


Question What is $A^w(\mathbb{O}_n^p)$, where $\mathbb{O}_n^p = \mathbb{O}_n / \mathbb{O}_n^p$ denotes

a pinch point:  ?

Added August 24: There's also "Wen-closure"

\mathbb{O}^w , and possibly combinations like $\frac{1 \pm w}{2}$.

Reminder:

$$\downarrow \begin{array}{c} | \\ \hline w \end{array} = \begin{array}{c} \downarrow \\ \hline w \end{array} \quad \text{but} \quad \begin{array}{c} \uparrow \\ \hline w \end{array} = - \begin{array}{c} \uparrow \\ \hline w \end{array}$$

There's also capping on one side or both....

Answer to original question (Aug 24): (Though only in the wA quotient)

There are well-defined surjections

$$\begin{array}{ccc} A^{wA}(\mathbb{O}_n^p) & \longrightarrow & A^{wA}(\mathbb{O}_n) \\ & \searrow & \\ & & A^{wA}(\mathbb{O}_n) \end{array}$$

$A^{wA}(\mathbb{O}_n)$ carries only linking numbers [as in 2010-08/Link Relations in the wAlox envelope], and the argument carries through to show that $A^{wA}(\mathbb{O}_p)$ carries only linking numbers. Thus all three spaces above carry only linking numbers.