

$$\left\{ 35.3125,$$

$$\mathbb{E}_{\{\} \rightarrow \{\theta\}} \left[0, 0, \frac{T^4}{1 - 4T + 9T^2 - 12T^3 + 13T^4 - 12T^5 + 9T^6 - 4T^7 + T^8} + \right. \\ (T^4 \cdot h \left(4a \left(-2 + 14T - 51T^2 + 120T^3 - 203T^4 + 258T^5 - 246T^6 + \right. \right. \\ \left. \left. 152T^7 - 152T^9 + 246T^{10} - 258T^{11} + 203T^{12} - \right. \right. \\ \left. \left. 120T^{13} + 51T^{14} - 14T^{15} + 2T^{16} \right) + \gamma \left(-6 + 2T^{16} - \right. \right. \\ \left. \left. 8xyh - 440T^9(-1 + xyh) - 4T^{15}(3 + 2xyh) + \right. \right. \\ \left. \left. 8T^8(-97 + 21xyh) + 8T^7(131 + 21xyh) - 20T^6 \right. \right. \\ \left. \left. (57 + 22xyh) + T^{14}(37 + 48xyh) + T(44 + 48xyh) - \right. \right. \\ \left. \left. 8T^{11}(2 + 61xyh) + 8T^5(127 + 68xyh) - \right. \right. \\ \left. \left. 2T^{13}(35 + 78xyh) + 4T^{10}(-39 + 136xyh) - \right. \right. \\ \left. \left. T^2(167 + 156xyh) + T^{12}(79 + 324xyh) + \right. \right. \\ \left. \left. T^3(410 + 324xyh) - T^4(733 + 488xyh) \right) \right) \in \right] / \\ \left(1 - 4T + 9T^2 - 12T^3 + 13T^4 - 12T^5 + 9T^6 - 4T^7 + T^8 \right)^3 + \\ 0[\epsilon]^2 \left. \right\}$$