## Duzhin's Comment of June 13

July-07-11
2:18 PM

BTW, I found that any antisymmetric function of $x, y, z$ which iz identically zero outside the plane $x+y+z=0$, satisfies the Klein relation and thus gives rise to a weight system. It is easy to find undecomposables among them, e.g.

$$
E_{-}\{1,2,-3\}+E \_\{1,3,-4\}+E \_\{2,3,-5\}
$$

where each $E_{-}\{a, b, c\}$ stands for a function which is 1 on $(a, b, c),+-1$ on the permutations and 0 elsewhere.

Comment - on Jan 2, 2012 Duzhin emailed me that the above is wrong.

