

Pensieve header: Demo of NOE-0 and NOE-1t for LesDiablerets-1608. Follows pensieve://Projects/OneCo-1606/.

```
SetDirectory["C:\\drorbn\\AcademicPensieve\\Talks\\LesDiablerets-1608"];
```

NOE-0

OR

$$R_{\theta, i_-, j_-}^+ := \mathbb{E} [b_i c_j + b_i^{-1} (e^{b_i} - 1) u_i w_j]; \quad R_{\theta, i_-, j_-}^- := \mathbb{E} [-b_i c_j + b_i^{-1} (e^{-b_i} - 1) u_i w_j];$$

OUtil

```
CF[\omega_-. \mathbb{E}[Q_-]] := Simplify[\omega] \mathbb{E}[Simplify[Q]];
\mathbb{E} /: \mathbb{E}[Q1_-] \mathbb{E}[Q2_-] := CF@\mathbb{E}[Q1 + Q2];
\omega1_-. \mathbb{E}[Q1_-] \equiv \omega2_-. \mathbb{E}[Q2_-] := Simplify[\omega1 == \omega2 \wedge Q1 == Q2];
```

ONO

```
N_{u_i c_j \to k_-} [\omega_-. \mathbb{E}[Q_-]] := CF [
  \omega \mathbb{E} [e^{-\gamma} \beta u_k + \gamma c_k + (Q / . c_j | u_i \to \theta)] /. {\gamma \to \partial_{c_j} Q, \beta \to \partial_{u_i} Q};
N_{w_i c_j \to k_-} [\omega_-. \mathbb{E}[Q_-]] := CF [
  \omega \mathbb{E} [e^{\gamma} \alpha w_k + \gamma c_k + (Q / . c_j | w_i \to \theta)] /. {\gamma \to \partial_{c_j} Q, \alpha \to \partial_{w_i} Q};
N_{w_i u_j \to k_-} [\omega_-. \mathbb{E}[Q_-]] := CF [
  v \omega \mathbb{E} [-b_k v \alpha \beta + v \beta u_k + v \delta u_k w_k + v \alpha w_k + (Q / . w_i | u_j \to \theta)] /. v \to (1 + b_k \delta)^{-1} /.
  {\alpha \to \partial_{w_i} Q / . u_j \to \theta, \beta \to \partial_{u_j} Q / . w_i \to \theta, \delta \to \partial_{w_i, u_j} Q};
```

Om

```
m_{i_-, j_- \to k_-} [\omega_-. \mathbb{E}[Q_-]] := CF [Module[{x},
  (\omega \mathbb{E}[Q] / . b_i | j \to b_k // N_{w_i c_j \to x} // N_{u_i c_x \to x} // N_{w_x u_j \to x}) / . {c_i \to c_k, w_j \to w_k, y_x \to y_k}]]
```

T00

$$T_{\theta, \theta} = R_{\theta, 5, 1}^+ R_{\theta, 2, 4}^+ R_{\theta, 3, 6}^-$$

T00

$$\mathbb{E} \left[b_5 c_1 + b_2 c_4 - b_3 c_6 + \frac{(-1 + e^{b_5}) u_5 w_1}{b_5} + \frac{(-1 + e^{b_2}) u_2 w_4}{b_2} + \frac{(-1 + e^{-b_3}) u_3 w_6}{b_3} \right]$$

T01

$$T_{\theta, 1} = T_{\theta, \theta} // N_{u_3 c_4 \to 4}$$

T01

$$\mathbb{E} \left[b_5 c_1 + b_2 c_4 - b_3 c_6 + \frac{(-1 + e^{b_5}) u_5 w_1}{b_5} + \frac{(-1 + e^{b_2}) u_2 w_4}{b_2} + \frac{e^{-b_2} (-1 + e^{-b_3}) u_4 w_6}{b_3} \right]$$

T02

$$T_{\theta, 2} = T_{\theta, 1} // N_{w_4 u_5 \to 4}$$

T02

$$\mathbb{E} \left[b_5 c_1 + b_2 c_4 + \frac{(-1 + e^{b_5}) (-(-1 + e^{b_2}) b_4 u_2 + b_2 u_4) w_1}{b_2 b_5} + \frac{(-1 + e^{b_2}) u_2 w_4}{b_2} - \frac{b_3^2 c_6 + e^{-b_2 - b_3} (-1 + e^{b_3}) u_4 w_6}{b_3} \right]$$

