



**Abstract.** I will explain how the computation of compositions of maps of a certain natural class, from one polynomial ring into another, naturally leads to a certain composition operation of quadratics and to Feynman diagrams. I will also explain, with very little detail, how this is used in the construction of some very well-behaved poly-time computable knot polynomials.

**The PBW Principle** Lots of algebras are isomorphic as vector spaces to polynomial algebras. So we want to understand arbitrary linear maps between polynomial algebras.

**Gentle Agreement.** Everything converges!

**Convention.** For a finite set  $A$ , let  $z_A := \{z_i\}_{i \in A}$  and let  $\zeta_A := \{\zeta_i^*\}_{i \in A}$ .  $(y, b, a, x)^* = (\eta, \beta, \alpha, \xi)$

**The Generating Series  $\mathcal{G}$ :**  $\text{Hom}(\mathbb{Q}[z_A] \rightarrow \mathbb{Q}[z_B]) \rightarrow \mathbb{Q}[\zeta_A, z_B]$ .

**Claim.**  $L \in \text{Hom}(\mathbb{Q}[z_A] \rightarrow \mathbb{Q}[z_B]) \xrightarrow{\mathcal{G}} \mathbb{Q}[z_B][[\zeta_A]] \ni \mathcal{L}$  via

$$\mathcal{G}(L) := \sum_{n \in \mathbb{N}^A} \frac{\zeta_A^n}{n!} L(z_A^n) = L(\oplus_{a \in A} \zeta_a z_a) = \mathcal{L} = \text{greek } \mathcal{L}_{\text{latin}}$$

$$\mathcal{G}^{-1}(\mathcal{L})(p) = (p|_{z_a \rightarrow \partial_{z_a} \mathcal{L}})_{\zeta_a=0} \quad \text{for } p \in \mathbb{Q}[z_A].$$

**Claim.** If  $L \in \text{Hom}(\mathbb{Q}[z_A] \rightarrow \mathbb{Q}[z_B])$ ,  $M \in \text{Hom}(\mathbb{Q}[z_B] \rightarrow \mathbb{Q}[z_C])$ , then  $\mathcal{G}(L \circ M) = (\mathcal{G}(L)|_{z_b \rightarrow \partial_{z_b} \mathcal{G}(M)})_{\zeta_b=0}$ .

**Basic Examples. 1.**  $\mathcal{G}(\text{id}: \mathbb{Q}[y, a, x] \rightarrow \mathbb{Q}[y, a, x]) = e^{\eta y + \alpha a + \xi x}$ .

2. The standard commutative product  $m_k^{ij}$  of polynomials is given by  $z_i, z_j \rightarrow z_k$ . Hence  $\mathcal{G}(m_k^{ij}) = m_k^{ij}(\oplus_{i,j} \zeta_i z_i + \zeta_j z_j) = e^{(\zeta_i + \zeta_j) z_k}$ .

$$\begin{array}{ccc} \mathbb{Q}[z_i] \otimes \mathbb{Q}[z_j] & \xrightarrow{m_k^{ij}} & \mathbb{Q}[z_k] \\ \parallel & & \parallel \\ \mathbb{Q}[z_i, z_j] & \xrightarrow{m_k^{ij}} & \mathbb{Q}[z_k] \end{array}$$

3. The standard co-commutative co-product  $\Delta_{jk}^i$  of polynomials is given by  $z_i \rightarrow z_j + z_k$ . Hence  $\mathcal{G}(\Delta_{jk}^i) = \Delta_{jk}^i(\oplus_{i,j} \zeta_i z_i) = e^{\zeta_i(z_j + z_k)}$ .

$$\begin{array}{ccc} \mathbb{Q}[z_i] & \xrightarrow{\Delta_{jk}^i} & \mathbb{Q}[z_j] \otimes \mathbb{Q}[z_k] \\ \parallel & & \parallel \\ \mathbb{Q}[z_i] & \xrightarrow{\Delta_{jk}^i} & \mathbb{Q}[z_j, z_k] \end{array}$$

**Heisenberg Algebras.** Let  $\mathbb{H} = \langle x, y \rangle / [x, y] = \hbar$  (with  $\hbar$  a scalar), let  $\mathbb{O}_i: \mathbb{Q}[x_i, y_i] \rightarrow \mathbb{H}_i$  is the “ $x$  before  $y$ ” PBW ordering map and let  $hm_k^{ij}$  be the composition

$$\mathbb{Q}[x_i, y_i, x_j, y_j] \xrightarrow{\mathbb{O}_i \otimes \mathbb{O}_j} \mathbb{H}_i \otimes \mathbb{H}_j \xrightarrow{m_k^{ij}} \mathbb{H}_k \xrightarrow{\mathbb{O}_k^{-1}} \mathbb{Q}[x_k, y_k].$$

Then  $\mathcal{G}(hm_k^{ij}) = e^{\Lambda_{\hbar}}$ , where  $\Lambda_{\hbar} = -\hbar \eta_i \xi_j + (\xi_i + \xi_j) x_k + (\eta_i + \eta_j) y_k$ .

**Proof 1.** Recall the “Weyl form of the CCR”  $e^{\eta y} e^{\xi x} = e^{-\hbar \eta \xi} e^{\xi x} e^{\eta y}$ , and compute

$$\begin{aligned} \mathcal{G}(hm_k^{ij}) &= e^{\xi_i x_i + \eta_i y_i + \xi_j x_j + \eta_j y_j} \parallel \mathbb{O}_i \otimes \mathbb{O}_j \parallel m_k^{ij} \parallel \mathbb{O}_k^{-1} \\ &= e^{\xi_i x_i} e^{\eta_i y_i} e^{\xi_j x_j} e^{\eta_j y_j} \parallel m_k^{ij} \parallel \mathbb{O}_k^{-1} = e^{\xi_i x_k} e^{\eta_i y_k} e^{\xi_j x_k} e^{\eta_j y_k} \parallel \mathbb{O}_k^{-1} \\ &= e^{-\hbar \eta_i \xi_j} e^{(\xi_i + \xi_j) x_k} e^{(\eta_i + \eta_j) y_k} \parallel \mathbb{O}_k^{-1} = e^{\Lambda_{\hbar}}. \end{aligned}$$

**Proof 2.** We compute in a faithful 3D representation  $\rho$  of  $\mathbb{H}$ :

$$\left\{ \hat{x} = \begin{pmatrix} 0 & 1 & 0 \\ 0 & 0 & 0 \\ 0 & 0 & 0 \end{pmatrix}, \hat{y} = \begin{pmatrix} 0 & 0 & 0 \\ 0 & 0 & \hbar \\ 0 & 0 & 0 \end{pmatrix}, \hat{c} = \begin{pmatrix} 0 & 0 & 1 \\ 0 & 0 & 0 \\ 0 & 0 & 0 \end{pmatrix} \right\}; \quad (\omega \epsilon \beta / \text{hm})$$

$$\{\hat{x} \cdot \hat{y} - \hat{y} \cdot \hat{x} = \hbar \hat{c}, \hat{x} \cdot \hat{c} = \hat{c} \cdot \hat{x}, \hat{y} \cdot \hat{c} = \hat{c} \cdot \hat{y}\}$$

{True, True, True}

$$\Lambda = -\hbar \eta_i \xi_j c_k + (\xi_i + \xi_j) x_k + (\eta_i + \eta_j) y_k;$$

**Simplify@With** [ { $\mathbb{E}$  = MatrixExp},

$$\begin{aligned} &\mathbb{E}[\hat{x} \xi_i] \cdot \mathbb{E}[\hat{y} \eta_i] \cdot \mathbb{E}[\hat{x} \xi_j] \cdot \mathbb{E}[\hat{y} \eta_j] = \\ &\mathbb{E}[\hat{x} \partial_{x_k} \Lambda] \cdot \mathbb{E}[\hat{y} \partial_{y_k} \Lambda] \cdot \mathbb{E}[\hat{c} \partial_{c_k} \Lambda] \end{aligned}$$

True

**A Real DoPeGDO Example** (DoPeGDO:=Docile Perturbed Gaussian Differential Operators). Let  $sl_{2+}^{\epsilon} := L\langle y, b, a, x \rangle$  subject to  $[a, x] = x$ ,  $[b, y] = -\epsilon y$ ,  $[a, b] = 0$ ,  $[a, y] = -y$ ,  $[b, x] = \epsilon x$ , and  $[x, y] = \epsilon a + b$ . So  $t := \epsilon a - b$  is central and if  $\exists \epsilon^{-1}$ ,  $sl_{2+}^{\epsilon} \cong sl_2 \oplus \langle t \rangle$ . Let  $CU := \mathcal{U}(sl_{2+}^{\epsilon})$ , and let  $cm_k^{ij}$  be the composition below, where  $\mathbb{O}_i: \mathbb{Q}[y_i, b_i, a_i, x_i] \rightarrow CU_i$  be the PBW ordering map in the order  $ybx$ :

$$\begin{array}{ccc} CU_i \otimes CU_j & \xrightarrow{m_k^{ij}} & CU_k \\ \uparrow \mathbb{O}_{i,j} & & \uparrow \mathbb{O}_k \\ \mathbb{Q}[y_i, b_i, a_i, x_i, y_j, b_j, a_j, x_j] & \xrightarrow{cm_k^{ij}} & \mathbb{Q}[y_k, b_k, a_k, x_k] \end{array}$$

**Claim.** Let (all drawn and no brains)

$$\Lambda = \left( \eta_i + \frac{e^{-\alpha_i - \epsilon \beta_i} \eta_j}{1 + \epsilon \eta_j \xi_i} \right) y_k + \left( \beta_i + \beta_j + \frac{\log(1 + \epsilon \eta_j \xi_i)}{\epsilon} \right) b_k + \left( \alpha_i + \alpha_j + \log(1 + \epsilon \eta_j \xi_i) \right) a_k + \left( \frac{e^{-\alpha_j - \epsilon \beta_j} \xi_i}{1 + \epsilon \eta_j \xi_i} + \xi_j \right) x_k$$

Then  $e^{\eta_i y_i + \beta_i b_i + \alpha_i a_i + \xi_i x_i + \eta_j y_j + \beta_j b_j + \alpha_j a_j + \xi_j x_j} \parallel \mathbb{O}_{i,j} \parallel cm_k^{ij} = e^{\Lambda} \parallel \mathbb{O}_k$ , and hence  $\mathcal{G}(cm_k^{ij}) = e^{\Lambda}$ .

**Proof.** We compute in a faithful 2D representation  $\rho$  of  $CU$ :

$$\left\{ \hat{y} = \begin{pmatrix} 0 & 0 \\ \epsilon & 0 \end{pmatrix}, \hat{b} = \begin{pmatrix} 0 & 0 \\ 0 & -\epsilon \end{pmatrix}, \hat{a} = \begin{pmatrix} 1 & 0 \\ 0 & 0 \end{pmatrix}, \hat{x} = \begin{pmatrix} 0 & 1 \\ 0 & 0 \end{pmatrix} \right\}; \quad (\omega \epsilon \beta / \text{sl2})$$

$$\begin{aligned} \{\hat{a} \cdot \hat{x} - \hat{x} \cdot \hat{a} = \hat{x}, \hat{a} \cdot \hat{y} - \hat{y} \cdot \hat{a} = -\hat{y}, \hat{b} \cdot \hat{y} - \hat{y} \cdot \hat{b} = -\epsilon \hat{y}, \\ \hat{b} \cdot \hat{x} - \hat{x} \cdot \hat{b} = \epsilon \hat{x}, \hat{x} \cdot \hat{y} - \hat{y} \cdot \hat{x} = \hat{b} + \epsilon \hat{a}\} \end{aligned}$$

{True, True, True, True, True}

**Simplify@With** [ { $\mathbb{E}$  = MatrixExp},

$$\begin{aligned} &\mathbb{E}[\eta_i \hat{y}] \cdot \mathbb{E}[\beta_i \hat{b}] \cdot \mathbb{E}[\alpha_i \hat{a}] \cdot \mathbb{E}[\xi_i \hat{x}] \cdot \mathbb{E}[\eta_j \hat{y}] \cdot \mathbb{E}[\beta_j \hat{b}] \cdot \\ &\mathbb{E}[\alpha_j \hat{a}] \cdot \mathbb{E}[\xi_j \hat{x}] = \mathbb{E}[\hat{y} \partial_{y_k} \Lambda] \cdot \mathbb{E}[\hat{b} \partial_{b_k} \Lambda] \cdot \mathbb{E}[\hat{a} \partial_{a_k} \Lambda] \cdot \\ &\mathbb{E}[\hat{x} \partial_{x_k} \Lambda] \end{aligned}$$

True

**Series** [  $\Lambda$ , { $\epsilon$ , 0, 2} ]

$$\begin{aligned} &(a_k (\alpha_i + \alpha_j) + y_k (\eta_i + e^{-\alpha_i} \eta_j) + \\ &b_k (\beta_i + \beta_j + \eta_j \xi_i) + x_k (e^{-\alpha_j} \xi_i + \xi_j)) + \\ &\left( a_k \eta_j \xi_i - \frac{1}{2} b_k \eta_j^2 \xi_i^2 - e^{-\alpha_i} y_k \eta_j (\beta_i + \eta_j \xi_i) - \right. \\ &\left. e^{-\alpha_j} x_k \xi_i (\beta_j + \eta_j \xi_i) \right) \epsilon + \\ &\left( -\frac{1}{2} a_k \eta_j^2 \xi_i^2 + \frac{1}{3} b_k \eta_j^3 \xi_i^3 + \frac{1}{2} e^{-\alpha_i} y_k \eta_j (\beta_i^2 + 2 \beta_i \eta_j \xi_i + 2 \eta_j^2 \xi_i^2) + \right. \\ &\left. \frac{1}{2} e^{-\alpha_j} x_k \xi_i (\beta_j^2 + 2 \beta_j \eta_j \xi_i + 2 \eta_j^2 \xi_i^2) \right) \epsilon^2 + 0[\epsilon]^3 \end{aligned}$$

**Note 1.** If the lower half of the alphabet  $(a, b, \alpha, \beta)$  is regarded as constants, then  $\Lambda = C + Q + \sum_{k \geq 1} \epsilon^k P^{(k)}$  is a docile perturbed Gaussian relative to the upper half of the alphabet  $(x, y, \xi, \eta)$ :  $C$  is a scalar,  $Q$  is a quadratic, and  $\deg P^{(k)} \leq 2k + 2$ .

