Today. A riddle on spheres, Charlene's project, Etienne's project, a more efficient Jones algorithm.
Topics (in no particular order). Whatever you may suggest; whatever comes to my mind; nump; the Catalan numbers; thernial; a more efficient Jones algorithm; a riddle on spheres; Khovanov homology; 「-calculus; the Hopf fibration; Hilbert's 13th problem; non-commutative Gaussian elimination; free Lie algebras; the Baker-Campbell-Hausdorff formula; wacky numbers; an order 4 torus; the Schwarz Lantern; knot colourings; the Temperley-Lieb pairing; the dodecahedral link; sound experiments; barycentric subdivisions; a Peano curve; braid closures and Vogel's algorithm; the insolubility of the quintic; phase portraits; the Mandelbrot set; shadows of the Cantor aerogel; quilt plots; some image transformations; De Bruijn graphs; the Riemann series theorem; finite type invariants and the Willerton fish.

Pensieve header: October 6: A riddle on spheres.
A great riddle. $2^{n}$ yellow unit balls are centered at the vertices of the $n$-dimensional cube $\{-1,1\}^{n}$. Let $B_{n}$ be the largest blue ball centered at 0 bound by the yellow balls, and let $C_{n}$ be the smallest red cube bounding the yellow balls. Compute $\lim _{n \rightarrow \infty} \frac{\operatorname{Vol}\left(B_{n}\right)}{\operatorname{Vol}\left(C_{n}\right)}$.

```
Graphics3D[{
    Red, Opacity[0.2], Cuboid[{-2, -2, -2}, {2, 2, 2}],
    Yellow, Opacity[0.5], Table[Sphere[c, 1], {c, Tuples[{1, -1}, 3]}],
    Blue, Opacity[1], Sphere[{0, 0, 0}, Sqrt[3] - 1]
    }, Boxed }->\mathrm{ False]
```



