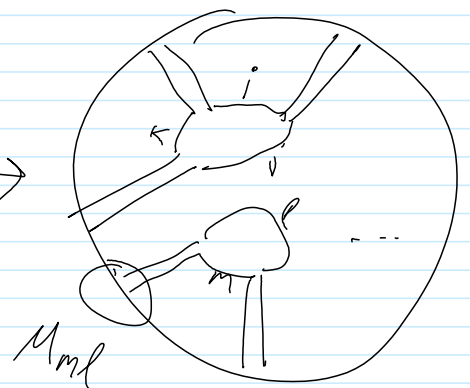
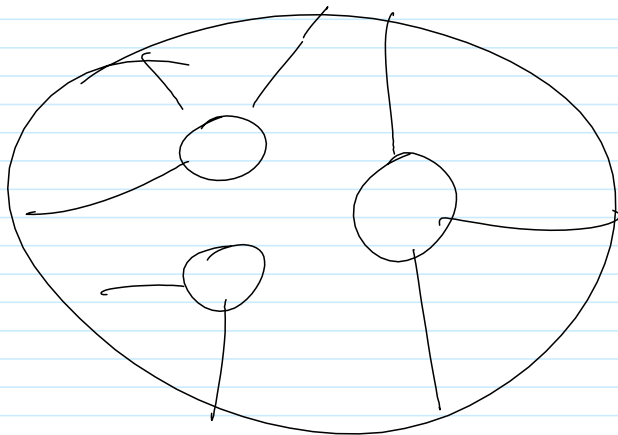
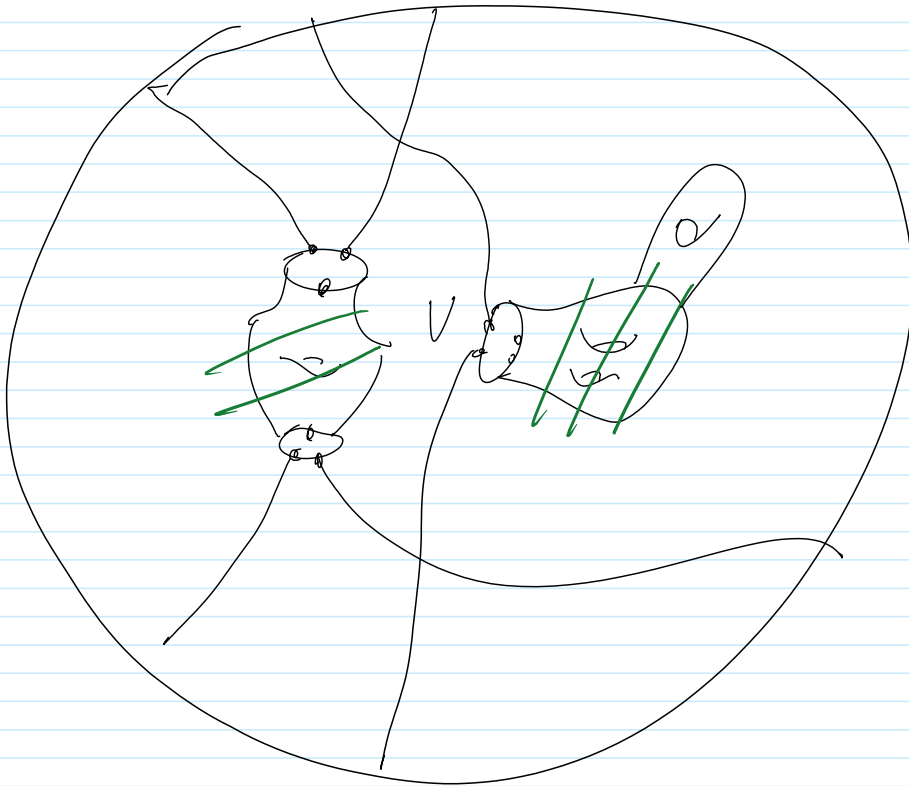
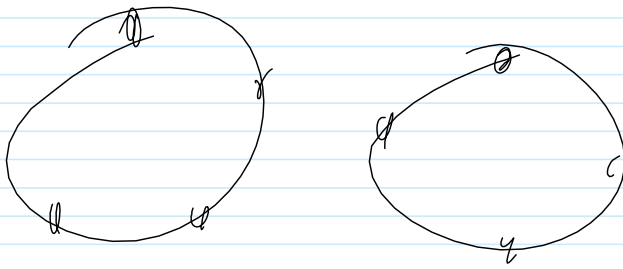
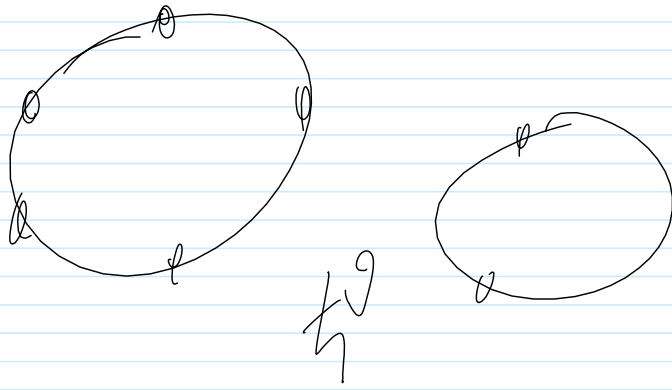