T03

$$T_{\theta, 2} // N_{w_1 u_2 \to 1}$$

T03

$$\frac{1}{1 - \frac{(-1 + e^{b_2}) (-1 + e^{b_5}) b_1 b_4}{b_2 b_5}} \mathbb{E} \left[\frac{1}{b_3 \left((-1 + e^{b_2}) (-1 + e^{b_5}) b_1 b_4 - b_2 b_5 \right)} \right. \\ \left. \left(b_3 b_5 \left((-1 + e^{b_2}) (-1 + e^{b_5}) b_1 b_4 - b_2 b_5 \right) c_1 + b_2 b_3 \left((-1 + e^{b_2}) (-1 + e^{b_5}) b_1 b_4 - b_2 b_5 \right) c_4 + \right. \right. \\ \left. \left. (-1 + e^{b_2}) (-1 + e^{b_5}) b_3 b_4 u_1 w_1 - (-1 + e^{b_5}) b_2 b_3 u_4 w_1 - (-1 + e^{b_2}) b_3 b_5 u_1 w_4 + \right. \right. \\ \left. \left. (-1 + e^{b_2}) (-1 + e^{b_5}) b_1 b_3 u_4 w_4 - \left((-1 + e^{b_2}) (-1 + e^{b_5}) b_1 b_4 - b_2 b_5 \right) (b_3^2 c_6 + e^{-b_2 - b_3} (-1 + e^{b_3}) u_4 w_6) \right) \right]$$

T04

$$T_{0,0} // m_{1,2 \rightarrow 1} // m_{3,4 \rightarrow 3} // m_{3,5 \rightarrow 3} // m_{3,6 \rightarrow 3}$$

T04

$$\mathbb{E} \left[b_3 c_1 + b_1 c_3 - b_3 c_3 + \frac{(-1 + e^{b_1})(-1 + e^{b_3})}{(-e^{b_1} - e^{b_3} + e^{b_1+b_3})} \frac{u_1 w_1}{b_1} - \frac{e^{-b_3}(-1 + e^{b_1})}{(-e^{b_1} - e^{b_3} + e^{b_1+b_3})} \frac{(b_3 u_1 - e^{b_3}(-1 + e^{b_3})) b_1 u_3}{b_1 b_3} w_3 + \frac{e^{-b_1}(-1 + e^{b_3})}{(-e^{b_1} - e^{b_3} + e^{b_1+b_3})} \frac{u_3 (-e^{b_1+b_3} w_1 + (e^{b_1} + e^{b_3} - e^{b_1+b_3}) w_3)}{b_3} \right] / (1 - (-1 + e^{b_1})(-1 + e^{b_3}))$$

0Q0

$$Q0 = \mathbb{E} [\text{Sum}[f_i c_i, \{i, 3\}] + \text{Sum}[f_{i,j} u_i w_j, \{i, 3\}, \{j, 3\}]]$$

0Q0

$$\mathbb{E} [c_1 f_1 + c_2 f_2 + c_3 f_3 + u_1 w_1 f_{1,1} + u_1 w_2 f_{1,2} + u_1 w_3 f_{1,3} + u_2 w_1 f_{2,1} + u_2 w_2 f_{2,2} + u_2 w_3 f_{2,3} + u_3 w_1 f_{3,1} + u_3 w_2 f_{3,2} + u_3 w_3 f_{3,3}]$$

0NODemo

$$Q0 // N_{w_i u_{2 \rightarrow 3}}$$

0NODemo

$$\frac{1}{1 + b_3 f_{2,1}} \mathbb{E} \left[c_1 f_1 + c_2 f_2 + c_3 f_3 + u_1 w_2 f_{1,2} + u_1 w_3 f_{1,3} + \frac{u_3 w_3 f_{2,1}}{1 + b_3 f_{2,1}} + \frac{u_3 (w_2 f_{2,2} + w_3 f_{2,3})}{1 + b_3 f_{2,1}} + \frac{w_3 (u_1 f_{1,1} + u_3 f_{3,1})}{1 + b_3 f_{2,1}} - \frac{b_3 (w_2 f_{2,2} + w_3 f_{2,3})}{1 + b_3 f_{2,1}} \frac{(u_1 f_{1,1} + u_3 f_{3,1})}{1 + b_3 f_{2,1}} + u_3 w_2 f_{3,2} + u_3 w_3 f_{3,3} \right]$$

