

```

Expm, i, k[P_] := Block[{$k = k},
Module[{P0, λ, φ, φs, F, j, rhs, eqn, pows, at0, atλ},
P0 = Normal@P /. ε → 0;
F = Normal@Last@Expm, i, k-1[λ P];
While[
rhs =
mi, j→i[
E{i}→{i}[λ P0 /. (x | y)i → 0, λ P0 /. (b | a | t)i → 0,
F]k sσi→j@E{i}→{i}[0, 0, P]k] // Last // Normal;
eqn = CF[(∂λF) + P0 F - rhs];
eqn != 0, (*do*)
pows = First /@ CoefficientRules[eqn, {yi, bi, ai, xi}];
F += Sum[εk φjs[λ] Times@@ {yi, bi, ai, xi}js,
{js, pows}];
rhs =
mi, j→i[
E{i}→{i}[λ P0 /. (x | y)i → 0, λ P0 /. (b | a | t)i → 0,
F]k sσi→j@E{i}→{i}[0, 0, P]k] // Last // Normal;
eqn = CF[(∂λF) + P0 F - rhs];
φs = Table[φjs[λ], {js, pows}];
at0 = Table[φjs[0] == 0, {js, pows}];
atλ = (# == 0) & /@
(pows /. CoefficientRules[eqn, {yi, bi, ai, xi}]);
F = F /. DSolve[And@@ (at0 ∪ atλ), φs, λ][[1]]
];
E{i}→{i}[P0 /. (x | y)i → 0, P0 /. (b | a | t)i → 0,
F + 0[ε]k+1 /. λ → 1]] ]

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