R is a rep of g_h

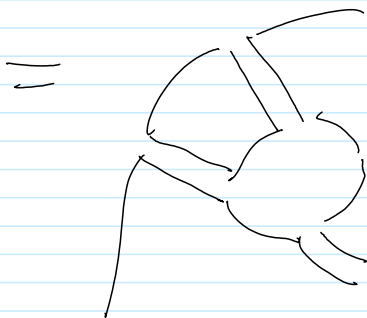
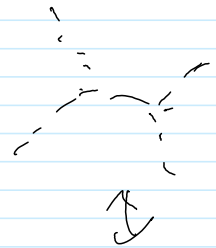
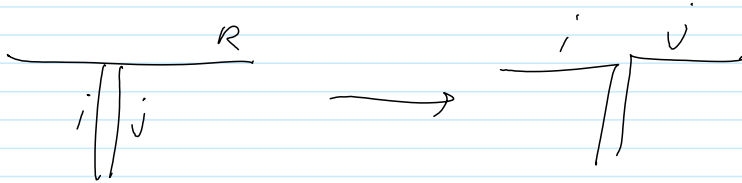
$$\chi: \mathcal{D} \rightarrow A$$

$$W_R (\text{diagram 1} \vee \text{diagram 2}) =$$

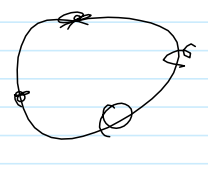
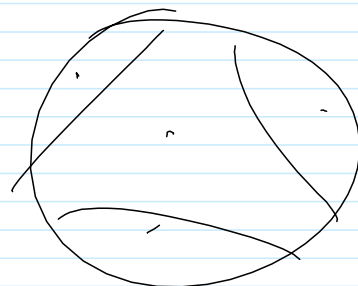


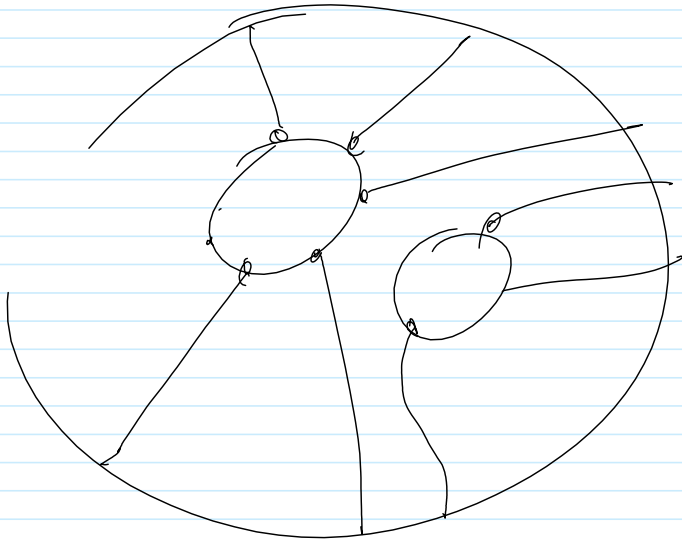


$$W_{PL} \left(\begin{array}{c} \text{circle with 5 points} \\ \text{circle with 2 points} \end{array} \right) = W_{PL} \left(\text{circle with 2 internal loops} \right)$$