0mDemo

$$Q0 // m_{1,2 \rightarrow 1}$$

0mDemo

$$\frac{1}{1 + e^{f_2} b_1 f_{2,1}} \mathbb{E} \left[c_1 f_1 + c_1 f_2 + c_3 f_3 + e^{-f_2} u_1 (w_1 f_{1,2} + w_3 f_{1,3}) + \frac{e^{f_2} u_1 w_1 f_{2,1}}{1 + e^{f_2} b_1 f_{2,1}} + \frac{u_1 (w_1 f_{2,2} + w_3 f_{2,3})}{1 + e^{f_2} b_1 f_{2,1}} + \frac{w_1 (u_1 f_{1,1} + e^{f_2} u_3 f_{3,1})}{1 + e^{f_2} b_1 f_{2,1}} - \frac{b_1 (w_1 f_{2,2} + w_3 f_{2,3})}{1 + e^{f_2} b_1 f_{2,1}} \frac{(u_1 f_{1,1} + e^{f_2} u_3 f_{3,1})}{1 + e^{f_2} b_1 f_{2,1}} + u_3 w_1 f_{3,2} + u_3 w_3 f_{3,3} \right]$$

0MetaAssoc

$$(Q0 // m_{1,2 \rightarrow 1} // m_{1,3 \rightarrow 1}) \equiv (Q0 // m_{2,3 \rightarrow 2} // m_{1,2 \rightarrow 1})$$

0MetaAssoc

True

0R3Left

$$t1 = R_{0,1,2}^+ R_{0,3,4}^+ R_{0,5,6}^+ // m_{3,5 \rightarrow x} // m_{1,6 \rightarrow y} // m_{2,4 \rightarrow z}$$

0R3Left

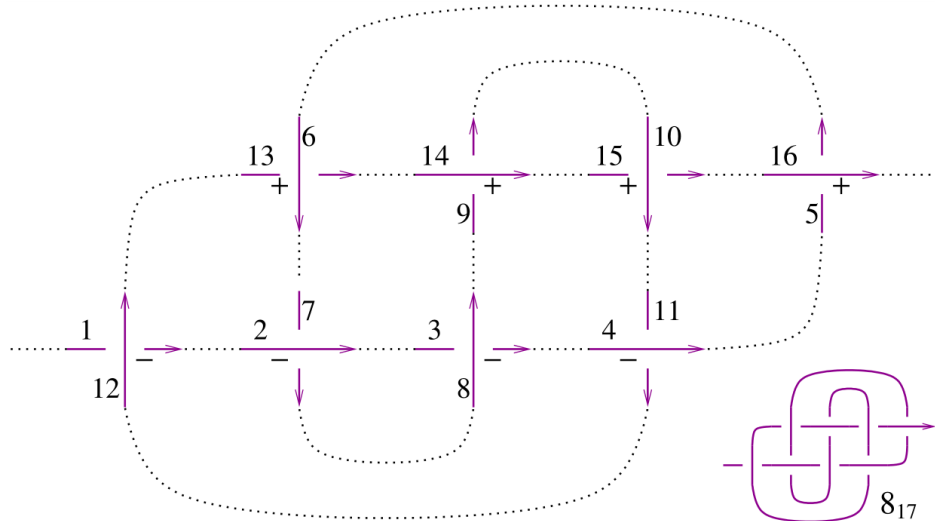
$$\mathbb{E} \left[b_x (c_y + c_z) + \frac{(-1 + e^{b_x}) u_x (w_y + w_z)}{b_x} + \frac{b_y^2 c_z + (-1 + e^{b_y}) u_y w_z}{b_y} \right]$$

0R3

$$t1 \equiv (R_{0,1,2}^+ R_{0,3,4}^+ R_{0,5,6}^+ // m_{1,3 \rightarrow x} // m_{2,5 \rightarrow y} // m_{4,6 \rightarrow z})$$

