

October-22-13
1:48 PM1. Define an expansion for $R = \mathbb{I}$ 2. Example: $(A = \bigoplus \mathbb{I}^m / \mathbb{I}^{m+1})$

$$R = C^\infty(\mathbb{R}^n) \quad \mathbb{I} = \{f: f(0) = 0\}$$

$$\text{Non uniqueness!} \quad z = \sum \frac{1}{m!} p_m(x) \frac{\partial}{\partial x^m}$$

$$\text{where } p_m(x) = x^m \dots$$

3. Define "homomorphic expansion"

4. But it all makes sense for groups!

5. $PB_n = \pi_1(\mathbb{C}^n \setminus \text{diagonals})$ 6. $PB_n = F_{n-1} \times (F_{n-2} \times \dots)$

a. Geometrically.

b. Using

$$0 \rightarrow F_{n-1} \rightarrow PB_n \rightarrow PB_{n-1} \rightarrow 1$$

7. $B_n = \pi_1(\mathbb{C}^n \setminus \text{diags}) / S_n$

= pictures

$$= \langle \sigma_1 \dots \sigma_{n-1} : \dots \rangle$$

$$0 \rightarrow PB_n \rightarrow B_n \xrightarrow{\text{X}} S_n \rightarrow 1$$

$$\text{So } B_n = S_n \times PB_n$$

see theoretically!

8. $A, A \rightarrow A$

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HW. 1. Prove that every expansion is of that form

2. Prove that Taylor is the unique homo expansion.

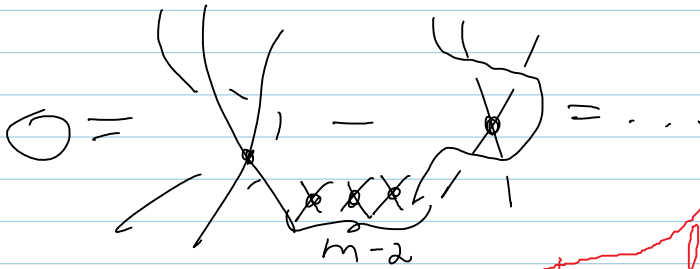
3. Is there a homomorphic expansion for $\mathbb{Z}F_n$?

4. Something about group-like-ness?

5. The kZ formula, if well-defined, is a homomorphic expansion.

9. A -expansions.

8. A , $A \rightarrow A$
Geometrically



9. A -expansions.

10. The KZ Formula.

done link.