**Note 2.**  $\text{wt}(x, y, \xi, \eta; a, b, \alpha, \beta; \epsilon) = (1, 1, 1, 1; 2, 0, 0, 2; -2)$ .

**Quadratic Casimirs.** If  $t \in \mathfrak{g} \otimes \mathfrak{g}$  is the quadratic Casimir of a semi-simple Lie algebra  $\mathfrak{g}$ , then  $e^t$ , regarded by PBW as an element of  $\mathcal{S}^{\otimes 2} = \text{Hom}(\mathcal{S}(\mathfrak{g})^{\otimes 0} \rightarrow \mathcal{S}(\mathfrak{g})^{\otimes 2})$ , has a latin-latin dominant Gaussian factor. Likewise for  $R$ -matrices.

**DoPeGDO** := The category with objects finite sets<sup>†1</sup> and

$$\text{mor}(A \rightarrow B) = \{ \mathcal{L} = \omega \exp(Q + P) \} \subset \mathbb{Q}[\zeta_A, z_B, \epsilon],$$

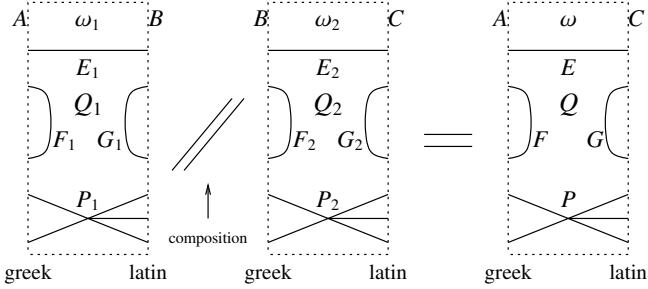
where: •  $\omega$  is a scalar.<sup>†2</sup> •  $Q$  is a “small”  $\epsilon$ -free quadratic in  $\zeta_A \cup z_B$ .<sup>†3</sup> •  $P$  is a “docile perturbation”:  $P = \sum_{k \geq 1} \epsilon^k P^{(k)}$ , where  $\deg P^{(k)} \leq 2k + 2$ .<sup>†4</sup> • Compositions:<sup>†6</sup>  $\mathcal{L} \circ \mathcal{M} := (\mathcal{L}|_{z_i \rightarrow \partial_{z_i} \mathcal{M}})_{\zeta_i=0}$ .

**So What?** If  $V$  is a representation, then  $V^{\otimes n}$  explodes as a function of  $n$ , while in **DoPeGDO** up to a fixed power of  $\epsilon$ , the ranks of  $\text{mor}(A \rightarrow B)$  grow polynomially as a function of  $|A|$  and  $|B|$ .

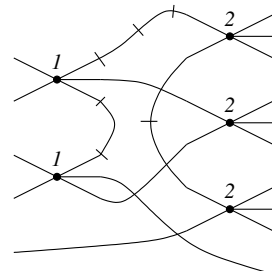
**Compositions.** In  $\text{mor}(A \rightarrow B)$ ,

$$Q = \sum_{i \in A, j \in B} E_{ij} \zeta_i z_j + \frac{1}{2} \sum_{i, j \in A} F_{ij} \zeta_i \zeta_j + \frac{1}{2} \sum_{i, j \in B} G_{ij} z_i z_j,$$

and so



- $E = E_1(I - F_2 G_1)^{-1} E_2$ .
- $F = F_1 + E_1 F_2 (I - G_1 F_2)^{-1} E_1^T$ .
- $G = G_2 + E_2^T G_1 (I - F_2 G_1)^{-1} E_2$ .
- $\omega = \omega_1 \omega_2 \det(I - F_2 G_1)^{-1}$ .
- $P$  is computed as the solution of a messy PDE or using “connected Feynman diagrams” (yet we’re still in pure algebra!). Docility is preserved.

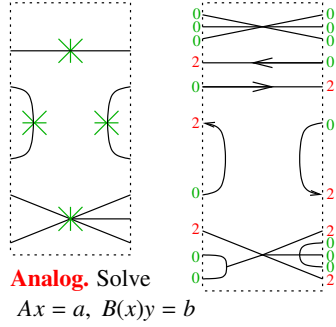


**DoPeGDO Footnotes.** Each variable has a “weight”  $\in \{0, 1, 2\}$ , and always  $\text{wt } z_i + \text{wt } \zeta_i = 2$ .

- †1. Really, “weight-graded finite sets”  $A = A_0 \sqcup A_1 \sqcup A_2$ .
- †2. Really, a power series in the weight-0 variables†5.
- †3. The weight of  $Q$  must be 2, so it decomposes as  $Q = Q_{20} + Q_{11}$ . The coefficients of  $Q_{20}$  are rational numbers while the coefficients of  $Q_{11}$  may be weight-0 power series†5.
- †4. Setting  $\text{wt } \epsilon = -2$ , the weight of  $P$  is  $\leq 2$  (so the powers of the weight-0 variables are not constrained)†5.
- †5. In the knot-theoretic case, all weight-0 power series are rational functions of bounded degree in the exponentials of the weight-0 variables.
- †6. There’s also an obvious product  $\text{mor}(A_1 \rightarrow B_1) \times \text{mor}(A_2 \rightarrow B_2) \rightarrow \text{mor}(A_1 \sqcup A_2 \rightarrow B_1 \sqcup B_2)$ .

**Full DoPeGDO.** Compute compositions in two phases:

- A 1-1 phase over the ring of power series in the weight-0 variables, in which the weight-2 variables are spectators.
- A (slightly modified) 2-0 phase over  $\mathbb{Q}$ , in which the weight-1 variables are spectators.

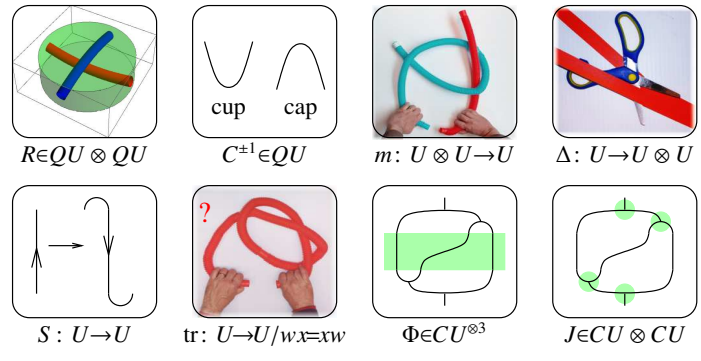


**Questions.** • Are there QFT precedents for “two-step Gaussian integration”?

- In QFT, one saves even more by considering “one-particle-irreducible” diagrams and “effective actions”. Does this mean anything here?
- Understanding  $\text{Hom}(\mathbb{Q}[z_A] \rightarrow \mathbb{Q}[z_B])$  seems like a good cause. Can you find other applications for the technology here?

$$\left( \begin{aligned} QU &= \mathcal{U}_h(sl_{2+}^{\epsilon}) = A(y, b, a, x) [\hbar] \text{ with } [a, x] = x, [b, y] = -\epsilon y, [a, b] = 0, \\ [a, y] &= -y, [b, x] = \epsilon x, \text{ and } xy - qyx = (1 - AB)/\hbar, \text{ where } q = e^{\hbar \epsilon}, A = e^{-\hbar \epsilon a}, \\ \text{and } B &= e^{-\hbar b}. \text{ Also } \Delta(y, b, a, x) = (y_1 + B_1 y_2, b_1 + b_2, a_1 + a_2, x_1 + A_1 x_2), \\ S(y, b, a, x) &= (-B^{-1} y, -b, -a, -A^{-1} x), \text{ and } R = \sum \hbar^{j+k} y^k b^j \otimes a^i x^k / j! [k]_q! \end{aligned} \right)$$

**Theorem.** Everything of value regarding  $U = CU$  and/or its quantization  $U = QU$  is **DoPeGDO**:

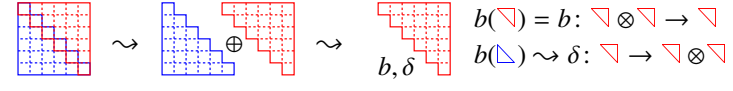
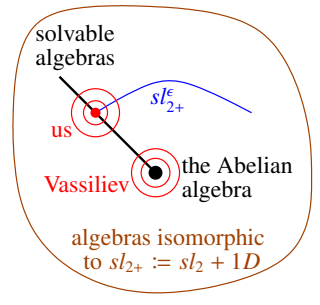


also Cartan’s  $\theta$ , the Dequantizer, and more, and all of their compositions.

**Solvable Approximation.** In  $sl_n$ , half is enough!

Indeed  $sl_n \oplus \mathfrak{a}_{n-1} = \mathcal{D}(\nabla, b, \delta)$ . Now define  $sl_{n+}^{\epsilon} := \mathcal{D}(\nabla, b, \epsilon \delta)$ . Schematically, this is  $[\nabla, \nabla] = \nabla$ ,  $[\Delta, \Delta] = \epsilon \Delta$ , and  $[\nabla, \Delta] = \Delta + \epsilon \nabla$ . The same process works for all semi-simple Lie algebras, and at  $\epsilon^{k+1} = 0$  always yields a solvable Lie algebra.

**4D Metrized Lie Algebras**











































**Conclusion.** There are lots of poly-time-computable well-behaved near-Alexander knot invariants: • They extend to tangles with appropriate multiplicative behaviour. • They have cabling and strand reversal formulas.  $\omega \epsilon \beta / \text{aft}$   
The invariant for  $sl_{2+}^{\epsilon} / (\epsilon^2 = 0)$  (prior art:  $\omega \epsilon \beta / \text{Ov}$ ) attains 2,883 distinct values on the 2,978 prime knots with  $\leq 12$  crossings. HOMFLY-PT and Khovanov homology together attain only 2,786 distinct values.

knot diag	$n_k^{\epsilon}$ $(\rho_1^{\epsilon})^+$	Alexander’s $\omega^+$ $(\rho_2^{\epsilon})^+$	genus / ribbon unknotting # / amphi?	knot diag	$n_k^{\epsilon}$ $(\rho_1^{\epsilon})^+$	Alexander’s $\omega^+$ $(\rho_2^{\epsilon})^+$	genus / ribbon unknotting # / amphi?	knot diag	$n_k^{\epsilon}$ $(\rho_1^{\epsilon})^+$	Alexander’s $\omega^+$ $(\rho_2^{\epsilon})^+$	genus / ribbon unknotting # / amphi?
	$0_1^a$ 0	1	0 / ✓ 0 / ✓		$3_1^a$ T	T-1	1 / ✗ 1 / ✗		$4_1^a$ 0	3-T	1 / ✗ 1 / ✓
	$5_1^a$ $2T^3 + 3T$	$T^2 - T + 1$	2 / ✗ 2 / ✗		$5_2^a$ $5T - 4$	$2T - 3$	1 / ✗ 1 / ✗		$6_1^a$ T-4	5-2T	1 / ✓ 1 / ✗
	$6_2^a$ $T^3 - 4T^2 + 4T - 4$	$5T^7 - 20T^6 + 55T^5 - 120T^4 + 217T^3 - 338T^2 + 450T - 510$	2 / ✗ 1 / ✗		$6_3^a$ 0	$T^2 - 3T + 5$	2 / ✗ 1 / ✓		$7_1^a$ $3T^5 + 5T^3 + 6T$	$14T^4 - 16T^3 - 293T^2 + 1098T - 1598$	3 / ✗ 3 / ✗
											$7T^8 - 28T^{10} + 77T^9 - 168T^8 + 322T^7 - 560T^6 + 891T^5 - 1310T^4 + 1777T^3 - 2238T^2 + 2604T - 2772$