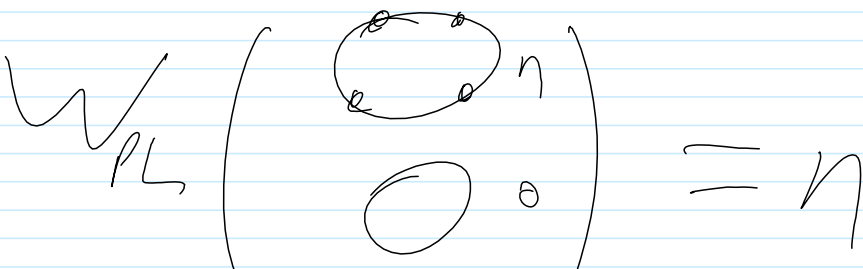
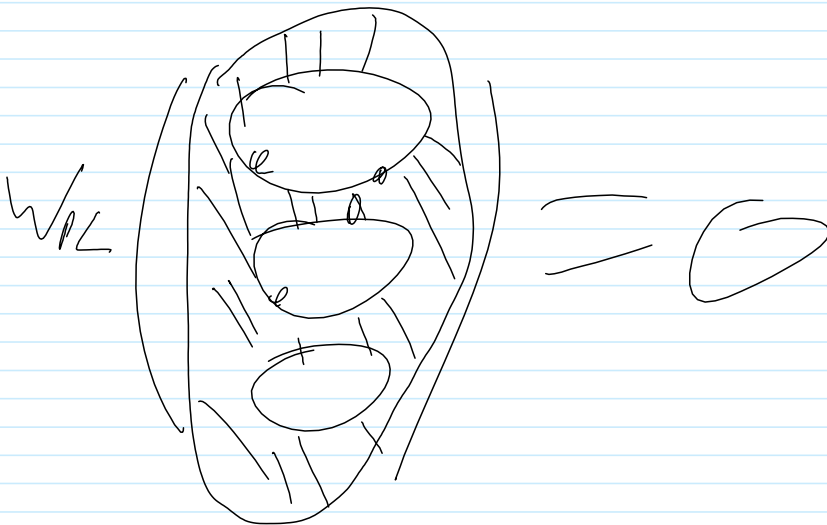
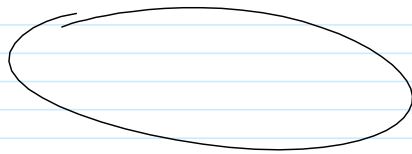
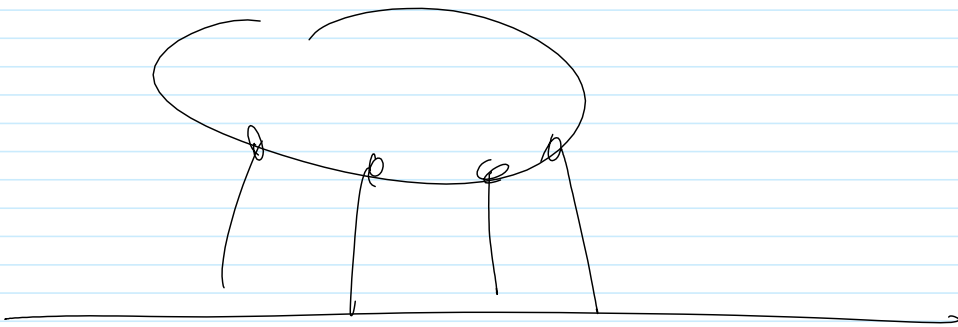


Support only $g=0$



n, n, n, n, n

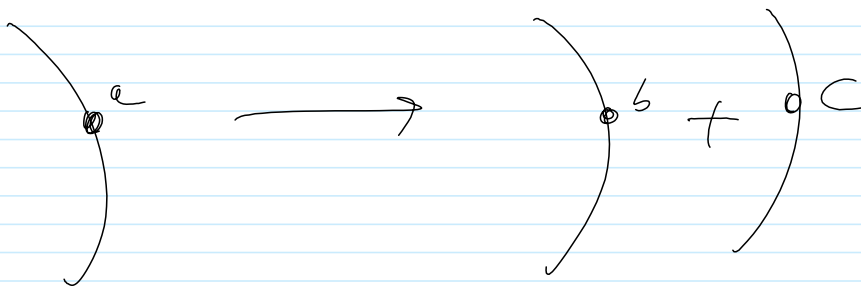
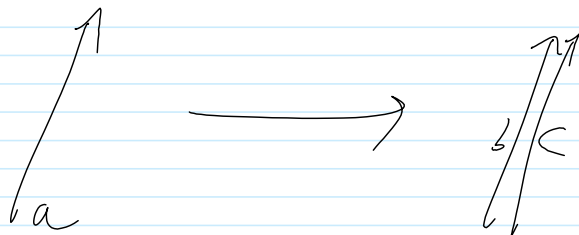