0R3

True



0817

```
z1 = R0-,12,1 R0-,2,7 R0-,8,3 R0-,4,11 R0+,16,5 R0+,6,13 R0+,14,9 R0+,10,15;
Do[z1 = (z1 // m1, n-1) /. b_ -> b, {n, 2, 16}];
{CF@z1, KnotData[{8, 17}, "AlexanderPolynomial"] [t]}
```

0817

$$\left\{ -\frac{e^{3b} \mathbb{E}[\theta]}{1 - 4e^b + 8e^{2b} - 11e^{3b} + 8e^{4b} - 4e^{5b} + e^{6b}}, 11 - \frac{1}{t^3} + \frac{4}{t^2} - \frac{8}{t} - 8t + 4t^2 - t^3 \right\}$$

NOE-It

Logos

$$\Delta[k_] := (1 - t_k) (\alpha^2 \beta^2 + 4 \alpha \beta \delta \mu + 2 \delta^2 \mu^2) / 2 + 2 \mu^2 (\alpha \beta + \delta \mu) c_k - \beta (2 \mu - 1) (\alpha \beta + 2 \delta \mu) u_k + 2 \beta \delta \mu^2 c_k u_k - \beta^2 \delta (3 \mu - 1) u_k^2 / 2 + \alpha (\alpha \beta + 2 \delta \mu) w_k + 2 \alpha \delta \mu^2 c_k w_k - 2 (t_k - 1) \delta^2 (\alpha \beta + \delta \mu) u_k w_k + 2 \delta^2 \mu^2 c_k u_k w_k - \beta \delta^2 (2 \mu - 1) u_k^2 w_k + \alpha^2 \delta (1 + \mu) w_k^2 / 2 + \alpha \delta^2 u_k w_k^2 - (t_k - 1) \delta^4 u_k^2 w_k^2 / 2;$$

1DP

```
DPx->Dy, y->Dz [P_] [f_] := (* means P[∂α, ∂β] [f] *)
Total[CoefficientRules[P, {x, y}] /. ({m_, n_} -> c_) -> c D[f, {α, m}, {β, n}]]
```

1Util

```
CF[E[ω_, L_, Q_, P_]] := Expand /@ Together /@
  E[ω /. bL_ -> Log[tL], L, Q /. bL_ -> Log[tL], P /. bL_ -> Log[tL]];
E /: E[ω1_, L1_, Q1_, P1_] E[ω2_, L2_, Q2_, P2_] := CF@E[ω1 ω2, L1 + L2, ω2 Q1 + ω1 Q2, ω2^4 P1 + ω1^4 P2];
```

1NOc

```
Nu_i c_j -> k_ [E[ω_, L_, Q_, P_]] := With[{q = e^{-γ} β u_k + γ c_k}, CF[
  E[ω, γ c_k + (L /. c_j -> θ), ω e^{-γ} β u_k + (Q /. u_i -> θ), e^{-q} DP_{c_j -> D_γ, u_i -> D_β} [P] [e^q]] /. {γ -> ∂_{c_j} L, β -> ω^{-1} ∂_{u_i} Q}]];
Nw_i c_j -> k_ [E[ω_, L_, Q_, P_]] := With[{q = e^{γ} α w_k + γ c_k}, CF[
  E[ω, γ c_k + (L /. c_j -> θ), ω e^{γ} α w_k + (Q /. w_i -> θ), e^{-q} DP_{c_j -> D_γ, w_i -> D_α} [P] [e^q]] /. {γ -> ∂_{c_j} L, α -> ω^{-1} ∂_{w_i} Q}]]];
```

1NOu

```
Nw_i u_j -> k_ [E[ω_, L_, Q_, P_]] := With[{q = (1 - t_k) μ^{-1} α β + μ^{-1} β u_k + μ^{-1} δ u_k w_k + μ^{-1} α w_k}, CF[
  E[μ ω, L, μ ω q + μ (Q /. w_i | u_j -> θ), μ^4 e^{-q} DP_{w_i -> D_α, u_j -> D_β} [P] [e^q] + ω^4 Δ[k]] /. μ -> 1 + (t_k - 1) δ /
  {α -> ω^{-1} (∂_{w_i} Q / . u_j -> θ), β -> ω^{-1} (∂_{u_j} Q / . w_i -> θ), δ -> ω^{-1} ∂_{w_i, u_j} Q}]]];
```