knot diag	$n_k^r$ $(\rho_1^r)^+$	Alexander's $\omega^+$ $(\rho_2^r)^+$	genus / ribbon unknotting # / amphi?	knot diag	$n_k^r$ $(\rho_1^r)^+$	Alexander's $\omega^+$ $(\rho_2^r)^+$	genus / ribbon unknotting # / amphi?	knot diag	$n_k^r$ $(\rho_1^r)^+$	Alexander's $\omega^+$ $(\rho_2^r)^+$	genus / ribbon unknotting # / amphi?
	$7_2^a$	$3T-5$ $14T-16$ $-129T^4+1177T^3-4421T^2+9226T-11718$	1 / ✗ 1 / ✗		$7_3^a$	$2T^2-3T+3$ $-9T^3+8T^2-16T+12$ $-18T^8+208T^7-917T^6+2666T^5-6049T^4+11283T^3-17671T^2+23356T-25736$	2 / ✗ 2 / ✗		$7_4^a$	$4T-7$ $32-24T$ $-352T^4+3616T^3-14378T^2+30700T-39188$	1 / ✗ 2 / ✗
	$7_5^a$	$2T^2-4T+5$ $9T^3-16T^2+29T-28$ $-18T^8+264T^7-1548T^6+5680T^5-15107T^4+31152T^3-51476T^2+69252T-76414$	2 / ✗ 2 / ✗		$7_6^a$	$-T^2+5T-7$ $T^3-8T^2+19T-20$ $3T^8-35T^7+128T^6+105T^5-2610T^4+11225T^3-28031T^2+47186T-55946$	2 / ✗ 1 / ✗		$7_7^a$	$T^2-5T+9$ $8-3T$ $4T^8-55T^7+3107T^6-805T^5+86T^4+6349T^3-22686T^2+43610T-53622$	2 / ✗ 1 / ✗
	$8_1^a$	$7-3T$ $5T-16$ $42T^4+215T^3-2542T^2+7562T-10542$	1 / ✗ 1 / ✗		$8_2^a$	$-T^3+3T^2-3T+3$ $2T^5-8T^4+10T^3-12T^2+13T-12$ $5T^{12}-39T^{11}+119T^{10}-139T^9-249T^8+1660T^7-4959T^6+11131T^5-20813T^4+33595T^3-47521T^2+58988T-63556$	3 / ✗ 2 / ✗		$8_3^a$	$9-4T$ $0$ $224T^4-224T^3-3910T^2+14100T-20364$	1 / ✗ 2 / ✓
	$8_4^a$	$-2T^2+5T-5$ $3T^3-8T^2+6T-4$ $54T^8-344T^7+8657T^6-6507T^5-2723T^4+12243T^3-28461T^2+45792T-53540$	2 / ✗ 2 / ✗		$8_5^a$	$-T^3+3T^2-4T+5$ $-2T^5+8T^4-13T^3+20T^2-22T+24$ $5T^{12}-39T^{11}+128T^{10}-182T^9-274T^8+2476T^7-8642T^6+21517T^5-42924T^4+71719T^3-102448T^2+126480T-135628$	3 / ✗ 2 / ✗		$8_6^a$	$-2T^2+6T-7$ $5T^3-20T^2+28T-32$ $38T^8-216T^7+112T^6+2880T^5-14787T^4+42444T^3-85415T^2+128406T-146916$	2 / ✗ 2 / ✗
	$8_7^a$	$T^3-3T^2+5T-5$ $-T^5+4T^4-10T^3+12T^2-13T+12$ $8T^{12}-75T^{11}+343T^{10}-979T^9+1821T^8-1782T^7-1623T^6+12083T^5-33001T^4+64599T^3-101194T^2+131404T-143216$	3 / ✗ 1 / ✗		$8_8^a$	$2T^2-6T+9$ $-T^3+4T^2-12T+16$ $62T^8-504T^7+1736T^6-2408T^5-3717T^4+26492T^3-68493T^2+113418T-133180$	2 / ✓ 2 / ✗		$8_9^a$	$-T^3+3T^2-5T+7$ $0$ $9T^{12}-87T^{11}+417T^{10}-1305T^9+2858T^8-4134T^7+2114T^6+8285T^5-31925T^4+69235T^3-112773T^2+148508T-162396$	3 / ✓ 1 / ✓
	$8_{10}^a$	$T^3-3T^2+6T-7$ $-T^5+4T^4-11T^3+16T^2-21T+20$ $8T^{12}-75T^{11}+362T^{10}-1122T^9+2306T^8-2540T^7-2198T^6+18817T^5-54380T^4+110103T^3-175694T^2+230080T-251346$	3 / ✗ 2 / ✗		$8_{11}^a$	$-2T^2+7T-9$ $5T^3-24T^2+39T-44$ $38T^8-264T^7+301T^6+3514T^5-21716T^4+68785T^3-146898T^2+227828T-263172$	2 / ✗ 1 / ✗		$8_{12}^a$	$T^2-7T+13$ $0$ $4T^8-77T^7+583T^6-1991T^5+987T^4+17311T^3-71802T^2+147914T-185846$	2 / ✗ 2 / ✓
	$8_{13}^a$	$2T^2-7T+11$ $-T^3+4T^2-14T+20$ $62T^8-592T^7+2351T^6-3918T^5-4235T^4+40079T^3-111533T^2+191500T-227432$	2 / ✗ 1 / ✗		$8_{14}^a$	$-2T^2+8T-11$ $5T^3-28T^2+57T-68$ $38T^8-312T^7+444T^6+5096T^5-34777T^4+116368T^3-255750T^2+401632T-465478$	2 / ✗ 1 / ✗		$8_{15}^a$	$3T^2-8T+11$ $21T^3-64T^2+120T-140$ $-123T^8+2128T^7-15241T^6+66120T^5-199999T^4+451912T^3-79241T^2+1101720T-1228222$	2 / ✗ 2 / ✗
	$8_{16}^a$	$T^3-4T^2+8T-9$ $T^5-6T^4+17T^3-28T^2+35T-36$ $8T^{12}-100T^{11}+598T^{10}-2205T^9+5292T^8-7164T^7-23807T^6+43100T^5-137314T^4+291750T^3-478742T^2+636488T-698666$	3 / ✗ 2 / ✗		$8_{17}^a$	$-T^3+4T^2-8T+11$ $0$ $9T^{12}-116T^{11}+722T^{10}-2843T^9+7656T^8-13668T^7+11117T^6+21968T^5-113086T^4+273778T^3-475622T^2+649064T-717954$	3 / ✗ 1 / ✓		$8_{18}^a$	$-T^3+5T^2-10T+13$ $0$ $9T^{12}-145T^{11}+1075T^{10}-4842T^9+14504T^8-28560T^7+27957T^6+35195T^5-225204T^4+573797T^3-1021641T^2+1411484T-1567262$	3 / ✗ 2 / ✓
	$8_{19}^a$	$T^3-T^2+1$ $-3T^5-4T^2-3T$ $7T^{11}-19T^{10}+67T^9+48T^8-52T^7-91T^6+211T^5+167T^4-431T^3+289T^2+536T-1060$	3 / ✗ 3 / ✗		$8_{20}^a$	$T^2-2T+3$ $4T-4$ $4T^8-22T^7+66T^6-124T^5+52T^4+478T^3-1652T^2+3014T-3640$	2 / ✓ 1 / ✗		$8_{21}^a$	$-T^2+4T-5$ $T^3-8T^2+16T-20$ $3T^8-28T^7+49T^6+352T^5-2489T^4+8164T^3-17530T^2+27092T-31226$	2 / ✗ 1 / ✗

knot diag	$n_k^r$ $(\rho_1^r)^+$	Alexander's $\omega^+$ $(\rho_2^r)^+$	genus / ribbon unknotting # / amphi?	knot diag	$n_k^r$ $(\rho_1^r)^+$	Alexander's $\omega^+$ $(\rho_2^r)^+$	genus / ribbon unknotting # / amphi?
	$9_1^a$	$T^4-T^3+T^2-T+1$ $4T^7+7T^5+9T^3+10T$ $9T^{15}-36T^{14}+99T^{13}-216T^{12}+414T^{11}-720T^{10}+1170T^9-1800T^8+2630T^7-3662T^6+4853T^5-6142T^4+7423T^3-852T^2+9420T-9780$	4 / ✗ 4 / ✗		$9_2^a$	$4T-7$ $30T-40$ $-728T^4+6088T^3-21946T^2+44788T-56420$	1 / ✗ 1 / ✗
	$9_3^a$	$2T^3-3T^2+3T-3$ $-13T^5+12T^4-25T^3+20T^2-32T+24$ $-26T^{12}+296T^{11}-1311T^{10}+3838T^9-8867T^8+17613T^7-31407T^6+51061T^5-76085T^4+104297T^3-131779T^2+152840T-160976$	3 / ✗ 3 / ✗		$9_4^a$	$3T^2-5T+5$ $23T^3-28T^2+46T-44$ $-219T^8+1999T^7-8389T^6+23799T^5-52835T^4+96723T^3-149121T^2+194698T-213338$	2 / ✗ 2 / ✗
	$9_5^a$	$6T-11$ $100-65T$ $-3234T^4+29792T^3-113241T^2+236818T-300294$	1 / ✗ 2 / ✗		$9_6^a$	$2T^3-4T^2+5T-5$ $13T^5-24T^4+45T^3-52T^2+68T-64$ $-26T^{12}+376T^{11}-2212T^{10}+8280T^9-23249T^8+53488T^7-106013T^6+185990T^5-292853T^4+416673T^3-537062T^2+626488T-659788$	3 / ✗ 3 / ✗
	$9_7^a$	$3T^2-7T+9$ $23T^3-56T^2+99T-108$ $-219T^8+2717T^7-15720T^6+58389T^5-157698T^4+329265T^3-548657T^2+741610T-819394$	2 / ✗ 2 / ✗		$9_8^a$	$-2T^2+8T-11$ $3T^3-16T^2+29T-28$ $54T^8-552T^7+2124T^6-2216T^5-12641T^4+67112T^3-172118T^2+289304T-342134$	2 / ✗ 2 / ✗
	$9_9^a$	$2T^3-4T^2+6T-7$ $13T^5-24T^4+55T^3-72T^2+98T-96$ $-26T^{12}+376T^{11}-2296T^{10}+9328T^9-28988T^8+73584T^7-158399T^6+295928T^5-486916T^4+712094T^3-930993T^2+1092074T-1151564$	3 / ✗ 3 / ✗		$9_{10}^a$	$4T^2-8T+9$ $-40T^3+72T^2-114T+120$ $-608T^8+6720T^7-33776T^6+110928T^5-273462T^4+537040T^3-862768T^2+1145784T-1259748$	2 / ✗ 2, 3 / ✗
	$9_{11}^a$	$-T^3+5T^2-7T+7$ $-2T^5+16T^4-41T^3+52T^2-66T+64$ $5T^{12}-65T^{11}+312T^{10}-4637T^9-2042T^8+14588T^7-50444T^6+126967T^5-258750T^4+444545T^3-654213T^2+827220T-895336$	3 / ✗ 2 / ✗		$9_{12}^a$	$-2T^2+9T-13$ $5T^3-36T^2+84T-100$ $38T^8-312T^7+45T^6+9790T^5-60473T^4+202775T^3-453255T^2+722176T-841572$	2 / ✗ 1 / ✗
	$9_{13}^a$	$4T^2-9T+11$ $-40T^3+92T^2-154T+168$ $-608T^8+7680T^7-43650T^6+158004T^5-417129T^4+856533T^3-1412461T^2+1899222T-2095210$	2 / ✗ 2, 3 / ✗		$9_{14}^a$	$2T^2-9T+15$ $-T^3+8T^2-35T+60$ $62T^8-752T^7+3655T^6-7178T^5-9502T^4+97737T^3-294656T^2+531720T-642168$	2 / ✗ 1 / ✗
	$9_{15}^a$	$-2T^2+10T-15$ $-5T^3+40T^2-108T+136$ $38T^8-360T^7+208T^6+12328T^5-84103T^4+298764T^3-691161T^2+1121034T-1313504$	2 / ✗ 2 / ✗		$9_{16}^a$	$2T^3-5T^2+8T-9$ $-13T^5+36T^4-80T^3+120T^2-161T+168$ $-26T^{12}+456T^{11}-3331T^{10}+15554T^9-53941T^8+149494T^7-345106T^6+680900T^5-1167591T^4+1759576T^3-234749T^2+2786466T-2949428$	3 / ✗ 3 / ✗

