Topological Manin Triples

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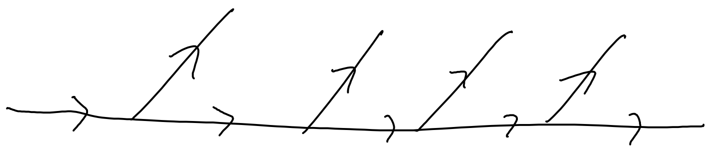
The following comes from EKI, page 24:

Let $\mathfrak{g}$ be a Lie algebra with a nondegenerate invariant inner product $\langle , \rangle$. So far we have no topology on $\mathfrak{g}$. Let $\mathfrak{g}_+$,$\mathfrak{g}_-$ be isotropic Lie subalgebras in $\mathfrak{g}$, such that $\mathfrak{g} = \mathfrak{g}_+ \oplus \mathfrak{g}_-$ as a vector space. The inner product $\langle , \rangle$ defines an embedding $\mathfrak{g}_- \to \mathfrak{g}_+^*$. If this embedding is an isomorphism then we equip $\mathfrak{g}$ with a topology, by putting the discrete topology on $\mathfrak{g}_+$ and the weak topology on $\mathfrak{g}_-$. If in addition the commutator in $\mathfrak{g}$ is continuous in this topology then the triple $(\mathfrak{g}, \mathfrak{g}_+, \mathfrak{g}_-)$ is called a Manin triple.

<u>Question</u> Does this have a diagrammatic interpretation?

 $= 0$?