

Groups, silly uniquenesses, $(ab)^{-1} = b^{-1}a^{-1}$. S_n , $\sigma\tau =$ normal, cosets, G/N , every normal subgroup is a kernel.
 $\sigma \circ \tau$. “Category”, homomorphisms, $\varphi: S_4 \rightarrow S_3$, sub- $C_G(X)$, $Z(G)$, $N_G(X)$. **1st iso.** $\phi: G \rightarrow H$ morphism \Rightarrow
groups, ker, im, isomorphisms. $x^g := g^{-1}xg$. Kernels are $G/\ker \phi \simeq \text{im}(\phi)$.

Groups of small order.

Order 0: \emptyset . **Order 1:** $G_{1,1} = \{e\}$. **Order 2:**