knot diag	$n_k^l$ Alexander's $\omega^+$ $(\rho_1^l)^+$	genus / ribbon unknotting # / amphi?	knot diag	$n_k^l$ Alexander's $\omega^+$ $(\rho_1^l)^+$	genus / ribbon unknotting # / amphi?
	$9a_{17}$ $T^3 - 5T^2 + 9T - 9$ $T^3 - 8T^4 + 23T^3 - 32T^2 + 28T - 24$ $87^{12} - 1257^{11} + 8747^{10} - 35957^9 + 94627^8 - 151667^7 + 61627^6 + 470277^5 - 1812207^4 + 4155097^3 - 7160707^2 + 9820367 - 1089796$	3 / ✗ 2 / ✗		$9a_{18}$ $4T^2 - 10T + 13$ $40T^3 - 108T^2 + 193T - 220$ $-6087^8 + 82247^7 - 512087^6 + 2019047^5 - 5705167^4 + 12289207^3 - 20877257^2 + 28508587 - 3159722$	2 / ✗ 2 / ✗
	$9a_{19}$ $2T^2 - 10T + 17$ $T^3 - 8T^2 + 20T - 24$ $627^8 - 8407^7 + 45367^6 - 103527^5 - 70417^4 + 1164287^3 - 3726837^2 + 6881987 - 836608$	2 / ✗ 1 / ✗		$9a_{20}$ $-T^3 + 5T^2 - 9T + 11$ $2T^5 - 16T^4 + 47T^3 - 84T^2 + 117T - 124$ $57^{12} - 657^{11} + 3307^{10} - 5777^9 - 24397^8 + 214827^7 - 869597^6 + 2472377^5 - 5486587^4 + 9938417^3 - 15026377^2 + 19185327 - 2080192$	3 / ✗ 2 / ✗
	$9a_{21}$ $-2T^2 + 11T - 17$ $-5T^3 + 44T^2 - 127T + 164$ $387^8 - 4087^7 + 4937^6 + 138027^5 - 1050147^4 + 3966857^3 - 9545527^2 + 15831407 - 1868380$	2 / ✗ 1 / ✗		$9a_{22}$ $T^3 - 5T^2 + 10T - 11$ $-T^5 + 8T^4 - 24T^3 + 38T^2 - 40T + 36$ $87^{12} - 1257^{11} + 8937^{10} - 38247^9 + 106057^8 - 179027^7 + 69907^6 + 642997^5 - 2515737^4 + 5843137^3 - 10121337^2 + 13886507 - 1540398$	3 / ✗ 1 / ✗
	$9a_{23}$ $4T^2 - 11T + 15$ $40T^3 - 128T^2 + 243T - 288$ $-6087^8 + 91847^7 - 626987^6 + 2659807^5 - 7944967^4 + 17811117^3 - 31072047^2 + 43073507 - 4797258$	2 / ✗ 2 / ✗		$9a_{24}$ $-T^3 + 5T^2 - 10T + 13$ $-4T^2 + 16T - 20$ $97^{12} - 1457^{11} + 10757^{10} - 48507^9 + 146007^8 - 291127^7 + 299217^6 + 306677^5 - 2189167^4 + 5709337^3 - 10298337^2 + 14334767 - 1595654$	3 / ✗ 1 / ✗
	$9a_{25}$ $-3T^2 + 12T - 17$ $12T^3 - 70T^2 + 153T - 188$ $1747^8 - 12007^7 - 10277^6 + 426967^5 - 2355127^4 + 7409567^3 - 15858647^2 + 24603607 - 2841166$	2 / ✗ 2 / ✗		$9a_{26}$ $T^3 - 5T^2 + 11T - 13$ $-T^5 + 8T^4 - 31T^3 + 64T^2 - 85T + 92$ $87^{12} - 1257^{11} + 9007^{10} - 38617^9 + 103517^8 - 143567^7 - 123917^6 + 1324737^5 - 4277327^4 + 9393097^3 - 15880467^2 + 21540287 - 2381116$	3 / ✗ 1 / ✗
	$9a_{27}$ $-T^3 + 5T^2 - 11T + 15$ $T^3 - 8T^2 + 24T - 32$ $97^{12} - 1457^{11} + 10967^{10} - 51157^9 + 160887^8 - 337847^7 + 373627^6 + 340757^5 - 2738547^4 + 7431537^3 - 13745457^2 + 19413327 - 2171344$	3 / ✓ 1 / ✗		$9a_{28}$ $T^3 - 5T^2 + 12T - 15$ $T^5 - 8T^4 + 30T^3 - 68T^2 + 105T - 120$ $87^{12} - 1257^{11} + 9237^{10} - 41387^9 + 118007^8 - 180927^7 - 111017^6 + 1594157^5 - 5439167^4 + 12287817^3 - 21078097^2 + 28772567 - 3186008$	3 / ✗ 1 / ✗
	$9a_{29}$ $T^3 - 5T^2 + 12T - 15$ $T^5 - 8T^4 + 26T^3 - 48T^2 + 59T - 56$ $87^{12} - 1257^{11} + 9317^{10} - 42907^9 + 130967^8 - 248487^7 + 133357^6 + 940477^5 - 4095767^4 + 10102377^3 - 18165577^2 + 25438367 - 2840192$	3 / ✗ 2 / ✗		$9a_{30}$ $-T^3 + 5T^2 - 12T + 17$ $2T^3 - 10T^2 + 25T - 32$ $97^{12} - 1457^{11} + 11177^{10} - 53767^9 + 175337^8 - 381707^7 + 432927^6 + 436197^5 - 3473977^4 + 9578817^3 - 17941897^2 + 25534427 - 2863228$	3 / ✗ 1 / ✗
	$9a_{31}$ $T^3 - 5T^2 + 13T - 17$ $T^5 - 8T^4 + 33T^3 - 80T^2 + 132T - 152$ $87^{12} - 1257^{11} + 9387^{10} - 43037^9 + 125447^8 - 191387^7 - 172007^6 + 2041437^5 - 7031807^4 + 16173657^3 - 28181907^2 + 38866367 - 4319004$	3 / ✗ 2 / ✗		$9a_{32}$ $T^3 - 6T^2 + 14T - 17$ $-T^5 + 10T^4 - 42T^3 + 94T^2 - 133T + 148$ $87^{12} - 1507^{11} + 12697^{10} - 62977^9 + 194557^8 - 327207^7 - 111567^6 + 2602827^5 - 9308367^4 + 21536187^3 - 37503587^2 + 51651147 - 5736454$	3 / ✗ 2 / ✗
	$9a_{33}$ $-T^3 + 6T^2 - 14T + 19$ $T^3 - 10T^2 + 30T - 40$ $97^{12} - 1747^{11} + 15397^{10} - 82077^9 + 289137^8 - 671847^7 + 840777^6 + 558667^5 - 5816407^4 + 16647987^3 - 31668387^2 + 45392027 - 5100726$	3 / ✗ 1 / ✗		$9a_{34}$ $-T^3 + 6T^2 - 16T + 23$ $3T^3 - 18T^2 + 43T - 56$ $97^{12} - 1747^{11} + 15817^{10} - 88317^9 + 329887^8 - 817747^7 + 1096317^6 + 732487^5 - 8293417^4 + 24809387^3 - 48691977^2 + 71125527 - 8043256$	3 / ✗ 1 / ✗
	$9a_{35}$ $7T - 13$ $90T - 144$ $-63557^4 + 588617^3 - 2245397^2 + 4703867 - 596734$	1 / ✗ 2, 3 / ✗		$9a_{36}$ $-T^3 + 5T^2 - 8T + 9$ $-2T^5 + 16T^4 - 44T^3 + 66T^2 - 87T + 88$ $57^{12} - 657^{11} + 3217^{10} - 5327^9 - 20817^8 + 170667^7 - 648467^6 + 1756117^5 - 3767397^4 + 6680017^3 - 9980377^2 + 12673427 - 1372104$	3 / ✗ 2 / ✗
	$9a_{37}$ $2T^2 - 11T + 19$ $T^3 - 8T^2 + 22T - 28$ $627^8 - 9287^7 + 54877^6 - 138147^5 - 66817^4 + 1548677^3 - 5202397^2 + 9833487 - 1204192$	2 / ✗ 2 / ✗		$9a_{38}$ $5T^2 - 14T + 19$ $62T^3 - 204T^2 + 382T - 452$ $-14147^8 + 221227^7 - 1535607^6 + 6573407^5 - 19761107^4 + 44543627^3 - 78064487^2 + 108555827 - 12103772$	2 / ✗ 2, 3 / ✗
	$9a_{39}$ $-3T^2 + 14T - 21$ $-12T^3 + 84T^2 - 210T + 268$ $1747^8 - 14427^7 - 6907^6 + 590687^5 - 3662227^4 + 12472147^3 - 28157967^2 + 45055787 - 5255776$	2 / ✗ 1 / ✗		$9a_{40}$ $T^3 - 7T^2 + 18T - 23$ $T^5 - 12T^4 + 57T^3 - 144T^2 + 229T - 264$ $87^{12} - 1757^{11} + 17127^{10} - 97387^9 + 342507^8 - 661087^7 - 111487^6 + 5535097^5 - 21495607^4 + 52309637^3 - 94062487^2 + 131878007 - 14730526$	3 / ✗ 2 / ✗
	$9a_{41}$ $3T^2 - 12T + 19$ $3T^3 - 20T^2 + 70T - 108$ $3097^8 - 32887^7 + 138857^6 - 209287^5 - 551797^4 + 3781007^3 - 10358107^2 + 17878087 - 2129794$	2 / ✓ 2 / ✗		$9a_{42}$ $-T^2 + 2T - 1$ $-T^3 + 2T^2 + T - 4$ $37^8 - 147^7 + 327^6 - 967^5 + 2657^4 - 2947^3 - 4987^2 + 21707 - 3128$	2 / ✗ 1 / ✗
	$9a_{43}$ $-T^3 + 3T^2 - 2T + 1$ $-2T^5 + 8T^4 - 7T^3 + 2T^2 - 5T + 4$ $57^{12} - 397^{11} + 1107^{10} - 1087^9 - 1157^8 + 5707^7 - 14777^6 + 34537^5 - 66517^4 + 109517^3 - 171887^2 + 247187 - 28462$	3 / ✗ 2 / ✗		$9a_{44}$ $T^2 - 4T + 7$ $-2T^2 + 9T - 12$ $47^8 - 487^7 + 2377^6 - 4967^5 - 3467^4 + 49887^3 - 150447^2 + 267687 - 32126$	2 / ✗ 1 / ✗
	$9a_{45}$ $-T^2 + 6T - 9$ $T^3 - 14T^2 + 47T - 60$ $37^8 - 427^7 + 787^6 + 13767^5 - 111357^4 + 425747^3 - 1025227^2 + 1698067 - 200284$	2 / ✗ 1 / ✗		$9a_{46}$ $5 - 2T$ $3T - 12$ $-27^4 + 1607^3 - 11257^2 + 30827 - 4222$	1 / ✓ 2 / ✗
	$9a_{47}$ $T^3 - 4T^2 + 6T - 5$ $-T^5 + 6T^4 - 15T^3 + 16T^2 - 10T + 12$ $87^{12} - 1007^{11} + 5607^{10} - 18417^9 + 38477^8 - 47107^7 - 427^6 + 174947^5 - 554477^4 + 1170587^3 - 1937497^2 + 2613867 - 288924$	3 / ✗ 2 / ✗		$9a_{48}$ $-T^2 + 7T - 11$ $-T^3 + 12T^2 - 42T + 52$ $37^8 - 497^7 + 2437^6 + 2677^5 - 80517^4 + 404997^3 - 1121677^2 + 1998507 - 241202$	2 / ✗ 2 / ✗
	$9a_{49}$ $3T^2 - 6T + 7$ $-21T^3 + 38T^2 - 61T + 60$ $-1237^8 + 16147^7 - 87447^6 + 299287^5 - 758737^4 + 1527147^3 - 2507947^2 + 3382387 - 373944$	2 / ✗ 3 / ✗		$10a_1$ $9 - 4T$ $14T - 40$ $-247^4 + 21367^3 - 134307^2 + 348607 - 47068$	1 / ✗ 1 / ✗
	$10a_2$ $-T^4 + 3T^3 - 3T^2 + 3T - 3$ $3T^7 - 12T^6 + 16T^5 - 20T^4 + 24T^3 - 24T^2 + 27T - 24$ $77^{16} - 577^{15} + 1897^{14} - 2937^{13} - 557^{12} + 16287^{11} - 55437^{10} + 132667^9 - 265897^8 + 474687^7 - 774157^6 + 1165497^5 - 1629117^4 + 2123257^3 - 2584137^2 + 2925807 - 305480$	4 / ✗ 3 / ✗		$10a_3$ $13 - 6T$ $11T - 28$ $8707^4 + 12887^3 - 277957^2 + 857187 - 120138$	1 / ✓ 2 / ✗
	$10a_4$ $-3T^2 + 7T - 7$ $4T^3 - 8T^2 + T + 8$ $2947^8 - 18077^7 + 45707^6 - 43057^5 - 95507^4 + 495817^3 - 1174567^2 + 1893307 - 221294$	2 / ✗ 2 / ✗		$10a_5$ $T^4 - 3T^3 + 5T^2 - 5T + 5$ $-2T^7 + 8T^6 - 20T^5 + 28T^4 - 36T^3 + 36T^2 - 39T + 36$ $127^{16} - 1177^{15} + 5657^{14} - 17577^{13} + 38477^{12} - 59607^{11} + 53817^{10} + 29687^9 - 266257^8 + 750087^7 - 1574157^6 + 2791737^5 - 4369997^4 + 6152977^3 - 7853287^2 + 9099167 - 955948$	4 / ✗ 2 / ✗
	$10a_6$ $-2T^3 + 6T^2 - 7T + 7$ $9T^5 - 36T^4 + 56T^3 - 72T^2 + 81T - 84$ $627^{12} - 4087^{11} + 7127^{10} + 22807^9 - 174937^8 + 606527^7 - 1534927^6 + 3190487^5 - 5695847^4 + 8903977^3 - 12286577^2 + 14961507 - 1599330$	3 / ✗ 3 / ✗		$10a_7$ $-3T^2 + 11T - 15$ $14T^3 - 72T^2 + 135T - 160$ $1147^8 - 2757^7 - 58407^6 + 517397^5 - 2224927^4 + 6264257^3 - 12673487^2 + 19144107 - 2193462$	2 / ✗ 1 / ✗











