Question. Is the graded version of Duflo equivalent to the standard version?

Duflo says that $\chi$ is a homomorphism. Does it follow that $\chi^h$ is also a homomorphism? (at least superficially, no).

What is the universal property of $U^h(g)$?

Let $g[1]$ be $g$ regarded as a graded algebra concentrated in degree 1, with a bracket of degree $-1$. Then every graded-Lie morphism $\phi$ of $g[1]$ into a graded $\mathbb{Q}[h]$-algebra $A$ factors uniquely through $U^h(g)$: (with $\deg h = 1$)