Counting lattice points in a disk is the same as counting closed geodesics on the torus. We try to do the same in hyperbolic space. Problem: the surface area of a ball is comparable to its volume, so volume estimates are insufficient.

Key Idea: the geodesic flow is uniformly hyperbolic. Hence there's a measure $\mu$ on $TX$ such the geodesic flow is mixing.