knot diag	$n'_k$ $(\rho'_1)^+$	Alexander's $\omega^+$ $(\rho'_2)^+$	genus / ribbon unknotting # / amphi?	knot diag	$n'_k$ $(\rho'_1)^+$	Alexander's $\omega^+$ $(\rho'_2)^+$	genus / ribbon unknotting # / amphi?
	10 <sub>6</sub> <sup>a</sup>	$-2T^3+5T^2-5T+5$ $7T^5-20T^4+23T^3-28T^2+26T-24$ $94T^{12}-672T^{11}+2115T^{10}-3678T^9+2535T^8+6453T^7-30645T^6+78385T^5-154895T^4+256601T^3-367525T^2+458500T-494524$	3 / ✗ 2 / ✗		10 <sub>6</sub> <sup>a</sup>	$-T^4+3T^3-5T^2+7T-7$ $-T^7+4T^6-10T^5+20T^4-25T^3+28T^2-28T+28$ $15T^{16}-153T^{15}+787T^{14}-2727T^{13}+7084T^{12}-14404T^{11}+22886T^{10}-26134T^9+11540T^8+39332T^7-146866T^6+325115T^5-571077T^4+856941T^3-1131013T^2+1330668T-1403980$	4 / ✗ 1 / ✗
	10 <sub>10</sub> <sup>a</sup>	$3T^2-11T+17$ $-5T^3+24T^2-71T+100$ $285T^8-2735T^7+10078T^6-9479T^5-64000T^4+327253T^3-827377T^2+1378130T-1624314$	2 / ✗ 1 / ✗		10 <sub>11</sub> <sup>a</sup>	$-4T^2+11T-13$ $16T^3-52T^2+68T-72$ $736T^8-4672T^7+9634T^6+11132T^5-125367T^4+41312T^3-873095T^2+1336974T-1536906$	2 / ✗ 2, 3 / ✗
	10 <sub>12</sub> <sup>a</sup>	$2T^3-6T^2+10T-11$ $-5T^5+20T^4-50T^3+72T^2-89T+92$ $118T^{12}-1080T^{11}+4748T^{10}-12624T^9+19414T^8-20727T^7-88507T^6+320836T^5-750453T^4+1366922T^3-2053481T^2+2604638T-2816934$	3 / ✗ 2 / ✗		10 <sub>13</sub> <sup>a</sup>	$2T^2-13T+23$ $T^3-12T^2+51T-84$ $62T^8-1088T^7+7367T^6-20586T^5-13356T^4+286509T^3-1005098T^2+1954280T-2416160$	2 / ✗ 2 / ✗
	10 <sub>14</sub> <sup>a</sup>	$-2T^3+8T^2-12T+13$ $9T^5-52T^4+119T^3-180T^2+225T-236$ $62T^{12}-584T^{11}+1720T^{10}+2816T^9-42848T^8+195040T^7-594177T^6+1407688T^5-2753604T^4+4575154T^3-6545078T^2+8106820T-8706026$	3 / ✗ 2 / ✗		10 <sub>15</sub> <sup>a</sup>	$2T^3-6T^2+9T-9$ $-3T^5+12T^4-24T^3+24T^2-17T+12$ $134T^{12}-1272T^{11}+5792T^{10}-16520T^9+31765T^8-37636T^7+2396T^6+120176T^5-371368T^4+752873T^3-1195043T^2+1560190T-1702986$	3 / ✗ 2 / ✗
	10 <sub>16</sub> <sup>a</sup>	$-4T^2+12T-15$ $-16T^3+56T^2-76T+80$ $736T^8-5248T^7+12944T^6+6528T^5-144162T^4+522200T^3-1155370T^2+1809228T-2093696$	2 / ✗ 2 / ✗		10 <sub>17</sub> <sup>a</sup>	$T^4-3T^3+5T^2-7T+9$ 0 $16T^{16}-165T^{15}+861T^{14}-3043T^{13}+8173T^{12}-17514T^{11}+30162T^{10}-39958T^9+32666T^8+13998T^7-125081T^6+317743T^5-588481T^4+904569T^3-1207020T^2+1426556T-1506972$	4 / ✗ 1 / ✓
	10 <sub>18</sub> <sup>a</sup>	$-4T^2+14T-19$ $16T^3-68T^2+121T-140$ $736T^8-6240T^7+17736T^6+11088T^5-245648T^4+930168T^3-2109201T^2+3338706T-3874682$	2 / ✗ 1 / ✗		10 <sub>19</sub> <sup>a</sup>	$2T^3-7T^2+11T-11$ $3T^5-16T^4+35T^3-40T^2+30T-24$ $134T^{12}-1480T^{11}+7641T^{10}-24194T^9+50855T^8-66007T^7+12323T^6+201357T^5-66528T^4+139779T^3-2271085T^2+3006128T-3296368$	3 / ✗ 2 / ✗
	10 <sub>20</sub> <sup>a</sup>	$-3T^2+9T-11$ $14T^3-56T^2+88T-104$ $114T^8-153T^7-4783T^6+34425T^5-128711T^4+327435T^3-618704T^2+899066T-1017366$	2 / ✗ 2 / ✗		10 <sub>21</sub> <sup>a</sup>	$-2T^3+7T^2-9T+9$ $9T^5-44T^4+80T^3-104T^2+121T-124$ $62T^{12}-496T^{11}+1203T^{10}+2078T^9-24456T^8+97163T^7-267878T^6+592041T^5-1106738T^4+1789591T^3-2525732T^2+3113752T-3341184$	3 / ✗ 2 / ✗
	10 <sub>22</sub> <sup>a</sup>	$-2T^3+6T^2-10T+13$ $-T^5+4T^4-10T^3+24T^2-37T+44$ $142T^{12}-1368T^{11}+6524T^{10}-20120T^9+42790T^8-57928T^7+16919T^6+158700T^5-54070T^4+1130294T^3-1809643T^2+2363114T-2577418$	3 / ✓ 2 / ✗		10 <sub>23</sub> <sup>a</sup>	$2T^3-7T^2+13T-15$ $-5T^5+24T^4-67T^3+108T^2-137T+144$ $118T^{12}-1272T^{11}+6541T^{10}-20402T^9+38443T^8-21945T^7-132442T^6+594335T^5-1530420T^4+2960363T^3-4622193T^2+5992048T-6526360$	3 / ✗ 1 / ✗
	10 <sub>24</sub> <sup>a</sup>	$-4T^2+14T-19$ $24T^3-116T^2+221T-268$ $416T^8-1568T^7-13224T^6+136928T^5-604124T^4+1701008T^3-3414673T^2+5118714T-5846946$	2 / ✗ 2 / ✗		10 <sub>25</sub> <sup>a</sup>	$-2T^3+8T^2-14T+17$ $9T^5-52T^4+131T^3-232T^2+314T-344$ $62T^{12}-584T^{11}+1856T^{10}+2264T^9-47052T^8+241288T^7-809541T^6+2068016T^5-4270010T^4+7347930T^3-1072331T^2+13406206T-14434208$	3 / ✗ 2 / ✗
	10 <sub>26</sub> <sup>a</sup>	$-2T^3+7T^2-13T+17$ $-T^5+4T^4-10T^3+28T^2-49T+60$ $142T^{12}-1600T^{11}+8823T^{10}-31058T^9+74964T^8-117897T^7+67064T^6+255997T^5-1047600T^4+2360395T^3-3947888T^2+5281288T-5805248$	3 / ✗ 1 / ✗		10 <sub>27</sub> <sup>a</sup>	$2T^3-8T^2+16T-19$ $5T^5-28T^4+87T^3-164T^2+229T-252$ $118T^{12}-1464T^{11}+8536T^{10}-29792T^9+62096T^8-39696T^7-242195T^6+1151848T^5-3078140T^4+6098910T^3-9661940T^2+12621240T-13779050$	3 / ✗ 1 / ✗
	10 <sub>28</sub> <sup>a</sup>	$4T^2-13T+19$ $-8T^3+36T^2-100T+136$ $928T^8-7872T^7+26174T^6-22588T^5-142295T^4+689113T^3-1676391T^2+2728998T-3192146$	2 / ✗ 2 / ✗		10 <sub>29</sub> <sup>a</sup>	$T^3-7T^2+15T-17$ $T^5-12T^4+52T^3-104T^2+124T-128$ $8T^{12}-175T^{11}+1659T^{10}-8913T^9+29252T^8-54292T^7+10686T^6+290989T^5-1126663T^4+2673211T^3-4723498T^2+6566572T-7317656$	3 / ✗ 2 / ✗
	10 <sub>30</sub> <sup>a</sup>	$-4T^2+17T-25$ $24T^3-148T^2+345T-440$ $416T^8-2048T^7-17490T^6+219996T^5-1101894T^4+3396907T^3-7245510T^2+11243734T-12988226$	2 / ✗ 1 / ✗		10 <sub>31</sub> <sup>a</sup>	$4T^2-14T+21$ $-4T^2+9T-12$ $992T^8-9440T^7+36936T^6-59136T^5-72624T^4+623304T^3-1691899T^2+2867550T-3391374$	2 / ✗ 1 / ✗
	10 <sub>32</sub> <sup>a</sup>	$-2T^3+8T^2-15T+19$ $T^5-4T^4+13T^3-40T^2+78T-96$ $142T^{12}-1832T^{11}+11204T^{10}-42688T^9+109909T^8-184384T^7+124831T^6+360782T^5-1615391T^4+3759585T^3-6404890T^2+8655360T-9545252$	3 / ✗ 1 / ✗		10 <sub>33</sub> <sup>a</sup>	$4T^2-16T+25$ 0 $992T^8-10816T^7+47856T^6-88336T^5-84402T^4+920320T^3-2655340T^2+4640912T-5542372$	2 / ✗ 1 / ✓
	10 <sub>34</sub> <sup>a</sup>	$3T^2-9T+13$ $-5T^3+20T^2-52T+68$ $285T^8-2205T^7+6601T^6-3429T^5-43369T^4+185703T^3-431857T^2+687874T-799218$	2 / ✗ 2 / ✗		10 <sub>35</sub> <sup>a</sup>	$2T^2-12T+21$ $-T^3+12T^2-47T+76$ $62T^8-1000T^7+6244T^6-15744T^5-15707T^4+232680T^3-775840T^2+1474372T-1810118$	2 / ✓ 2 / ✗
	10 <sub>36</sub> <sup>a</sup>	$-3T^2+13T-19$ $14T^3-88T^2+208T-264$ $114T^8-397T^7-7597T^6+81141T^5-393441T^4+1198967T^3-2544952T^2+3941362T-4550398$	2 / ✗ 2 / ✗		10 <sub>37</sub> <sup>a</sup>	$4T^2-13T+19$ 0 $992T^8-8736T^7+31914T^6-47212T^5-64499T^4+49792T^3-1308755T^2+2181630T-2566522$	2 / ✗ 2 / ✓
	10 <sub>38</sub> <sup>a</sup>	$-4T^2+15T-21$ $24T^3-128T^2+270T-336$ $416T^8-1632T^7-16122T^6+172460T^5-788845T^4+2280037T^3-4653713T^2+7038342T-8061882$	2 / ✗ 2 / ✗		10 <sub>39</sub> <sup>a</sup>	$-2T^3+8T^2-13T+15$ $9T^5-52T^4+125T^3-204T^2+263T-280$ $62T^{12}-584T^{11}+1788T^{10}+2480T^9-44191T^8+213488T^7-683173T^6+1684054T^5-3393468T^4+5753447T^3-8330571T^2+10379080T-11164828$	3 / ✗ 2 / ✗
	10 <sub>40</sub> <sup>a</sup>	$2T^3-8T^2+17T-21$ $-5T^5+28T^4-89T^3+176T^2-258T+288$ $118T^{12}-1464T^{11}+8692T^{10}-31256T^9+67987T^8-49624T^7-257955T^6+1301482T^5-3582545T^4+7240253T^3-11620382T^2+15292356T-16735336$	3 / ✗ 2 / ✗		10 <sub>41</sub> <sup>a</sup>	$T^3-7T^2+17T-21$ $T^5-12T^4+54T^3-120T^2+157T-164$ $8T^{12}-175T^{11}+1697T^{10}-9543T^9+33561T^8-69114T^7+29117T^6+35412T^5-1527139T^4+3836499T^3-7019042T^2+9942516T-11145016$	3 / ✗ 2 / ✗
	10 <sub>42</sub> <sup>a</sup>	$-T^3+7T^2-19T+27$ $2T^3-8T^2+11T-12$ $9T^{12}-203T^{11}+2093T^{10}-12971T^9+52885T^8-142268T^7+214987T^6+60931T^5-1368859T^4+4365895T^3-8815357T^2+13058404T-14831092$	3 / ✓ 1 / ✗		10 <sub>43</sub> <sup>a</sup>	$-T^3+7T^2-17T+23$ 0 $9T^{12}-203T^{11}+2051T^{10}-12253T^9+47594T^8-120962T^7+170450T^6+61017T^5-1045911T^4+3175271T^3-6209661T^2+9025932T-10186676$	3 / ✗ 2 / ✓
	10 <sub>44</sub> <sup>a</sup>	$T^3-7T^2+19T-25$ $T^5-12T^4+56T^3-140T^2+220T-248$ $8T^{12}-175T^{11}+1735T^{10}-10157T^9+37586T^8-81160T^7+29232T^6+500937T^5-2197451T^4+5635115T^3-10448058T^2+14900236T-16735696$	3 / ✗ 1 / ✗		10 <sub>45</sub> <sup>a</sup>	$-T^3+7T^2-21T+31$ 0 $9T^{12}-203T^{11}+2135T^{10}-13689T^9+58324T^8-165246T^7+266640T^6+52413T^5-1738539T^4+5821367T^3-12123077T^2+18290148T-20900556$	3 / ✗ 2 / ✓