1m

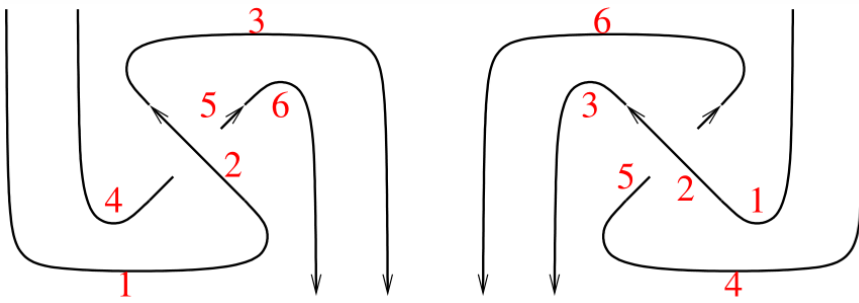
```
mi_, j -> k_ [Z_] := Module[{x, y, z},
  Z // Nw_i c_j -> x // Nw_k u_j -> y // ReplaceAll[{cx|y -> cx, w_j -> wy}] // Nu_i c_x -> x // ReplaceAll[z_{-i|j|x|y} -> zk] // CF]
```

1Gens

```
Ri+, j_ := E[1, bi c_j, ui w_j, -ci (ti - 1)^2 / 2 - ci^2 (ti - 1)^2 / 2 + ci c_j (tj^2 - ti - 2) / 2 - c_j ui w_i / 2 + ci (1 - ti) ui w_i - ui^2 w_i^2 / 2 + ui w_j + c_j ti ui w_j / 2 + ci (ti - 2) ti ui w_j + ci (1 + tj) uj w_j / 2 + (ti - 1) ui^2 w_i w_j - (ti - 2) ti ui^2 w_j^2 / 2];
Ri-, j_ := E[1, -bi c_j, -ti^{-1} ui w_j, ci (ti - 1)^2 / 2 + ci^2 (ti - 1)^2 / 2 + ci c_j (2 + ti - tj^2) / 2 + c_j ui w_i / 2 + ci (ti - 1) ui w_i + ui^2 w_i^2 / 2 + (1 - ti^{-1}) ui w_j / 2 + ci (2 ti - 5 + 3 ti^{-1}) ui w_j / 2 + c_j (ti^{-1} + 1 - ti^{-1} tj^2) ui w_j / 2 - ci (tj + 1) uj w_j / 2 + (2 - 3 ti^{-1}) ui^2 w_i w_j / 2 + (1 + 2 ti^{-2} - 3 ti^{-1}) ui^2 w_j^2 / 2 - ti^{-1} (1 + tj) ui uj w_j^2 / 2];
uri_ := E[ti^{-1/4}, 0, 0, ci ti / 4 + ui w_i / 8];
nri_ := E[ti^{1/4}, 0, 0, -ci ti^3 / 4 - ti^2 ui w_i / 8];
uli_ := E[ti^{1/4}, 0, 0, ci ti (4 + ti) / 4 - ti^2 ui w_i / 8];
nli_ := E[ti^{-1/4}, 0, 0, -ci (1 + 4 ti^{-1}) / 4 + ui w_i / 8];
```

```
Series[Last@Ri+, 2] /. {ui_ -> ħ ui, ti_ -> e^{ħ bi}}, {ħ, 0, 1}]
```

$$-c_1 c_2 + \left(-\frac{1}{2} b_1 c_1 c_2 + b_2 c_1 c_2 - \frac{1}{2} c_2 u_1 w_1 + u_1 w_2 - c_1 u_1 w_2 + \frac{1}{2} c_2 u_1 w_2 + c_1 u_2 w_2 \right) \hbar + O[\hbar]^2$$



1SwirlLeft

$$t_2 = ur_1 R_{2,5}^- nr_3 ur_4 nr_6 // m_{1,2 \rightarrow 1} // m_{1,3 \rightarrow 1} // m_{4,5 \rightarrow 4} // m_{4,6 \rightarrow 4}$$

