

```
In[=]:= << KnotTheory`  

Loading KnotTheory` version of February 2, 2020, 10:53:45.2097.  

Read more at http://katlas.org/wiki/KnotTheory.  

  

In[=]:= FactorList[HOMFLYPT[Knot[9, 12]][a, z]]  

Out[=]=  $\{ \{-1, 1\}, \{1 - a^2 + a^4 - a^2 z^2, 1\}, \{-1 - a^2 + a^4 - z^2 - a^2 z^2, 1\} \}$   

  

In[=]:= Cases[AllKnots[{3, 10}],  

  K_ /; Length[  

    Cases[  

      FactorList[HOMFLYPT[K][a, z]],  

      {f_Plus, p_}  

    ]  

  ] > 1  

]  

Out[=]= {Knot[9, 12]}  

  

In[=]:= Factor[HOMFLYPT[Knot[9, 12]][a, z]]  

Out[=]=  $- ((1 - a^2 + a^4 - a^2 z^2) (-1 - a^2 + a^4 - z^2 - a^2 z^2))$   

  

In[=]:= Cases[AllKnots[{3, 12}],  

  K_ /; Length[  

    Cases[  

      FactorList[HOMFLYPT[K][a, z]],  

      {f_Plus, p_}  

    ]  

  ] > 1  

]  

  

::: KnotTheory: Loading precomputed data in DTCODE4KNOTS11`.  

::: KnotTheory: The GaussCode to PD conversion was written by Siddarth Sankaran at the University of Toronto in the summer of 2005.  

::: KnotTheory: Loading precomputed data in KnotTheory12A.dts.  

::: KnotTheory: Loading precomputed data in KnotTheory12N.dts.  

::: General: Further output of KnotTheory::loading will be suppressed during this calculation.  

  

Out[=]= {Knot[9, 12], Knot[11, Alternating, 175], Knot[11, Alternating, 176],  

  Knot[11, Alternating, 220], Knot[11, Alternating, 306],  

  Knot[12, Alternating, 151], Knot[12, Alternating, 165], Knot[12, Alternating, 259],  

  Knot[12, Alternating, 300], Knot[12, Alternating, 471], Knot[12, Alternating, 505],  

  Knot[12, Alternating, 506], Knot[12, Alternating, 515], Knot[12, Alternating, 517],  

  Knot[12, Alternating, 535], Knot[12, NonAlternating, 500]}
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In[=]:= Column[
  (# → Factor[HOMFLYPT[#[[a, z]]]) & /@ {Knot[9, 12], Knot[11, Alternating, 175],
  Knot[11, Alternating, 176], Knot[11, Alternating, 220], Knot[11, Alternating, 306],
  Knot[12, Alternating, 151], Knot[12, Alternating, 165], Knot[12, Alternating, 259],
  Knot[12, Alternating, 300], Knot[12, Alternating, 471], Knot[12, Alternating, 505],
  Knot[12, Alternating, 506], Knot[12, Alternating, 515], Knot[12, Alternating, 517],
  Knot[12, Alternating, 535], Knot[12, NonAlternating, 500]}

]

 $\text{KnotTheory}$ : Loading precomputed data in PD4Knots`.  

 $\text{KnotTheory}$ : The HOMFLYPT program was written by Scott Morrison.  

 $\text{KnotTheory}$ : Loading precomputed data in DTCODE4KnotsTo11`.  

 $\text{KnotTheory}$ : The GaussCode to PD conversion was written by Siddarth Sankaran at the University of Toronto in the summer of 2005.  

 $\text{KnotTheory}$ : Loading precomputed data in KnotTheory/12A.dts.  

 $\text{General}$ : Further output of KnotTheory::loading will be suppressed during this calculation.