knot diag	$n'_k$ $(\rho'_1)^+$	Alexander's $\omega^+$ $(\rho'_2)^+$	genus / ribbon unknotting # / amphi?	knot diag	$n'_k$ $(\rho'_1)^+$	Alexander's $\omega^+$ $(\rho'_2)^+$	genus / ribbon unknotting # / amphi?
	10 <sub>46</sub> <sup>a</sup>	$-T^4+3T^3-4T^2+5T-5$ $-3T^7+12T^6-21T^5+34T^4-43T^3+52T^2-55T+56$ $7T^{16}-57T^{15}+204T^{14}-382T^{13}+69T^{12}+2247T^{11}-9674T^{10}+27287T^9-61957T^8+121378T^7-211961T^6+335438T^5-485235T^4+644818T^3-789365T^2+891215T-928064$	4 / ✗ 3 / ✗		10 <sub>47</sub> <sup>a</sup>	$T^4-3T^3+6T^2-7T+7$ $-2T^7+8T^6-23T^5+38T^4-56T^3+60T^2-68T+64$ $12T^{16}-117T^{15}+598T^{14}-2030T^{13}+4959T^{12}-8715T^{11}+9312T^{10}+2921T^9-44823T^8+139602T^7-312112T^6+579182T^5-936546T^4+1347538T^3-1741633T^2+2029805T-2135930$	4 / ✗ 2, 3 / ✗
	10 <sub>48</sub> <sup>a</sup>	$T^4-3T^3+6T^2-9T+11$ $T^5-2T^4+2T^3-3T+4$ $16T^{16}-165T^{15}+906T^{14}-3452T^{13}+10069T^{12}-23423T^{11}+43765T^{10}-63343T^9+59588T^8+83232T^7-192505T^6+537134T^5-1048176T^4+1669528T^3-2281994T^2+2735109T-2902594$	4 / ✓ 2 / ✗		10 <sub>49</sub> <sup>a</sup>	$3T^3-8T^2+12T-13$ $30T^5-94T^4+196T^3-292T^2+372T-392$ $-177T^{12}+3028T^{11}-22080T^{10}+101361T^9-341354T^8+914348T^7-2044469T^6+3931812T^5-6622778T^4+9874270T^3-13105110T^2+15522532T-16422794$	3 / ✗ 3 / ✗
	10 <sub>50</sub> <sup>a</sup>	$-2T^3+7T^2-11T+13$ $-9T^5+44T^4-94T^3+150T^2-186T+200$ $62T^{12}-496T^{11}+1283T^{10}+2094T^9-29732T^8+134301T^7-412809T^6+990903T^5-1959941T^4+3278621T^3-4702408T^2+5824956T-6253664$	3 / ✗ 2 / ✗		10 <sub>51</sub> <sup>a</sup>	$2T^3-7T^2+15T-19$ $-5T^5+24T^4-73T^3+134T^2-194T+212$ $118T^{12}-1272T^{11}+6813T^{10}-22602T^9+45771T^8-28275T^7-180411T^6+857569T^5-2306697T^4+4602641T^3-7332665T^2+9612128T-10506256$	3 / ✗ 2, 3 / ✗
	10 <sub>52</sub> <sup>a</sup>	$2T^3-7T^2+13T-15$ $-3T^5+16T^4-37T^3+50T^2-49T+44$ $134T^{12}-1480T^{11}+7961T^{10}-27058T^9+62159T^8-88993T^7+22042T^6+296843T^5-1040240T^4+2254967T^3-3720017T^2+4952400T-5437448$	3 / ✗ 2 / ✗		10 <sub>53</sub> <sup>a</sup>	$6T^2-18T+25$ $93T^3-346T^2+680T-828$ $-3642T^8+58248T^7-417976T^6+1846212T^5-5694639T^4+13084936T^3-23231163T^2+32545278T-36374532$	2 / ✗ 2, 3 / ✗
	10 <sub>54</sub> <sup>a</sup>	$2T^3-6T^2+10T-11$ $-3T^5+12T^4-24T^3+26T^2-21T+16$ $134T^{12}-1272T^{11}+5964T^{10}-17880T^9+36606T^8-46740T^7+6565T^6+150576T^5-487825T^4+1010638T^3-1619593T^2+2120978T-2316318$	3 / ✗ 2, 3 / ✗		10 <sub>55</sub> <sup>a</sup>	$5T^2-15T+21$ $66T^3-246T^2+488T-596$ $-1966T^8+30491T^7-215627T^6+945597T^5-2905831T^4+6662951T^3-11814712T^2+16540014T-18481854$	2 / ✗ 2 / ✗
	10 <sub>56</sub> <sup>a</sup>	$-2T^3+8T^2-14T+17$ $-9T^5+52T^4-133T^3+234T^2-312T+340$ $62T^{12}-584T^{11}+1800T^{10}+2840T^9-49588T^8+247616T^7-819257T^6+2077408T^5-4277830T^4+7364010T^3-10765639T^2+13481990T-14525656$	3 / ✗ 2 / ✗		10 <sub>57</sub> <sup>a</sup>	$2T^3-8T^2+18T-23$ $-5T^5+28T^4-93T^3+194T^2-300T+340$ $118T^{12}-1464T^{11}+8808T^{10}-32264T^9+71276T^8-49320T^7-305843T^6+1537376T^5-4286854T^4+8774390T^3-14221383T^2+18829374T-20648444$	3 / ✗ 2 / ✗
	10 <sub>58</sub> <sup>a</sup>	$3T^2-16T+27$ $3T^3-28T^2+94T-140$ $309T^8-4384T^7+24039T^6-49896T^5-90763T^4+864784T^3-2647834T^2+4837480T-5867454$	2 / ✗ 2 / ✗		10 <sub>59</sub> <sup>a</sup>	$T^3-7T^2+18T-23$ $-T^5+12T^4-55T^3+128T^2-181T+196$ $8T^{12}-175T^{11}+1716T^{10}-9858T^9+35706T^8-76124T^7+33704T^6+412653T^5-1824096T^4+4655939T^3-8596644T^2+12230816T-13727286$	3 / ✗ 1 / ✗
	10 <sub>60</sub> <sup>a</sup>	$-T^3+7T^2-20T+29$ $5T^3-40T^2+122T-176$ $9T^{12}-203T^{11}+2114T^{10}-13338T^9+55732T^8-154496T^7+241898T^6+66137T^5-1621594T^4+5326603T^3-10989858T^2+16499428T-18824860$	3 / ✗ 1 / ✗		10 <sub>61</sub> <sup>a</sup>	$-2T^3+5T^2-6T+7$ $-7T^5+20T^4-27T^3+36T^2-35T+36$ $94T^{12}-672T^{11}+2231T^{10}-4382T^9+4108T^8+6320T^7-40187T^6+113296T^5-235714T^4+400470T^3-576529T^2+714816T-767686$	3 / ✗ 2, 3 / ✗
	10 <sub>62</sub> <sup>a</sup>	$T^4-3T^3+6T^2-8T+9$ $-2T^7+8T^6-23T^5+40T^4-63T^3+76T^2-89T+88$ $12T^{16}-117T^{15}+598T^{14}-2057T^{13}+5172T^{12}-9509T^{11}+10856T^{10}+2734T^9-54502T^8+178917T^7-414312T^6+786766T^5-1289208T^4+1865866T^3-2414454T^2+2812025T-2957594$	4 / ✗ 2 / ✗		10 <sub>63</sub> <sup>a</sup>	$5T^2-14T+19$ $66T^3-220T^2+416T-496$ $-1966T^8+28318T^7-188080T^6+783388T^5-2311570T^4+5141906T^3-8929148T^2+12349082T-13743884$	2 / ✗ 2 / ✗
	10 <sub>64</sub> <sup>a</sup>	$-T^4+3T^3-6T^2+10T-11$ $-T^7+4T^6-11T^5+24T^4-37T^3+52T^2-60T+64$ $15T^{16}-153T^{15}+830T^{14}-3147T^{13}+9133T^{12}-20983T^{11}+37963T^{10}-50164T^9+30642T^8+68741T^7-310036T^6+745430T^5-1381735T^4+2150560T^3-2906317T^2+3464829T-3671204$	4 / ✗ 2 / ✗		10 <sub>65</sub> <sup>a</sup>	$2T^3-7T^2+14T-17$ $-5T^5+24T^4-71T^3+124T^2-169T+180$ $118T^{12}-1272T^{11}+6657T^{10}-21282T^9+40874T^8-20768T^7-166691T^6+742216T^5-1933704T^4+3781794T^3-5950947T^2+7749120T-8452246$	3 / ✗ 2 / ✗
	10 <sub>66</sub> <sup>a</sup>	$3T^3-9T^2+16T-19$ $30T^5-112T^4+279T^3-480T^2+662T-724$ $-177T^{12}+3321T^{11}-27536T^{10}+145346T^9-561614T^8+1706788T^7-4256134T^6+8946173T^5-16135424T^4+25271935T^3-34647456T^2+41790680T-44471832$	3 / ✗ 3 / ✗		10 <sub>67</sub> <sup>a</sup>	$-4T^2+16T-23$ $24T^3-140T^2+312T-392$ $416T^8-1696T^7-18592T^6+205384T^5-971474T^4+2884880T^3-6004484T^2+9188872T-10566612$	2 / ✗ 2 / ✗
	10 <sub>68</sub> <sup>a</sup>	$4T^2-14T+21$ $8T^3-40T^2+117T-164$ $928T^8-8448T^7+29784T^6-26736T^5-178984T^4+891736T^3-2217147T^2+3657390T-4297054$	2 / ✗ 2 / ✗		10 <sub>69</sub> <sup>a</sup>	$T^3-7T^2+21T-29$ $-T^5+12T^4-68T^3+212T^2-397T+476$ $8T^{12}-175T^{11}+1753T^{10}-10339T^9+37435T^8-68174T^7-78997T^6+1015635T^5-3880779T^4+9697491T^3-17937826T^2+25646300T-28844672$	3 / ✗ 2 / ✗
	10 <sub>70</sub> <sup>a</sup>	$T^3-7T^2+16T-19$ $-T^5+12T^4-53T^3+114T^2-146T+152$ $8T^{12}-175T^{11}+1678T^{10}-9220T^9+31251T^8-60450T^7+14335T^6+337593T^5-135173T^4+3275803T^3-5864336T^2+8208654T-9166724$	3 / ✗ 2 / ✗		10 <sub>71</sub> <sup>a</sup>	$-T^3+7T^2-18T+25$ $T^3-2T^2-T+4$ $9T^{12}-203T^{11}+2072T^{10}-12608T^9+50167T^8-131082T^7+190655T^6+64937T^5-1206917T^4+3745659T^3-7436102T^2+10960778T-12346734$	3 / ✗ 1 / ✗
	10 <sub>72</sub> <sup>a</sup>	$-2T^3+9T^2-16T+19$ $-9T^5+60T^4-167T^3+298T^2-410T+448$ $62T^{12}-672T^{11}+2407T^{10}+2846T^9-67046T^8+358714T^7-1237440T^6+3225136T^5-6760702T^4+11767984T^3-17315777T^2+21757146T-23465324$	3 / ✗ 2 / ✗		10 <sub>73</sub> <sup>a</sup>	$T^3-7T^2+20T-27$ $T^5-12T^4+65T^3-194T^2+350T-416$ $8T^{12}-175T^{11}+1738T^{10}-10112T^9+36117T^8-66038T^7-61235T^6+869449T^5-3296603T^4+8133803T^3-14880880T^2+21122890T-23697928$	3 / ✗ 1 / ✗
	10 <sub>74</sub> <sup>a</sup>	$-4T^2+16T-23$ $24T^3-136T^2+290T-360$ $416T^8-1984T^7-14448T^6+178832T^5-870542T^4+2626104T^3-5521764T^2+8500760T-9794748$	2 / ✗ 2 / ✗		10 <sub>75</sub> <sup>a</sup>	$-T^3+7T^2-19T+27$ $-4T^3+36T^2-117T+172$ $9T^{12}-203T^{11}+2093T^{10}-12979T^9+53085T^8-144060T^7+222795T^6+45939T^5-1382507T^4+4528919T^3-9302365T^2+13926940T-15875332$	3 / ✓ 2 / ✗
	10 <sub>76</sub> <sup>a</sup>	$-2T^3+7T^2-12T+15$ $-9T^5+44T^4-104T^3+184T^2-245T+272$ $62T^{12}-496T^{11}+1263T^{10}+2926T^9-37611T^8+174774T^7-553794T^6+1359740T^5-2727505T^4+4595668T^3-6610039T^2+8193314T-8796596$	3 / ✗ 2, 3 / ✗		10 <sub>77</sub> <sup>a</sup>	$2T^3-7T^2+14T-17$ $-5T^5+24T^4-71T^3+132T^2-189T+208$ $118T^{12}-1272T^{11}+6657T^{10}-21170T^9+39602T^8-13480T^7-193563T^6+812568T^5-2072452T^4+3997538T^3-6227879T^2+8058912T-8771174$	3 / ✗ 2, 3 / ✗
	10 <sub>78</sub> <sup>a</sup>	$-T^3+7T^2-16T+21$ $2T^5-24T^4+105T^3-244T^2+390T-448$ $5T^{12}-91T^{11}+626T^{10}-1310T^9-9682T^8+98268T^7-472808T^6+1558897T^5-3892200T^4+7699107T^3-12365278T^2+16351352T-17933784$	3 / ✗ 2 / ✗		10 <sub>79</sub> <sup>a</sup>	$T^4-3T^3+7T^2-12T+15$ 0 $16T^{16}-165T^{15}+951T^{14}-3892T^{13}+12327T^{12}-31301T^{11}+64047T^{10}-102088T^9+108942T^8-5172T^7-328635T^6+1013644T^5-2099318T^4+3486798T^3-4904824T^2+5979109T-6380898$	4 / ✗ 2, 3 / ✓
	10 <sub>80</sub> <sup>a</sup>	$3T^3-9T^2+15T-17$ $30T^5-112T^4+260T^3-426T^2+568T-616$ $-177T^{12}+3321T^{11}-26919T^{10}+137419T^9-511788T^8+1500967T^7-3625608T^6+7420093T^5-13101785T^4+20196767T^3-27388655T^2+32826444T-34860060$	3 / ✗ 3 / ✗		10 <sub>81</sub> <sup>a</sup>	$-T^3+8T^2-20T+27$ 0 $9T^{12}-232T^{11}+2632T^{10}-17347T^9+73146T^8-199476T^7+303717T^6+63516T^5-1783222T^4+5636674T^3-11239918T^2+16501092T-18681194$	3 / ✗ 2 / ✓