1SwirlLeft

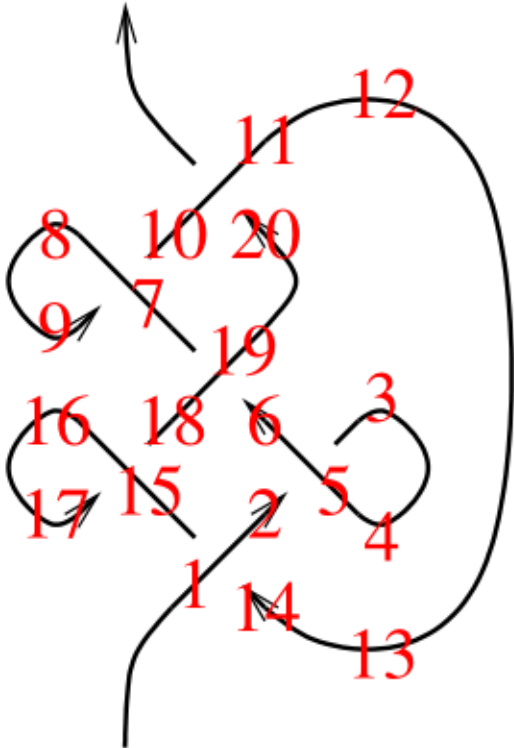
$$\begin{aligned} E \left[1, -b_1 c_4, -\frac{u_1 w_4}{t_1}, \frac{c_1}{2} + \frac{c_1^2}{2} + c_1 c_4 - c_1 t_1 - c_1^2 t_1 + \frac{1}{2} c_1 c_4 t_1 + \frac{1}{2} c_1 t_1^2 + \frac{1}{2} c_1^2 t_1^2 - \frac{1}{2} c_1 c_4 t_4^2 - c_1 u_1 w_1 + \frac{1}{2} c_4 u_1 w_1 + \right. \\ \left. c_1 t_1 u_1 w_1 + \frac{1}{2} u_1^2 w_1^2 + \frac{3 u_1 w_4}{8} - \frac{5}{2} c_1 u_1 w_4 + \frac{1}{2} c_4 u_1 w_4 - \frac{u_1 w_4}{2 t_1} + \frac{3 c_1 u_1 w_4}{2 t_1} + \frac{c_4 u_1 w_4}{2 t_1} - \frac{1}{8} t_1 u_1 w_4 + c_1 t_1 u_1 w_4 + \frac{t_4 u_1 w_4}{8 t_1} + \right. \\ \left. \frac{t_4^2 u_1 w_4}{8 t_1} - \frac{c_4 t_4^2 u_1 w_4}{2 t_1} - \frac{1}{2} c_1 u_4 w_4 - \frac{1}{2} c_1 t_4 u_4 w_4 + u_1^2 w_1 w_4 - \frac{3 u_1^2 w_1 w_4}{2 t_1} + \frac{1}{2} u_1^2 w_4^2 + \frac{u_1^2 w_4^2}{t_1^2} - \frac{3 u_1^2 w_4^2}{2 t_1} - \frac{u_1 u_4 w_4^2}{2 t_1} - \frac{t_4 u_1 u_4 w_4^2}{2 t_1} \right] \end{aligned}$$

1Swirl

$$t_2 = (ul_1 R_{2,5} nl_3 ul_4 nl_6 // m_{1,2 \rightarrow 1} // m_{1,3 \rightarrow 1} // m_{4,5 \rightarrow 4} // m_{4,6 \rightarrow 4})$$

1Swirl

True



131

$$z_2 = R_{1,14}^+ R_{5,2}^- nr_3 ul_4 R_{19,6}^+ R_{7,10}^- nl_8 ur_9 R_{11,20}^+ nr_{12} ul_{13} R_{15,18}^- nl_{16} ur_{17};$$

$$(Do[z_2 = z_2 // m_{1,k \rightarrow 1}, \{k, 2, 20\}]; z_2 = z_2 /. a_{-1} \to a)$$

131

$$\begin{aligned} E \left[-1 + \frac{1}{t} + t, 0, 0, -16 + \frac{9c}{2} - \frac{2c}{t^4} + \frac{1}{t^3} + \frac{11c}{2t^3} - \frac{4}{t^2} - \frac{8c}{t^2} + \frac{10}{t} + \frac{4c}{t} + 18t - 10ct - 14t^2 + 8ct^2 + 7t^3 - \frac{3ct^3}{2} - \right. \\ \left. 2t^4 - 2ct^4 + 2ct^5 - \frac{ct^6}{2} - 4uw + \frac{2uw}{t^4} - \frac{7uw}{2t^3} + \frac{9uw}{2t^2} + \frac{uw}{2t} + 6t uw - 2t^2 uw - \frac{1}{2} t^3 uw + \frac{3}{2} t^4 uw - \frac{1}{2} t^5 uw \right] \end{aligned}$$

