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LZip $\zeta_S$ _List@ $\mathbb{E}$ [ $L_$ ,  $Q_$ ,  $P_$ ] :=
PP $L$ Zip@Module[ $\{\zeta$ ,  $z$ ,  $zs$ ,  $Zs$ ,  $c$ ,  $ys$ ,  $\eta_S$ ,  $lt$ ,  $zrule$ ,
  Zrule,  $\zeta$ rule,  $Q1$ ,  $EEQ$ ,  $EQ\}$ ,
 $zs$  = Table[ $\zeta^*$ ,  $\{\zeta$ ,  $\zeta_S\}$ ];
 $Zs$  =  $zs$  /.  $\{b \rightarrow B, t \rightarrow T, \alpha \rightarrow \mathcal{A}\}$ ;
 $c$  =  $L$  /. Alternatives@@ ( $\zeta_S \cup zs$ )  $\rightarrow \emptyset$ ;
 $ys$  = Table[ $\partial_\zeta$  ( $L$  /. Alternatives@@  $zs \rightarrow \emptyset$ ),  $\{\zeta$ ,  $\zeta_S\}$ ];
 $\eta_S$  = Table[ $\partial_z$  ( $L$  /. Alternatives@@  $\zeta_S \rightarrow \emptyset$ ),  $\{z$ ,  $zs\}$ ];
 $lt$  = Inverse@Table[ $K\delta_{z,\zeta^*} - \partial_{z,\zeta}L$ ,  $\{\zeta$ ,  $\zeta_S\}$ ,  $\{z$ ,  $zs\}$ ];
 $zrule$  = Thread[ $zs \rightarrow lt.(zs + ys)$ ];
Zrule = zrule~Join~
  (zrule /.
     $r\_Rule \Rightarrow ((U = r[[1]] /. \{b \rightarrow B, t \rightarrow T, \alpha \rightarrow \mathcal{A}\}) \rightarrow$ 
      ( $U /. U21 /. r // . 12U))$ );
 $\zeta$ rule = Thread[ $\zeta_S \rightarrow \zeta_S + \eta_S.lt$ ];
 $Q1$  =  $Q$  /. ( $Zrule \cup \zeta$ rule);
 $EEQ[ps\_ ] :=$ 
   $EEQ[ps]$  =
    ( $PP^{EEQ}$ @( $CF[e^{-Q1} D_{Thread[\{zs, \{ps\}]}][e^{Q1}]$ ] /.
      {Alternatives@@  $zs \rightarrow \emptyset$ ,
        Alternatives@@  $Zs \rightarrow 1}$ )});
 $CF$  /@ ( $(*CF/@*)\mathbb{E}$ [
   $c + \eta_S.lt.ys$ ,
   $Q1$  /. {Alternatives@@  $zs \rightarrow \emptyset$ ,
    Alternatives@@  $Zs \rightarrow 1}$ },
  Det[ $lt$ ]
  ( $Zip_{\zeta_S}[(EQ@@  $zs$ ) ( $P$  /. ( $Zrule \cup \zeta$ rule))]$  /.
    Derivative[ $ps\_ ]$ ][ $EQ$ ][ $\_ ] \Rightarrow EEQ[ps]$  /.
     $\_EQ \rightarrow 1$ )
  ])
];

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