knot diag	$n'_k$ Alexander's $\omega^+$ $(\rho'_1)^+$	genus / ribbon unknotting # / amphi?	knot diag	$n'_k$ Alexander's $\omega^+$ $(\rho'_1)^+$	genus / ribbon unknotting # / amphi?
	$10_{82}^a$ $T^7 - 6T^6 + 19T^5 - 42T^4 + 64T^3 - 78T^2 + 84T - 84$	4 / $\times$ 1 / $\times$		$10_{83}^a$ $2T^3 - 9T^2 + 19T - 23$ $-5T^5 + 34T^4 - 110T^3 + 214T^2 - 301T + 332$	3 / $\times$ 2 / $\times$
	$10_{84}^a$ $2T^3 - 9T^2 + 20T - 25$ $-5T^5 + 34T^4 - 116T^3 + 246T^2 - 373T + 424$	3 / $\times$ 1 / $\times$		$10_{85}^a$ $T^4 - 4T^3 + 8T^2 - 10T + 11$ $2T^7 - 12T^6 + 36T^5 - 68T^4 + 101T^3 - 124T^2 + 138T - 140$	4 / $\times$ 2 / $\times$
	$10_{86}^a$ $-2T^3 + 9T^2 - 19T + 25$ $-7T^5 + 6T^4 - 21T^3 + 58T^2 - 105T + 128$	3 / $\times$ 2 / $\times$		$10_{87}^a$ $-2T^3 + 9T^2 - 18T + 23$ $-T^5 + 6T^4 - 23T^3 + 66T^2 - 125T + 152$	3 / $\checkmark$ 2 / $\times$
	$10_{88}^a$ 0 $-T^3 + 8T^2 - 24T + 35$	3 / $\times$ 1 / $\checkmark$		$10_{89}^a$ $T^3 - 8T^2 + 24T - 33$ $T^5 - 14T^4 + 83T^3 - 264T^2 + 495T - 596$	3 / $\times$ 2 / $\times$
	$10_{90}^a$ $-2T^3 + 8T^2 - 17T + 23$ $-T^5 + 6T^4 - 21T^3 + 54T^2 - 93T + 112$	3 / $\times$ 2 / $\times$		$10_{91}^a$ $T^4 - 4T^3 + 9T^2 - 14T + 17$ $T^5 - 2T^4 + 2T^3 - 3T + 4$	4 / $\times$ 1 / $\times$
	$10_{92}^a$ $-2T^3 + 10T^2 - 20T + 25$ $-9T^5 + 68T^4 - 216T^3 + 428T^2 - 622T + 696$	3 / $\times$ 2 / $\times$		$10_{93}^a$ $2T^3 - 8T^2 + 15T - 17$ $3T^5 - 18T^4 + 43T^3 - 58T^2 + 55T - 48$	3 / $\times$ 2 / $\times$
	$10_{94}^a$ $-T^4 + 4T^3 - 9T^2 + 14T - 15$ $-T^7 + 6T^6 - 20T^5 + 46T^4 - 76T^3 + 102T^2 - 115T + 120$	4 / $\times$ 2 / $\times$		$10_{95}^a$ $2T^3 - 9T^2 + 21T - 27$ $-5T^5 + 32T^4 - 114T^3 + 248T^2 - 384T + 436$	3 / $\times$ 1 / $\times$
	$10_{96}^a$ $-T^3 + 7T^2 - 22T + 33$ $-7T^3 + 50T^2 - 147T + 212$	3 / $\times$ 2 / $\times$		$10_{97}^a$ $-5T^2 + 22T - 33$ $-37T^3 + 242T^2 - 603T + 788$	2 / $\times$ 2 / $\times$
	$10_{98}^a$ $-2T^3 + 9T^2 - 18T + 23$ $9T^5 - 60T^4 + 177T^3 - 348T^2 + 501T - 564$	3 / $\times$ 2 / $\times$		$10_{99}^a$ 0 $T^4 - 4T^3 + 10T^2 - 16T + 19$	4 / $\checkmark$ 2 / $\checkmark$
	$10_{100}^a$ $T^4 - 4T^3 + 9T^2 - 12T + 13$ $2T^7 - 12T^6 + 39T^5 - 80T^4 + 128T^3 - 164T^2 + 192T - 196$	4 / $\times$ 2, 3 / $\times$		$10_{101}^a$ $7T^2 - 21T + 29$ $-129T^3 + 480T^2 - 942T + 1148$	2 / $\times$ 2, 3 / $\times$
	$10_{102}^a$ $-2T^3 + 8T^2 - 16T + 21$ $-T^5 + 6T^4 - 19T^3 + 50T^2 - 89T + 108$	3 / $\times$ 1 / $\times$		$10_{103}^a$ $2T^3 - 8T^2 + 17T - 21$ $5T^5 - 30T^4 + 93T^3 - 178T^2 + 254T - 280$	3 / $\times$ 3 / $\times$
	$10_{104}^a$ $T^4 - 4T^3 + 9T^2 - 15T + 19$ $T^5 - 2T^4 + 2T^3 - 3T + 4$	4 / $\times$ 1 / $\times$		$10_{105}^a$ $T^3 - 8T^2 + 22T - 29$ $-T^5 + 14T^4 - 71T^3 + 184T^2 - 292T + 332$	3 / $\times$ 2 / $\times$
	$10_{106}^a$ $-T^4 + 4T^3 - 9T^2 + 15T - 17$ $-T^7 + 6T^6 - 20T^5 + 48T^4 - 82T^3 + 114T^2 - 134T + 140$	4 / $\times$ 2 / $\times$		$10_{107}^a$ $-T^3 + 8T^2 - 22T + 31$ $2T^3 - 8T^2 + 13T - 16$	3 / $\times$ 1 / $\times$
	$10_{108}^a$ $2T^3 - 8T^2 + 14T - 15$ $-3T^5 + 18T^4 - 41T^3 + 50T^2 - 40T + 32$	3 / $\times$ 2 / $\times$		$10_{109}^a$ 0 $T^4 - 4T^3 + 10T^2 - 17T + 21$	4 / $\times$ 2 / $\checkmark$
	$10_{110}^a$ $T^3 - 8T^2 + 20T - 25$ $T^5 - 14T^4 + 69T^3 - 160T^2 + 219T - 236$	3 / $\times$ 2 / $\times$		$10_{111}^a$ $-2T^3 + 9T^2 - 17T + 21$ $-9T^5 + 60T^4 - 171T^3 + 316T^2 - 436T + 480$	3 / $\times$ 2 / $\times$
	$10_{112}^a$ $-T^4 + 5T^3 - 11T^2 + 17T - 19$ $T^7 - 8T^6 + 29T^5 - 68T^4 + 115T^3 - 152T^2 + 175T - 180$	4 / $\times$ 2 / $\times$		$10_{113}^a$ $2T^3 - 11T^2 + 26T - 33$ $-5T^5 + 42T^4 - 167T^3 + 394T^2 - 623T + 720$	3 / $\times$ 1 / $\times$
	$10_{114}^a$ $-2T^3 + 10T^2 - 21T + 27$ $T^5 - 8T^4 + 30T^3 - 78T^2 + 140T - 168$	3 / $\times$ 1 / $\times$		$10_{115}^a$ 0 $-T^3 + 9T^2 - 26T + 37$	3 / $\times$ 2 / $\checkmark$
	$10_{116}^a$ $-T^4 + 5T^3 - 12T^2 + 19T - 21$ $T^7 - 8T^6 + 30T^5 - 74T^4 + 132T^3 - 184T^2 + 217T - 228$	4 / $\times$ 2 / $\times$		$10_{117}^a$ $2T^3 - 10T^2 + 24T - 31$ $-5T^5 + 38T^4 - 144T^3 + 330T^2 - 522T + 600$	3 / $\times$ 2 / $\times$