$$\begin{pmatrix} \bigcirc & 0 \\ \bigcirc & \alpha \end{pmatrix} - \mathbb{1}$$

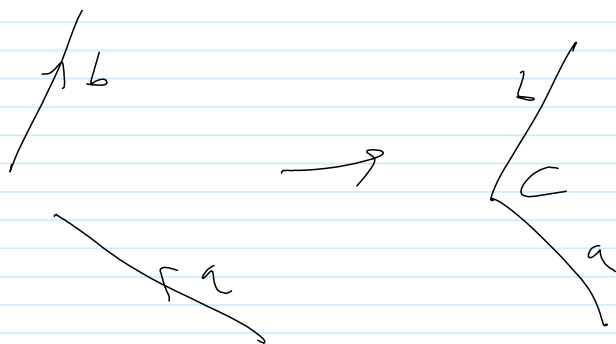
Let S be a finite set, $M_1(S)$ be surfaces w/ markings in S .

0. Disjoint union.

1. $\Delta_{bc}^a : M_1(S) \longrightarrow M_1((S \setminus a) \cup \{b, c\})$
 assuming
 $a \in S, b, c \notin S \setminus a$



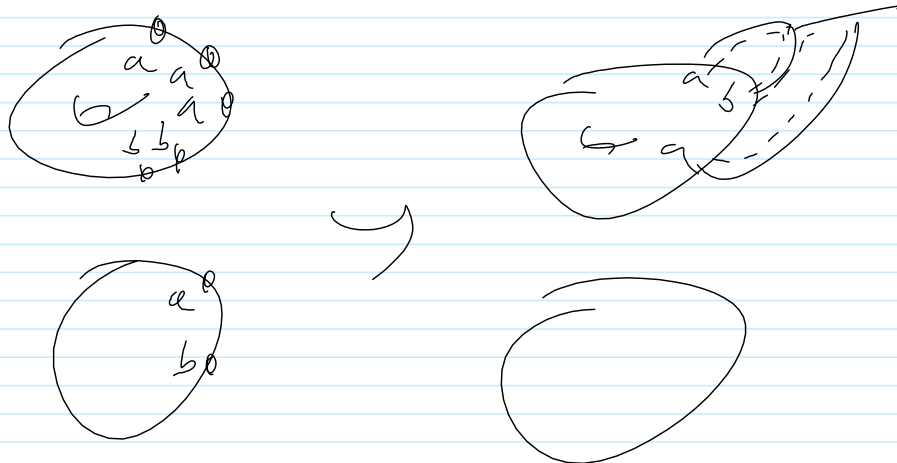
2.



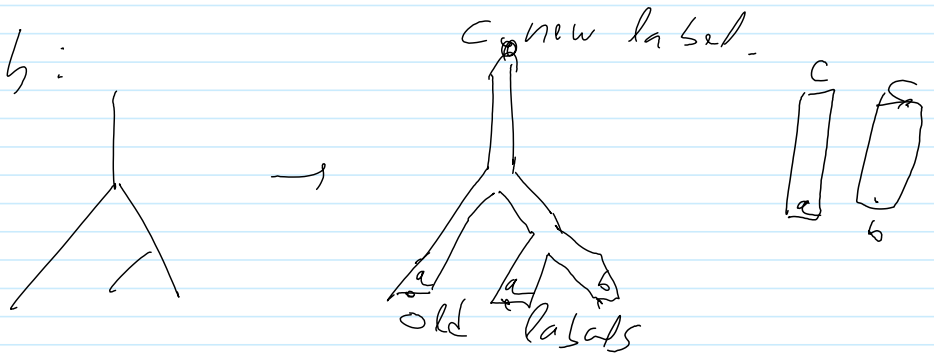
$$m_c^{a,b}: M(S) \rightarrow M((S \setminus \{a, b\}) \cup \{c\})$$

$a, b \in S, \quad c \notin S \setminus \{a, b\}$.