Out[=]=
Knot[9, 12] → - ((1 - a2 + a4 - a2 z2) (-1 - a2 + a4 - z2 - a2 z2))

Knot[11, Alternating, 175] → - 
$$\frac{(-1+2 a^2+a^2 z^2) (-2 a^2+a^4+2 z^2-5 a^2 z^2+2 a^4 z^2+z^4-4 a^2 z^4+a^4 z^4-a^2 z^6)}{a^4}$$
  

Knot[11, Alternating, 176] → 
$$\frac{(-1+2 a^2+a^2 z^2) (1-a^2+a^4+2 z^2-5 a^2 z^2+2 a^4 z^2+z^4-4 a^2 z^4+a^4 z^4-a^2 z^6)}{a^6}$$
  

Knot[11, Alternating, 220] → 
$$\frac{(1-a^2+a^4-a^2 z^2) (-1+2 a^4-z^2+2 a^2 z^2+3 a^4 z^2+a^2 z^4+a^4 z^4)}{a^{10}}$$
  

Knot[11, Alternating, 306] →  


$$a^2 (-2+a^2-z^2) (-2 a^2+a^4+2 z^2-5 a^2 z^2+2 a^4 z^2+z^4-4 a^2 z^4+a^4 z^4-a^2 z^6)$$
  

Knot[12, Alternating, 151] → 
$$\frac{(-1+a^2+a^4+a^2 z^2+a^4 z^2) (-1+2 a^2-2 a^4+2 a^2 z^2-2 a^4 z^2+a^6 z^2-a^4 z^4)}{a^{10}}$$
  

Knot[12, Alternating, 165] → 
$$\frac{(-1+a^2+a^4+a^2 z^2+a^4 z^2) (-1+3 a^2-2 a^4+a^6+2 a^2 z^2-3 a^4 z^2+a^6 z^2-a^4 z^4)}{a^{10}}$$
  

Knot[12, Alternating, 259] → 
$$\frac{(1-a^2+a^4-a^2 z^2) (1-a^2+a^6+z^2-2 a^2 z^2-2 a^4 z^2+a^6 z^2-a^2 z^4-a^4 z^4)}{a^6}$$
  

Knot[12, Alternating, 300] → 
$$\frac{(1-a^2+a^4-a^2 z^2) (a^6+z^2-a^2 z^2-a^4 z^2+a^6 z^2-a^2 z^4-a^4 z^4)}{a^8}$$
  

Knot[12, Alternating, 471] → 
$$\frac{(1-a^2+a^4-a^2 z^2) (1-a^4+a^8-a^2 z^2-2 a^4 z^2-a^6 z^2)}{a^6}$$
  

Knot[12, Alternating, 505] →  


$$(-2+a^2-z^2) (-2 a^4+a^6-z^2+3 a^2 z^2-4 a^4 z^2+a^6 z^2-z^4+3 a^2 z^4-2 a^4 z^4+a^2 z^6)$$
  

Knot[12, Alternating, 506] → 
$$\frac{(1-a^2+a^4-a^2 z^2) (1-a^2+a^4+2 z^2-5 a^2 z^2+2 a^4 z^2+z^4-4 a^2 z^4+a^4 z^4-a^2 z^6)}{a^4}$$
  

Knot[12, Alternating, 515] → 
$$\frac{(-1+2 a^2+a^2 z^2) (-1+a^2-a^4-z^2+4 a^2 z^2-3 a^4 z^2+a^6 z^2+2 a^2 z^4-3 a^4 z^4+a^6 z^4-a^4 z^6)}{a^6}$$
  

Knot[12, Alternating, 517] → 
$$\frac{(1-a^2+a^4-a^2 z^2) (-a^2+2 a^4+2 z^2-4 a^2 z^2+3 a^4 z^2+z^4-4 a^2 z^4+a^4 z^4-a^2 z^6)}{a^8}$$
  

Knot[12, Alternating, 535] → 
$$\frac{(1-a^2+a^4-a^2 z^2) (-2 a^2+a^4+2 z^2-5 a^2 z^2+2 a^4 z^2+z^4-4 a^2 z^4+a^4 z^4-a^2 z^6)}{a^2}$$
  

Knot[12, NonAlternating, 500] → - ((-1+2 a2+a2 z2) (-2+a4-3 z2-2 a2 z2+a4 z2-z4-a2 z4))
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