knot diag	$n'_k$ $(\rho'_1)^+$	Alexander's $\omega^+$ $(\rho'_2)^+$	genus / ribbon unknotting # / amphi?	knot diag	$n'_k$ $(\rho'_1)^+$	Alexander's $\omega^+$ $(\rho'_2)^+$	genus / ribbon unknotting # / amphi?
	$10^7_{118}$ 0	$T^4 - 5T^3 + 12T^2 - 19T + 23$	4 / ✗ 1 / ✓		$10^a_{119}$ 0	$-2T^3 + 10T^2 - 23T + 31$ $-T^3 + 6T^4 - 26T^3 + 86T^2 - 175T + 220$	3 / ✗ 1 / ✗
		$16T^{16} - 275T^{15} + 2305T^{14} - 12526T^{13} + 49379T^{12} - 149077T^{11} + 352067T^{10} - 641987T^9 + 825146T^8 - 3994947T^7 - 14580867T^6 + 56417847T^5 - 12589879T^4 + 21712756T^3 - 31187934T^2 + 38432195T - 41152780$				$142T^{12} - 2288T^{11} + 17392T^{10} - 81560T^9 + 255719T^8 - 521820T^7 + 483354T^6 + 990524T^5 - 5618050T^4 + 14499405T^3 - 26339835T^2 + 36916418T - 41198798$	
	$10^a_{120}$ $166T^3 - 692T^2 + 1433T - 1788$	$8T^2 - 26T + 37$	2 / ✗ 2, 3 / ✗		$10^a_{121}$ $5T^5 - 42T^4 + 167T^3 - 396T^2 + 634T - 732$	$2T^3 - 11T^2 + 27T - 35$	3 / ✗ 2 / ✗
		$-11768T^8 + 201320T^7 - 1541132T^6 + 7193960T^5 - 23193562T^4 + 55098408T^3 - 100101157T^2 + 142136186T - 159564534$				$118T^{12} - 2016T^{11} + 15853T^{10} - 73450T^9 + 204605T^8 - 232351T^7 - 764251T^6 + 5054205T^5 - 15890853T^4 + 35160633T^3 - 59996079T^2 + 81831748T - 90616328$	
	$10^a_{122}$ $-7T^5 + 8T^4 - 34T^3 + 104T^2 - 211T + 264$	$-2T^3 + 11T^2 - 24T + 31$	3 / ✗ 2 / ✗		$10^a_{123}$ 0	$T^4 - 6T^3 + 15T^2 - 24T + 29$	4 / ✓ 2 / ✓
		$142T^{12} - 2512T^{11} + 20355T^{10} - 99362T^9 + 318535T^8 - 657014T^7 + 617040T^6 + 1199636T^5 - 6869579T^4 + 17663208T^3 - 31953091T^2 + 44656222T - 49787168$				$16T^{16} - 330T^{15} + 3216T^{14} - 19770T^{13} + 86170T^{12} - 282500T^{11} + 715162T^{10} - 1388790T^9 + 1917350T^8 - 1169720T^7 - 2832520T^6 + 12363784T^5 - 28689660T^4 + 50560110T^3 - 73579700T^2 + 91325158T - 98015944$	
	$10^a_{124}$ $-4T^7 - 6T^4 - 4T^2 - 6T$	$T^4 - T^3 + T - 1$	4 / ✗ 4 / ✗		$10^a_{125}$ $-T^5 + 2T^4 - 2T^3 + 3T - 4$	$T^3 - 2T^2 + 2T - 1$	3 / ✗ 2 / ✗
		$9T^{15} - 25T^{14} + 107T^{13} + 75T^{12} - 177T^{11} + 155T^{10} + 113T^9 - 570T^8 + 850T^7 - 428T^6 - 824T^5 + 2167T^4 - 2340T^3 + 510T^2 + 2375T - 3832$				$8T^{12} - 50T^{11} + 151T^{10} - 289T^9 + 417T^8 - 524T^7 + 536T^6 - 150T^5 - 1168T^4 + 3942T^3 - 8130T^2 + 12314T - 14126$	
	$10^a_{126}$ $T^5 - 2T^4 + 10T^3 - 12T^2 + 22T - 20$	$T^3 - 2T^2 + 4T - 5$	3 / ✗ 2 / ✗		$10^a_{127}$ $2T^5 - 14T^4 + 32T^3 - 52T^2 + 67T - 72$	$-T^3 + 4T^2 - 6T + 7$	3 / ✗ 2 / ✗
		$8T^{12} - 50T^{11} + 185T^{10} - 457T^9 + 666T^8 - 187T^7 - 3074T^6 + 10724T^5 - 24495T^4 + 43738T^3 - 64631T^2 + 81072T - 87356$				$5T^{12} - 48T^{11} + 128T^{10} + 289T^9 - 3551T^8 + 15554T^7 - 46589T^6 + 109206T^5 - 211625T^4 + 348370T^3 - 494107T^2 + 608154T - 651576$	
	$10^a_{128}$ $-13T^5 + 12T^4 - 3T^3 - 10T^2 - 9T + 12$	$2T^3 - 3T^2 + T + 1$	3 / ✗ 3 / ✗		$10^a_{129}$ $-T^3 - 2T^2 + 14T - 20$	$2T^2 - 6T + 9$	2 / ✓ 1 / ✗
		$-26T^{12} + 296T^{11} - 1071T^{10} + 17507T^9 + 1107T^8 + 287T^7 - 2938T^6 + 7959T^5 - 7820T^4 + 3175T^3 - 872T^2 + 28392T - 40368$				$62T^8 - 568T^7 + 2280T^6 - 4308T^5 - 553T^4 + 25616T^3 - 76125T^2 + 132258T - 157332$	
	$10^a_{130}$ $T^3 - 2T^2 + 19T - 24$	$2T^2 - 4T + 5$	2 / ✗ 2 / ✗		$10^a_{131}$ $5T^3 - 38T^2 + 87T - 112$	$-2T^2 + 8T - 11$	2 / ✗ 1 / ✗
		$62T^8 - 336T^7 + 924T^6 - 1568T^5 + 253T^4 + 8384T^3 - 28668T^2 + 53628T - 65374$				$38T^8 - 272T^7 - 580T^6 + 12792T^5 - 66417T^4 + 202096T^3 - 422662T^2 + 646440T - 742870$	
	$10^a_{132}$ $2T^2 + 5T - 4$	$T^2 - T + 1$	2 / ✗ 1 / ✗		$10^a_{133}$ $T^3 - 14T^2 + 37T - 48$	$-T^2 + 5T - 7$	2 / ✗ 1 / ✗
		$4T^8 - 7T^7 + 12T^6 - 145T^5 + 508T^4 - 631T^3 - 322T^2 + 2150T - 3150$				$3T^8 - 437T^7 + 16T^6 + 1489T^5 - 9322T^4 + 30945T^3 - 68047T^2 + 106954T - 123994$	
	$10^a_{134}$ $-13T^5 + 24T^4 - 33T^3 + 30T^2 - 41T + 40$	$2T^3 - 4T^2 + 4T - 3$	3 / ✗ 3 / ✗		$10^a_{135}$ $T^3 - 6T^2 + 18T - 24$	$3T^2 - 9T + 13$	2 / ✗ 2 / ✗
		$-26T^{12} + 376T^{11} - 2056T^{10} + 6760T^9 - 16248T^8 + 32568T^7 - 58951T^6 + 98316T^5 - 150194T^4 + 210738T^3 - 273246T^2 + 324124T - 344346$				$321T^8 - 2613T^7 + 8905T^6 - 12033T^5 - 19329T^4 + 132451T^3 - 337025T^2 + 553002T - 647370$	
	$10^a_{136}$ $-T^3 + 4T^2 - 2T - 4$	$-T^2 + 4T - 5$	2 / ✗ 1 / ✗		$10^a_{137}$ $-4T^2 + 24T - 44$	$T^2 - 6T + 11$	2 / ✓ 1 / ✗
		$3T^8 - 36T^7 + 189T^6 - 512T^5 + 347T^4 + 2660T^3 - 11142T^2 + 22668T - 28354$				$4T^8 - 74T^7 + 512T^6 - 1420T^5 - 1160T^4 + 21074T^3 - 72904T^2 + 140922T - 173900$	
	$10^a_{138}$ $-7T^5 + 8T^4 - 22T^3 + 24T^2 - 11T + 8$	$T^3 - 5T^2 + 8T - 7$	3 / ✗ 2 / ✗		$10^a_{139}$ $-4T^7 - 12T^4 + 5T^3 - 4T^2 - 16T + 12$	$T^4 - T^3 + 2T - 3$	4 / ✗ 4 / ✗
		$8T^{12} - 125T^{11} + 855T^{10} - 3374T^9 + 8458T^8 - 13328T^7 + 8173T^6 + 25863T^5 - 114602T^4 + 277037T^3 - 497313T^2 + 702260T - 787812$				$9T^{15} - 25T^{14} - 3T^{13} + 172T^{12} - 425T^{11} + 290T^{10} + 924T^9 - 3099T^8 + 4327T^7 - 1756T^6 - 5200T^5 + 12117T^4 - 11846T^3 + 15477T^2 + 12451T - 19002$	
	$10^a_{140}$ $8T - 8$	$T^2 - 2T + 3$	2 / ✓ 2 / ✗		$10^a_{141}$ $T^3 - 8T^2 + 16T - 20$	$-T^3 + 3T^2 - 4T + 5$	3 / ✗ 1 / ✗
		$4T^8 - 22T^7 + 90T^6 - 292T^5 + 424T^4 + 430T^3 - 3056T^2 + 6470T - 8104$				$9T^{12} - 87T^{11} + 396T^{10} - 1150T^9 + 2382T^8 - 3516T^7 + 2746T^6 + 3397T^5 - 19148T^4 + 46359T^3 - 80476T^2 + 109936T - 121692$	
	$10^a_{142}$ $-13T^5 + 12T^4 - 13T^3 + 4T^2 - 17T + 12$	$2T^3 - 3T^2 + 2T - 1$	3 / ✗ 3 / ✗		$10^a_{143}$ $T^5 - 4T^4 + 15T^3 - 28T^2 + 45T - 48$	$T^3 - 3T^2 + 6T - 7$	3 / ✗ 1 / ✗
		$-26T^{12} + 296T^{11} - 1155T^{10} + 2582T^9 - 4276T^8 + 6812T^7 - 11749T^6 + 19392T^5 - 27878T^4 + 36798T^3 - 48891T^2 + 62932T - 69706$				$8T^{12} - 75T^{11} + 362T^{10} - 1106T^9 + 2070T^8 - 1092T^7 - 7698T^6 + 33841T^5 - 86216T^4 + 164927T^3 - 254838T^2 + 327896T - 356170$	
	$10^a_{144}$ $10T^3 - 44T^2 + 80T - 96$	$-3T^2 + 10T - 13$	2 / ✗ 2 / ✗		$10^a_{145}$ $2T^3 + 8T^2 + 6T - 8$	$T^2 + T - 3$	2 / ✗ 2 / ✗
		$222T^8 - 1642T^7 + 3140T^6 + 12252T^5 - 94326T^4 + 307146T^3 - 651636T^2 + 998418T - 1147140$				$-5T^7 + 7T^6 + 113T^5 - 141T^4 - 465T^3 + 730T^2 + 850T - 2198$	
	$10^a_{146}$ $T^3 - 8T^2 + 21T - 28$	$2T^2 - 8T + 13$	2 / ✗ 1 / ✗		$10^a_{147}$ $-3T^3 + 12T^2 - 15T + 12$	$-2T^2 + 7T - 9$	2 / ✗ 1 / ✗
		$62T^8 - 664T^7 + 2844T^6 - 4544T^5 - 9663T^4 + 71376T^3 - 197106T^2 + 340392T - 405394$				$54T^8 - 488T^7 + 1697T^6 - 1694T^5 - 8312T^4 + 42905T^3 - 107222T^2 + 177492T - 208860$	
	$10^a_{148}$ $T^5 - 4T^4 + 18T^3 - 36T^2 + 62T - 68$	$T^3 - 3T^2 + 7T - 9$	3 / ✗ 2 / ✗		$10^a_{149}$ $2T^5 - 18T^4 + 55T^3 - 104T^2 + 149T - 164$	$-T^3 + 5T^2 - 9T + 11$	3 / ✗ 2 / ✗
		$8T^{12} - 75T^{11} + 377T^{10} - 1209T^9 + 2330T^8 - 864T^7 - 11900T^6 + 51677T^5 - 135261T^4 + 266207T^3 - 420746T^2 + 549160T - 599424$				$5T^{12} - 61T^{11} + 226T^{10} + 339T^9 - 7195T^8 + 38874T^7 - 13572T^6 + 357173T^5 - 753890T^4 + 1318245T^3 - 1945105T^2 + 2447584T - 2640944$	
	$10^a_{150}$ $-2T^5 + 12T^4 - 26T^3 + 38T^2 - 45T + 44$	$-T^3 + 4T^2 - 6T + 7$	3 / ✗ 2 / ✗		$10^a_{151}$ $-T^5 + 6T^4 - 21T^3 + 42T^2 - 66T + 72$	$T^3 - 4T^2 + 10T - 13$	3 / ✗ 2 / ✗
		$5T^{12} - 52T^{11} + 216T^{10} - 355T^9 - 719T^8 + 6578T^7 - 24361T^6 + 64526T^5 - 137117T^4 + 243126T^3 - 364723T^2 + 464942T - 504136$				$8T^{12} - 100T^{11} + 632T^{10} - 2529T^9 + 6645T^8 - 9606T^7 - 5854T^6 + 80466T^5 - 270269T^4 + 605378T^3 - 1033839T^2 + 1408362T - 1558600$	
	$10^a_{152}$ $4T^7 - 7T^5 + 18T^4 - 7T^3 - 12T^2 + 45T - 52$	$T^4 - T^3 - T^2 + 4T - 5$	4 / ✗ 4 / ✗		$10^a_{153}$ $T^5 - 2T^4 + T^3 + 2T^2 - T$	$T^3 - T^2 - T + 3$	3 / ✓ 2 / ✗
		$9T^{15} - 14T^{14} - 92T^{13} + 396T^{12} - 419T^{11} - 1212T^{10} + 5444T^9 - 9692T^8 + 6412T^7 + 11488T^6 - 39344T^5 + 55244T^4 - 33234T^3 - 30168T^2 + 102115T - 133894$				$8T^{12} - 17T^{11} - 46T^{10} + 231T^9 - 381T^8 + 364T^7 - 367T^6 + 157T^5 + 1142T^4 - 2815T^3 + 1874T^2 + 2128T - 4572$	
	$10^a_{154}$ $-3T^5 - 6T^4 + 13T^3 - 47T + 68$	$T^3 - 4T + 7$	3 / ✗ 3 / ✗		$10^a_{155}$ $-2T^3 + 12T^2 - 22T + 28$	$-T^3 + 3T^2 - 5T + 7$	3 / ✓ 2 / ✗
		$48T^{10} - 93T^9 - 546T^8 + 2396T^7 - 1956T^6 - 8376T^5 + 25906T^4 - 23802T^3 - 25690T^2 + 102540T - 140874$				$9T^{12} - 87T^{11} + 417T^{10} - 1321T^9 + 3014T^8 - 4806T^7 + 3646T^6 + 6917T^5 - 34773T^4 + 82963T^3 - 142781T^2 + 193836T - 214060$	
	$10^a_{156}$ $T^5 - 6T^4 + 19T^3 - 30T^2 + 33T - 32$	$T^3 - 4T^2 + 8T - 9$	3 / ✗ 1 / ✗		$10^a_{157}$ $-2T^5 + 22T^4 - 78T^3 + 148T^2 - 218T + 240$	$-T^3 + 6T^2 - 11T + 13$	3 / ✗ 2 / ✗
		$8T^{12} - 100T^{11} + 594T^{10} - 2165T^9 + 5120T^8 - 6852T^7 - 2208T^6 + 41208T^5 - 134214T^4 + 293026T^3 - 493422T^2 + 668112T - 738218$				$5T^{12} - 74T^{11} + 340T^{10} + 321T^9 - 11314T^8 + 67637T^7 - 250977T^6 + 688036T^5 - 1493487T^4 + 2661131T^3 - 3974091T^2 + 5034465T - 5444000$	



knot diag	$n'_k$ Alexander's $\omega^+$ $(\rho'_1)^+$	genus / ribbon unknotting # / amphi?	knot diag	$n'_k$ Alexander's $\omega^+$ $(\rho'_1)^+$	genus / ribbon unknotting # / amphi?
	$10_{158}^n$ $2T^2 - 7T + 12$	$-T^3 + 4T^2 - 10T + 15$ 3 / ✗ 2 / ✗		$10_{159}^n$ $T^5 - 6T^4 + 26T^3 - 60T^2 + 98T - 112$	$T^3 - 4T^2 + 9T - 11$ 3 / ✗ 1 / ✗
	$9T^{12} - 116T^{11} + 764T^{10} - 3275T^9 + 9743T^8 - 19422T^7 + 18439T^6 + 32898T^5 - 196271T^4 + 513374T^3 - 940025T^2 + 1323614T - 1479452$			$8T^{12} - 100T^{11} + 609T^{10} - 2267T^9 + 5047T^8 - 3237T^7 - 23513T^6 + 115362T^5 - 318739T^4 + 648093T^3 - 1045247T^2 + 1379659T - 1511358$	
	$10_{160}^n$ $-2T^5 + 12T^4 - 20T^3 + 14T^2 - 16T + 12$	$-T^3 + 4T^2 - 4T + 3$ 3 / ✗ 2 / ✗		$10_{161}^n$ $3T^5 + 6T^4 - 3T^3 + 4T^2 + 14T - 12$	$T^3 - 2T + 3$ 3 / ✗ 3 / ✗
	$5T^{12} - 52T^{11} + 198T^{10} - 255T^9 - 522T^8 + 3092T^7 - 8443T^6 + 18756T^5 - 37588T^4 + 67858T^3 - 108568T^2 + 148444T - 165862$			$30T^{10} - 537^9 - 145T^8 + 630T^7 - 674T^6 - 870T^5 + 3591T^4 - 4450T^3 + 581T^2 + 6166T - 9640$	
	$10_{162}^n$ $10T^3 - 38T^2 + 58T - 68$	$-3T^2 + 9T - 11$ 2 / ✗ 2 / ✗		$10_{163}^n$ $-T^5 + 8T^4 - 30T^3 + 62T^2 - 89T + 96$	$T^3 - 5T^2 + 12T - 15$ 3 / ✗ 1, 2 / ✗
	$222T^8 - 1473T^7 + 2609T^6 + 8829T^5 - 65543T^4 + 206079T^3 - 427536T^2 + 647498T - 741358$			$8T^{12} - 125T^{11} + 923T^{10} - 4154T^9 + 12040T^8 - 19732T^7 - 4345T^6 + 140575T^5 - 506052T^4 + 1171653T^3 - 2040193T^2 + 2809224T - 3119648$	
	$10_{164}^n$ $T^3 - 10T^2 + 29T - 40$	$3T^2 - 11T + 17$ 2 / ✗ 1 / ✗		$10_{165}^n$ $-5T^3 + 50T^2 - 146T + 196$	$-2T^2 + 10T - 15$ 2 / ✗ 2 / ✗
	$321T^8 - 3179T^7 + 12782T^6 - 20103T^5 - 32876T^4 + 254013T^3 - 688337T^2 + 1170838T - 1386922$			$38T^8 - 344T^7 - 848T^6 + 23020T^5 - 137555T^4 + 465256T^3 - 1047705T^2 + 1673914T - 1951560$	