Which issue? How KV implies Duflo, and how the need for the unitarity of F arises.



KV
in $\vec{A}$

Duflo
in $A$, though good quotients of $A$ may suffice.
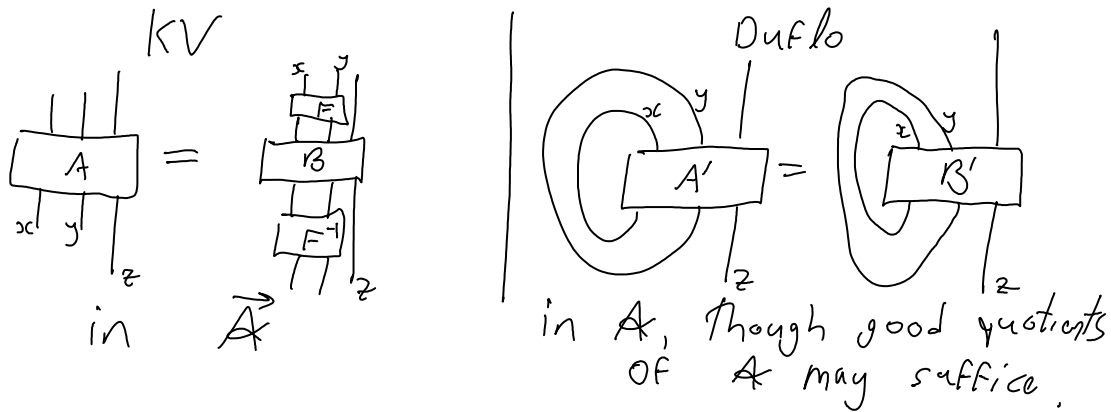
KV $\Rightarrow$ Duflo if we had a map $\beta^d : \vec{A} \longrightarrow A$.
(so that $A \to A'$, $B \to B'$)

$d$ for "dream"

We only have a map

$$\beta : \vec{A}_{z-non-degenerate} \longrightarrow A / (homotopy\ on\ z)$$
(which preserves $A$ & $B$)

which sense make not on F.

However, for **appropriate F**, on the KV side the $F-F^{-1}$ pair can be folded into $B$ so that its image under $\beta$ is a sum of $x$-$y$ link relations.
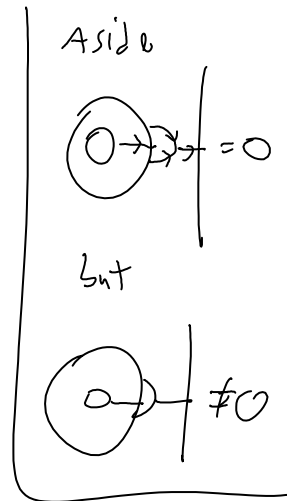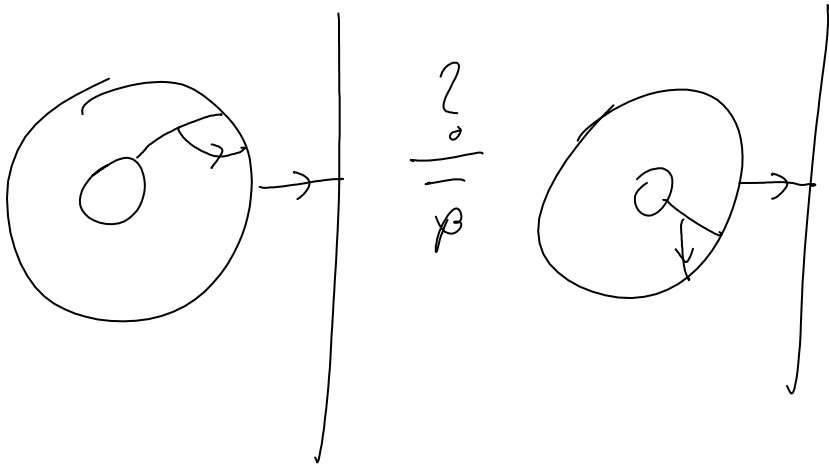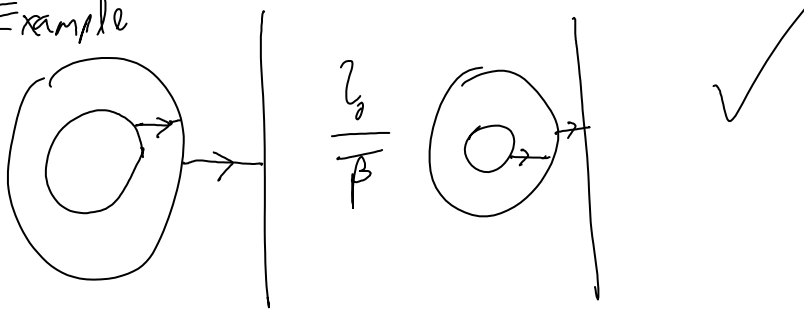
"Appropriate F" must mean "Unitary F".
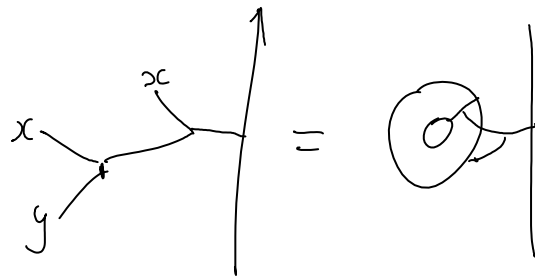
$Q$ For which $F \in \vec{A}$
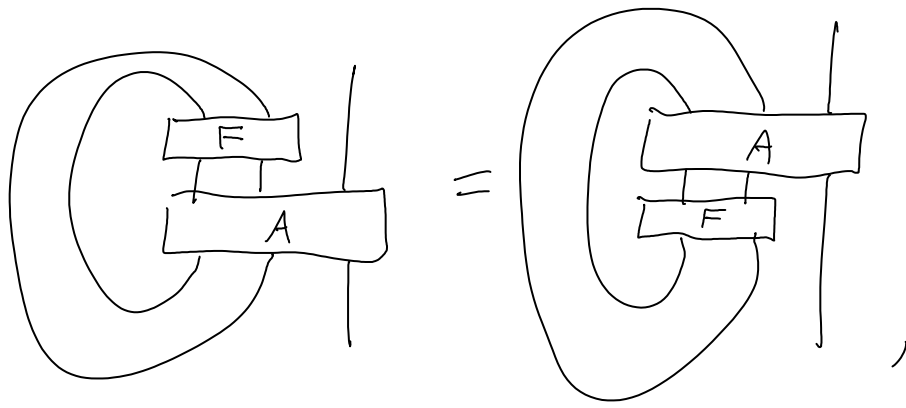
even after applying $\beta$?.

Example



$\frac{?}{\beta}$



$\checkmark$



$\frac{?}{\beta}$



Aside

 $= 0$

but

 $\neq 0$

The difference is

 $=$ 

which seems $\neq 0$ !.