Complicated:

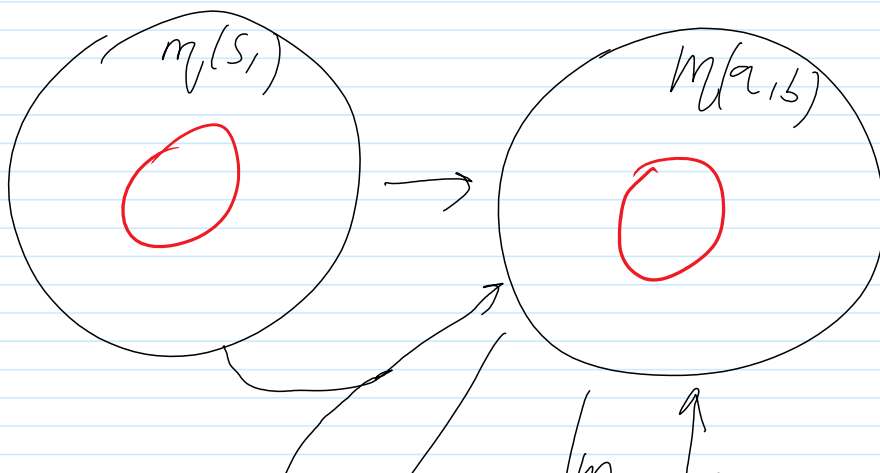


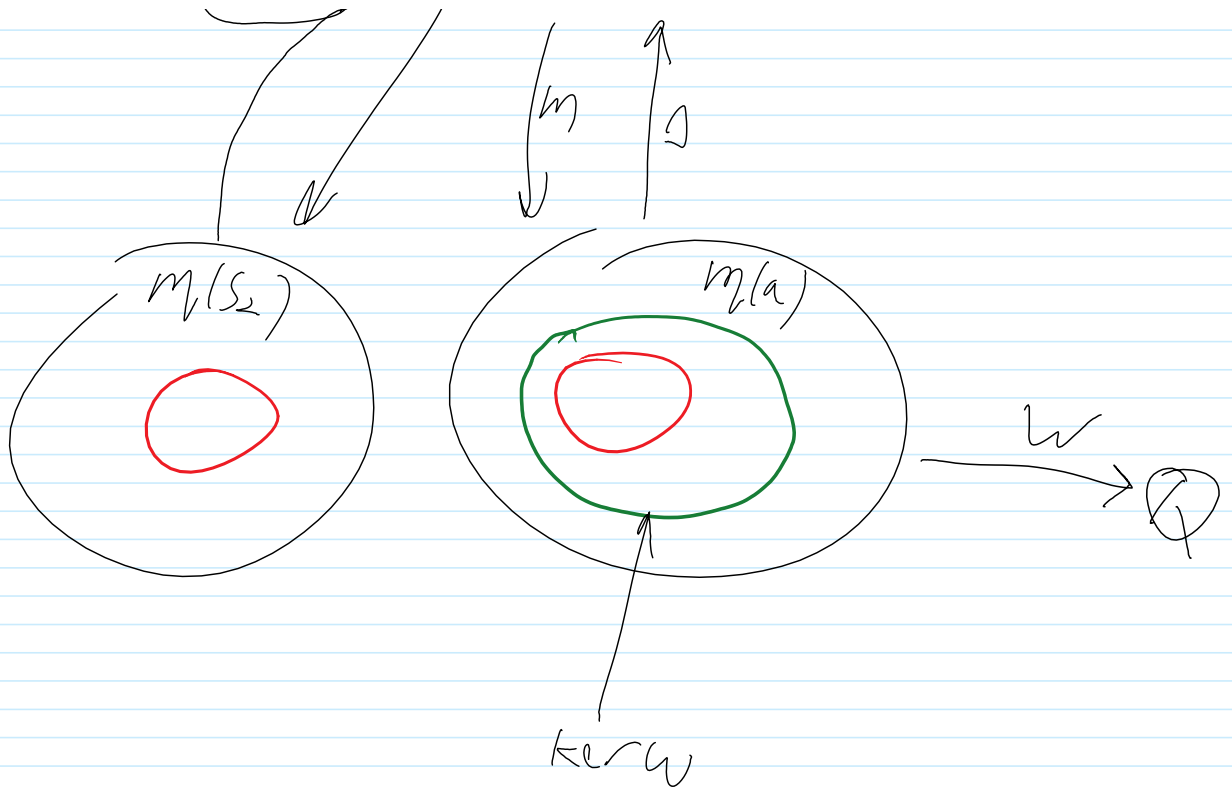
attach:



$$3. \square: M(S) \rightarrow M(S) \otimes M(S)$$

~~Internal~~ kernel of ω :
Inner





red is well defined!

See also <http://drorbn.net/bbs/show?shot=Vo-140425-154938.jpg>