131a

FromCoefficientRules[CoefficientRules[z2[[4]], {c, u, w}] /. {(e_ -> a_) => (e -> Simplify[a])}, {c, u, w}]

131a

$$-\frac{(1-t+t^2)^2(-1+2t-3t^2+2t^3)}{t^3} - \frac{c(1-t+t^2)^3(4+t-5t^2-t^3+t^4)}{2t^4} - \frac{(1-t+t^2)^3(-4-5t+t^3)uw}{2t^4}$$

Exporting the above as PDF files

The below is adapted from pensieve://2016-04/GaussGassner/GaussGassnerDemo.nb.

```

ConditionalExport[fname_String, rest___] := Module[{temp, exists},
  temp = "ConditionalExportTemporary" <> "." <> FileExtension[fname];
  exists = FileExistsQ[fname];
  Export[temp, rest];
  If[exists && FileByteCount[fname] === FileByteCount[temp],
    DeleteFile[temp],
    (* else *) Print["Exporting " <> fname <> "..."];
    If[exists, DeleteFile[fname]];
    RenameFile[temp, fname]
  ];
  fname
]

SetOptions[$FrontEndSession, PrintingStyleEnvironment -> "Working"];
TagProperties[_] := {};
TagProperties["ct-def"] = {PageWidth -> 6/0.66};
Options[CellExport] = {
  PageWidth -> 4/0.66, CellFilter -> Identity, ExportDirectory -> "Snips",
  ExportBaseFilename -> Automatic, ExportFormat -> ".pdf", ExportOptions -> {}, Split -> False
};
CellExport[tag_String, opts___Rule] := CellExport[
  NotebookGet[EvaluationNotebook[]],
  tag, opts
];
CellExport[nb_Notebook, tag_String] := CellExport[nb, tag, TagProperties[tag]];
CellExport[nb_Notebook, tag_String, OptionsPattern[]] := Module[
  {cells, cell, filename, format},
  filename = FileNameJoin[{
    OptionValue[ExportDirectory] /. Automatic -> Directory[],
    OptionValue[ExportBaseFilename] /. Automatic -> tag
  }];
  format = OptionValue[ExportFormat];
  cells = OptionValue[CellFilter][Cases[
    nb, c_Cell /; FreeQ[List@@c, Cell] && !FreeQ[c, CellTags -> tag],
    Infinity
  ]];
  If[!OptionValue[Split],
    If[Length[cells] >= 1,
      If[Length[cells] == 1,
        cells = Join[First[cells],
          Cell[PageWidth -> 1.2 * 72 OptionValue[PageWidth], Background -> {White, Opacity[0]}]],
        cells = Cell[CellGroup[cells], PageWidth -> 72 OptionValue[PageWidth]]
      ];
    ConditionalExport[
      filename <> format, cells,
      ImageResolution -> 300,
      OptionValue[ExportOptions]
    ]
  ]
];

```

```

]
],
k = 0;
Table[
  ++k;
  ConditionalExport[
    filename <> "-" <> ToString[k] <> format,
    Append[cell, PageWidth → 72 OptionValue[PageWidth]],
    ImageResolution → 300,
    OptionValue[ExportOptions]
  ],
  {cell, cells}
]
]
];

ExportCells := (
  nb = NotebookGet[EvaluationNotebook[]];
  tags = Cases[nb, (CellTags → tag_String) ⇒ tag, Infinity] // Union;
  Print[tags];
  CellExport /@ tags;
  Print["Done."]
);

```

ExportCells

```
{0817, 0m, 0mDemo, 0MetaAssoc, 0NO, 0NODemo, 0Q0, 0R, 0R3, 0R3Left, 0Util, 131,
  131a, 1DP, 1Gens, 1m, 1Noc, 1NOuw, 1Swirl, 1SwirlLeft, 1Util, Logos, T00, T01, T02, T03, T04}
```

Exporting Snips\1m.pdf...

Done.