\psi_1[x, y, y, y, y, y, y, y, y]$  -
 84 AW[y, y, y, y, y, x, y, y, y]  $\psi_1[x, y, y, y, y, y, y, y, y]$  +
 36 AW[y, y, y, y, y, y, x, y, y]  $\psi_1[x, y, y, y, y, y, y, y, y]$  -
 9 AW[y, y, y, y, y, y, y, x, y]  $\psi_1[x, y, y, y, y, y, y, y, y]$  +
 AW[y, y, y, y, y, y, y, y, x]  $\psi_1[x, y, y, y, y, y, y, y, y]$ }
```

Full expression not available (original memory size: 2.7 MB)

In[]:= **P3**[ψ] := **Module**[{pd},
 pd = τ [LW[y], ψ];
 pd + **LieMorphism**[{LW[x] → LW[y], LW[y] → 0}]@pd -
LieMorphism[{LW[x] → LW[x] + LW[y], LW[y] → 0}]@pd - 2 **R**_{x,y}[ψ]
]

In[]:= **Timing**[P3[ψ_1][9]]

Out[]:=

```
{1.71875, LieMorphism$23[
 AW[x, x, x, x, x, x, x, x, x]  $\psi_1[x, x, x, x, x, x, x, x, y]$  + AW[x, x, x, x, x, x, x, x, y]  $\psi_1[x, x, x, x, x, x, x, x, y]$  -
 2 AW[x, x, x, x, x, x, y, x]  $\psi_1[x, x, x, x, x, x, x, x, y]$  + AW[x, x, x, x, x, x, x, y, x]  $\psi_1[x, x, x, x, x, x, x, x, y]$  -
 3 AW[x, x, x, x, x, y, x, x]  $\psi_1[x, x, x, x, x, x, x, x, y]$  + 2 AW[x, x, x, x, y, x, x, x]  $\psi_1[x, x, x, x, x, x, x, x, y]$  +
 ... 13 13 ... + 70 AW[y, y, y, y, x, y, y, y, y]  $\psi_1[x, y, y, y, y, y, y, y, y]$  - 56 AW[y, y, y, y, x, y, y, y, y]
  $\psi_1[x, y, y, y, y, y, y, y, y]$  + 28 AW[y, y, y, y, y, x, y, y]  $\psi_1[x, y, y, y, y, y, y, y, y]$  -
 8 AW[y, y, y, y, y, y, y, y, x]  $\psi_1[x, y, y, y, y, y, y, y, y]$ ] - LieMorphism$37[... 1 ...] + ... 13 29 ...}
```

Full expression not available (original memory size: 1.6 MB)